

Electronic Supplementary Information

A novel conception for spontaneous transversions caused by homopyrimidine DNA mismatches: QM/QTAIM highlight

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1. Computational Details.

All calculations of the geometries and harmonic vibrational frequencies of the considered base mispairs and transition states of their conversion have been performed using Gaussian'09 package [1] at the DFT(B3LYP)/6-311++G(d,p) level of theory [2-4], that has been established to be a very good compromise between computational effort and accuracy and verified to give accurate geometrical structures, normal mode frequencies, barrier heights and characteristics of intermolecular H-bonds [5,6]. A scaling factor that is equal to 0.9668 has been applied in the present work for the correction of the harmonic frequencies of all studied base pairs [7-9]. We have confirmed the minima and TSs, located by means of Synchronous Transit-guided Quasi-Newton method [10], on the potential energy landscape by the absence or presence, respectively, of the imaginary frequency in the vibrational spectra of the complexes.

In order to consider electronic correlation effects as accurately as possible, we followed geometry optimizations with single point energy calculations using MP2 level of theory [11] and a wide variety of basis sets, in particular, Pople's basis sets of valence triple- ζ quality [12,13], as well as Dunning's cc-type basis sets [14], augmented with polarization and/or diffuse functions: 6-311++G(2df,2pd), 6-311++G(3df,2pd), cc-pVTZ and cc-pVQZ.

Reaction pathways have been established by following intrinsic reaction coordinate (IRC) in the forward and reverse directions from each TS using Hessian-based predictor-corrector integration algorithm [15] with tight convergence criteria. These calculations eventually ensure that the proper reaction pathway, connecting the expected reactants and

products on each side of the TS, has been found. We've have investigated the evolution of the energetic and geometric characteristics of the H-bonds and base pairs along the reaction pathway establishing them at each point of the IRC [16,17].

Electronic interaction energies E_{int} have been calculated at the MP2/6-311++G(2df,pd) level of theory as the difference between the total energy of the base mispair and the energies of the isolated monomers. Gibbs free energy of interaction has been obtained using similar equation. In each case the interaction energy was corrected for the basis set superposition error (BSSE) [18,19] through the counterpoise procedure [20,21].

The Gibbs free energy G for all structures was obtained in the following way:

$$G = E_{\text{el}} + E_{\text{corr}}, \quad (1)$$

where E_{el} – electronic energy, while E_{corr} – thermal correction. We applied the standard TS theory [22] to estimate the activation barriers of the tautomerisation reaction.

The time $\tau_{99.9\%}$ necessary to reach 99.9% of the equilibrium concentration of the reactant and product in the system of reversible first-order forward (k_f) and reverse (k_r) reactions can be estimated by formula [22]:

$$\tau_{99.9\%} = \frac{\ln 10^3}{k_f + k_r}. \quad (2)$$

The rate constants k_f and k_r were estimated by the formula [22]:

$$k_{f,r} = \frac{k_B \cdot T}{h} \cdot e^{-\frac{\Delta \Delta G_{f,r}}{RT}}, \quad (3)$$

where k_B – Boltzmann's constant, h – Planck's constant, $\Delta \Delta G_{f,r}$ – Gibbs free energy of activation for the tautomerisation reaction in the forward (f) and reverse (r) directions, ν_i – magnitude of the imaginary frequency in the TSs.

Bader's quantum theory of Atoms in Molecules (QTAIM) was applied to analyse the electron density distribution [24-27]. The topology of the electron density was analysed using program package AIMAll [28] with all default options. The presence of a bond critical point (BCP), namely the so-called (3,-1) BCP, and a bond path between hydrogen donor and acceptor, as well as the positive value of the Laplacian at this BCP ($\Delta \rho > 0$), were considered as criteria for the H-bond formation [29,30]. Wave functions were obtained at the level of theory used for geometry optimisation.

The energies of the specific N3H...HN4 and attractive O/N...O van der Waals contacts [29-31] in the base mispairs and TSs of their interconversion *via* the sequential DPT were calculated by the empirical Espinosa-Molins-Lecomte (EML) formula [31,33] based on the electron density distribution at the (3,-1) BCPs of the contacts:

$$E_{N3H...HN4/O/N...O} = 0.5 \cdot V(r), \quad (4)$$

where $V(r)$ – value of a local potential energy at the (3,-1) BCP.

The energies of all AH...B conventional H-bonds were evaluated by the empirical Iogansen's formula [34]:

$$E_{AH...B} = 0.33 \cdot \sqrt{\Delta\nu - 40}, \quad (5)$$

where $\Delta\nu$ – magnitude of the frequency shift of the stretching mode of the AH H-bonded group involved in the AH...B H-bond relatively the unbound group. The partial deuteration was applied to minimize the effect of vibrational resonances [6-8].

The energy of the O4H...N3 H-bond in the $TS_{T \cdot T(w) \leftrightarrow T^* \cdot T^*O2(w)}$ and N4H...N4 H-bond in the $TS_{C^* \cdot C^*(w) \leftrightarrow C^*O2 \cdot C(w)}$, respectively, containing loosened covalent bridges were estimated by the Nikolaienko-Bulavin-Hovorun formulas [35]:

$$E_{O4H...N3} = 1.72 + 142 \cdot \rho, \quad (6)$$

$$E_{N4H...N4} = -2.03 + 225 \cdot \rho, \quad (7)$$

where ρ – the electron density at the (3,-1) BCP of the H-bond.

The atomic numbering scheme for the DNA bases is conventional [36].

2. Numerical and Graphical Materials.

Table S1. Electron-topological structural, vibrational and energetic characteristics of the intermolecular H-bonds and attractive van der Waals contacts in the DNA homo-pyrimidine mispairs containing C and T nucleobases and TSs of their tautomerisation *via* the sequential DPT and structural displacement of the bases relatively to each other, energetic and polar characteristics of the latter obtained at the B3LYP/6-311++G(d,p) level of theory.

Base pair/TS	AH...B H-bond/ O/N...O van der Waals contact	ρ^a	$\Delta\rho^b$	$100\cdot\varepsilon^c$	$d_{A...B}/$ $O/N...O^d$	$d_{H...B}^e$	Δd_{AH}^f	$\angle AH...B^g$	$\Delta\nu^h$	$E_{AH...B}/$ $O/N...O^i$	ΔG^j	μ^k
T·T(w)	N3H...O4	0.029	0.103	2.82	2.887	1.872	0.017	168.1	279.3	5.11	0.00	1.22
	N3H...O2	0.029	0.104	3.85	2.886	1.868	0.016	169.6	273.4	5.04		
T·T*(w) ^[37]	O4H...O4	0.050	0.144	2.01	2.641	1.645	0.031	172.9	599.9	7.81	8.98	2.71
	N1H...N1	0.027	0.077	6.21	3.004	1.998	0.021	163.5	359.3	5.90		
	O2...O2	0.002	0.008	30.35	3.756	-	-	-	-	0.29*		
T* _{O2} ·T(WC)	O4...O4	0.002	0.007	60.45	3.808	-	-	-	-	0.25*	12.72	5.35
	N3H...N3	0.027	0.076	5.96	3.001	2.002	0.022	161.4	363.0	5.93		
	O2H...O2	0.052	0.149	2.68	2.620	1.620	0.034	175.3	656.6	8.19		
TS _{T·T(w)↔T*·T*O2(w)}	O4H...N3	0.108	0.011	4.07	2.533	-	-	-	-	17.01**	13.82	1.74
TS _{T*O2·T(w)↔T·T*O2(WC)}	O4...O4	0.003	0.011	10.06	3.538	-	-	-	-	0.54*	17.11	4.64
T*·T* _{O2} (w)	O4H...N3	0.063	0.094	4.90	2.660	1.631	0.059	179.1	1096.9	10.73	15.61	1.57
	O2H...N3	0.068	0.091	5.02	2.640	1.606	0.066	179.4	1215.4	11.31		
TS ^{T+·T-} _{T·T(w)↔T·T*(WC)}	O4 ⁺ H...O4 ⁻	0.036	0.094	10.73	2.712	1.818	0.053	143.8	879.7	5.34	31.06	6.96
	O4 ⁺ H...N3 ⁻	0.029	0.084	28.05	2.836	1.947	0.053	143.7	879.7	4.22		
	N3 ⁺ H...N3 ⁻	0.020	0.070	28.45	2.951	2.121	0.029	134.5	462.3	3.02		
	N3 ⁺ H...O2 ⁻	0.025	0.075	7.43	2.972	1.973	0.029	158.5	462.3	3.76		
TS ^{T-·T+} _{T·T(w)↔T*O2·T(WC)}	N3 ⁺ H...O4 ⁻	0.031	0.085	1.88	2.909	1.887	0.037	162.4	592.1	4.84	32.82	6.49
	N3 ⁺ H...N3 ⁻	0.020	0.070	52.60	2.934	2.139	0.037	130.4	592.1	2.92		
	O2 ⁺ H...N3 ⁻	0.028	0.085	52.67	2.824	1.979	0.055	137.9	922.4	3.80		
	O2 ⁺ H...O2 ⁻	0.040	0.100	7.55	2.687	1.759	0.055	148.6	922.4	6.00		
C·C*(WC) ^[38]	N4H...N4	0.034	0.090	6.63	2.925	1.895	0.025	174.3	447.4	6.66	0.00	4.87
	N3H...N3	0.030	0.081	6.39	2.982	1.950	0.024	173.0	423.8	6.47		
	O2...O2	0.002	0.008	21.69	3.721	-	-	-	-	0.33*		
C*·C*(w)	N3H...N4	0.038	0.094	6.34	2.884	1.849	0.030	171.8	520.5	7.23	1.34	1.08
	N3H...O2	0.028	0.100	4.25	2.906	1.883	0.017	172.7	281.7	5.13		
C* _{O2} ·C(w)	N4H...N3	0.039	0.098	6.64	2.864	1.838	0.027	170.4	482.2	6.94	7.40	1.45
	O2H...N3	0.058	0.094	5.53	2.692	1.670	1.024	176.1	1109.2	10.79		
C·C(w)	N4H...N3	0.018	0.054	8.23	3.193	2.190	0.012	167.5	-	4.11	8.90	10.66
	N3...O2	0.001	0.005	20.63	4.047	-	-	-	-	0.16*		
TS ^{C-·C+} _{C·C*(WC)↔C*·C*(w)}	N4 ⁺ H...N4 ⁻	0.035	0.089	1.66	2.855	1.871	0.037	155.0	1300.2	11.71	18.34	7.71
	N4 ⁺ H...N3 ⁻	0.021	0.072	36.54	2.950	2.108	0.037	135.7	1300.2	11.71		
	N3 ⁺ H...N3 ⁻	0.019	0.063	22.79	3.025	2.149	0.030	140.0	1241.6	11.44		
	N3 ⁺ H...O2 ⁻	0.022	0.068	9.78	3.001	2.025	0.030	154.3	1241.6	11.44		
TS ^{C-·C+} _{C·C(w)↔C·C*(WC)}	N4 ⁺ H...N4 ⁻	0.029	0.094	7.30	2.825	1.943	0.015	142.3	193.0	4.08	34.28	13.26
	N3 ⁺ H...N4 ⁻	0.062	0.079	6.16	2.711	1.660	0.088	157.2	1248.1	11.47		
	N3 ⁺ ...O2 ⁻	0.005	0.014	9.15	3.424	-	-	-	-	0.84*		

^aThe electron density at the (3,-1) BCP of the H-bond, a.u.; ^bThe Laplacian of the electron density at the (3,-1) BCP of the H-bond, a.u.; ^cThe ellipticity at the (3,-1) BCP of the H-bond; ^dThe distance between the A (H-bond donor) and B (H-bond acceptor) atoms of the AH...B H-bond, Å; ^eThe distance between the H and B atoms of the AH...B H-bond, Å; ^fThe elongation of the H-bond donating group AH upon the AH...B H-bonding, Å; ^gThe H-bond angle, degree; ^hThe redshift of the stretching vibrational mode $\nu(AH)$ of the AH H-bonded group, cm^{-1} ; ⁱEnergy of the H-bonds calculated by Iogansen's formula [34], the O2/4/N3...O2/4 van der Waals contacts – by Espinose-Molins-Lecomte formula (marked with an asterisk) [32,33] and the N/O4H...N3/4 H-bonds in the TS – by Nikolaienko-Bulavin-Hovorun formulas (marked with double asterisk) [35], $kcal\cdot mol^{-1}$; ^jThe relative Gibbs free energy of the complex obtained at the MP2/cc-pVQZ//B3LYP/6-311++G(d,p) level of theory under normal conditions, $kcal\cdot mol^{-1}$; ^kThe dipole moment of the complex, D.

TS _{C-C*(w)↔C-C*(w)}	7.68	10.02	7.20	10.67	8.25	10.80	5.96	10.90
TS _{C-C*(w)↔C-C*(w)}	9.06	10.89	9.05	10.88	9.25	11.08	8.90	10.73
TS _{C-C*(w)↔C-C*(w)}	18.59	19.69	18.19	19.29	18.78	19.89	18.34	19.44
TS _{C-C*(w)↔C-C*(w)}	34.31	35.08	34.13	34.92	34.93	35.73	34.28	35.05
	ΔG^a	ΔE^b	ΔG^a	ΔE^b	ΔG^a	ΔE^b	ΔG^a	ΔE^b
T·T(w)	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
T·T*(WC) ^[37]	8.82	8.49	9.18	8.85	8.76	8.43	8.98	8.64
T* _{O2} ·T(WC)	12.68	12.77	12.91	13.00	12.57	12.66	12.72	12.81
TS _{T·T*(WC)↔T*·T(WC)} ^[37]	12.79	15.97	13.65	16.84	13.11	16.29	13.63	16.82
TS _{T·T(w)↔T*·T*O2(w)}	13.14	16.34	13.89	17.10	13.47	16.68	13.82	17.03
T*·T* _{O2} (w)	15.17	15.55	15.77	16.15	15.36	15.74	15.61	15.99
TS _{T*O2·T(WC)↔T·T*O2(WC)}	16.42	19.68	17.15	20.41	16.67	19.92	17.11	20.37
C·C*(WC) ^[38]	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
C*·C*(w)	1.61	1.77	1.31	1.47	1.28	1.44	1.34	1.50
C* _{O2} ·C(w)	7.42	7.88	7.45	7.91	7.48	7.93	7.40	7.86

^aThe relative Gibbs free energy of the investigated complexes ($\Delta G_{T·T(w)/C·C*(WC)}=0.00$; T=298.15 K), kcal·mol⁻¹

^bThe relative electronic energy of the investigated complexes ($\Delta E_{T·T(w)/C·C*(WC)}=0.00$), kcal·mol⁻¹

Table S3. Interbase interaction energies (in kcal·mol⁻¹) for the investigated DNA base mispairs and TSs of their conversions *via* the sequential DPT obtained at the MP2/6-311++G(3df,2pd)//B3LYP/6-311++G(d,p) level of theory.

Complex	$-\Delta E_{\text{int}}^{\text{a}}$	$\Sigma E_{\text{HB}}^{\text{b}}$	$\Sigma E_{\text{HB}}/ \Delta E_{\text{int}} , \%$	$-\Delta G_{\text{int}}^{\text{c}}$
T·T(w)	12.03	10.15	84.3	0.56
T·T*(WC) ^[37]	16.67	14.00	84.0	4.69
T* _{O2} ·T(WC)	18.27	14.38	78.7	6.47
T*·T* _{O2} (w)	32.00	22.04	68.9	20.39
TS ^{T⁺·T⁻} _{T·T(w)↔T·T*(WC)}	129.14	16.34	12.7	117.64
TS ^{T⁻·T⁺} _{T·T(w)↔T*_{O2}·T(WC)}	132.26	17.56	13.3	120.56
C·C*(WC) ^[38]	14.75	13.46	91.2	2.34
C*·C*(w)	13.80	12.36	89.6	2.26
C* _{O2} ·C(w)	27.91	17.73	63.5	15.43
C·C(w)	2.50	4.27	170.6	0.79
TS ^{C⁻·C⁺} _{C·C*(WC)↔C*·C*(w)}	123.17	23.15	18.8	111.30
TS ^{C⁻·C⁺} _{C·C(w)↔C·C*(WC)}	113.00	16.39	14.5	100.81

^aThe BSSE-corrected electronic interaction energy

^bThe total energy of the specific intermolecular interactions – H-bonds and attractive van der Waals contacts (see Table S1)

^cThe BSSE-corrected Gibbs free energy of interaction (T=298.15 K)

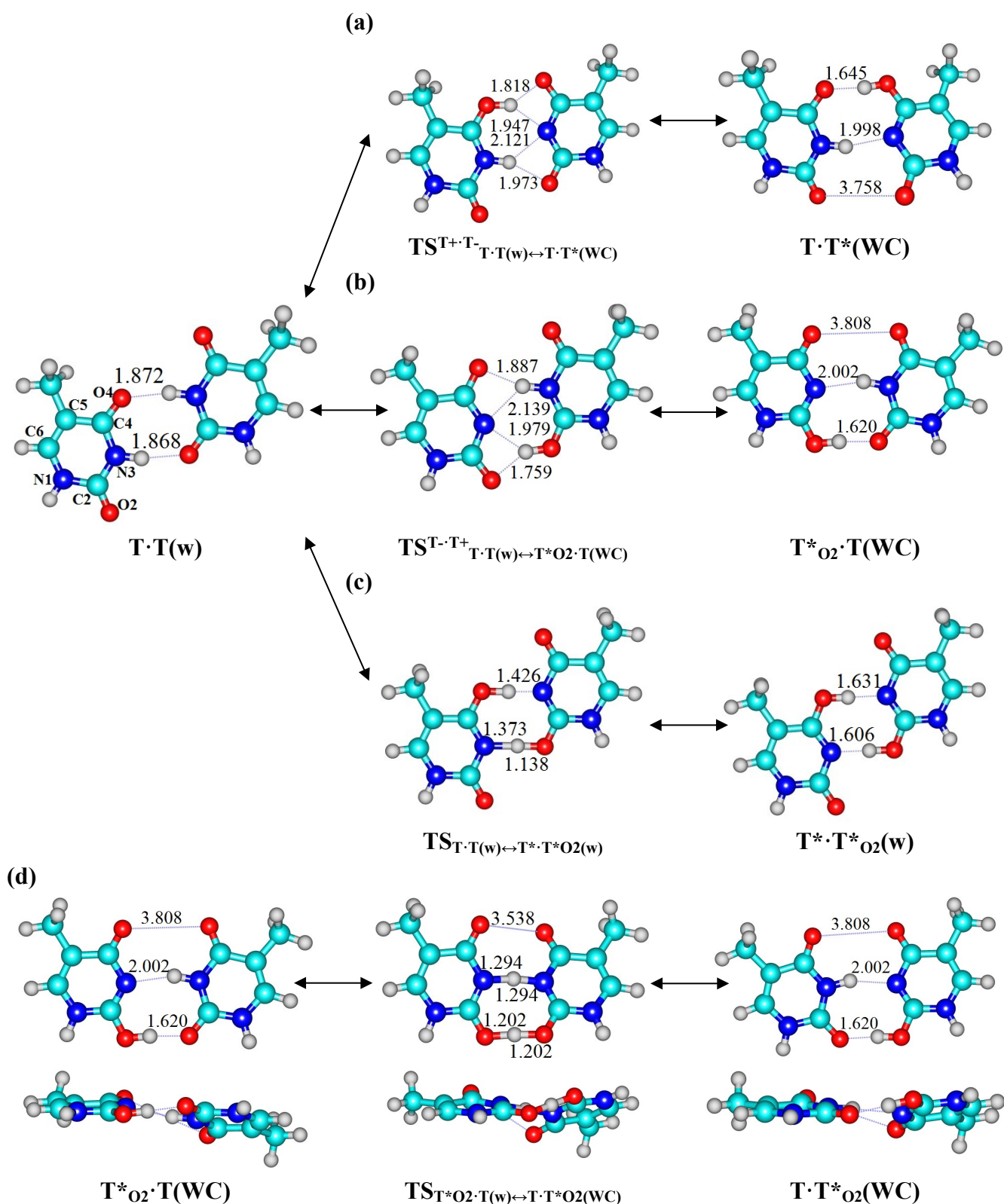


Fig. S1. Structures of the stationary points of the (a) $\text{T}\cdot\text{T}(\text{w})\leftrightarrow\text{T}\cdot\text{T}^*(\text{WC})$, (b) $\text{T}\cdot\text{T}(\text{w})\leftrightarrow\text{T}^*\text{O}_2\cdot\text{T}(\text{WC})$, (c) $\text{T}\cdot\text{T}(\text{w})\leftrightarrow\text{T}^*\cdot\text{T}^*\text{O}_2(\text{w})$ and (d) $\text{T}^*\text{O}_2\cdot\text{T}(\text{w})\leftrightarrow\text{T}\cdot\text{T}^*\text{O}_2(\text{WC})$ conversions *via* the sequential DPT accompanied by the structural rearrangement of the base pair obtained at the B3LYP/6-311++G(d,p) level of theory. Dotted lines indicate $\text{AH}\cdots\text{B}$ H-bonds and attractive $\text{A}\cdots\text{B}$ van der Waals contacts (their lengths are presented in angstroms), while continuous – covalent bonds; carbon atoms are in light-blue, nitrogen – in dark-blue, hydrogen – in grey and oxygen – in red.

Table S4. Energetic and kinetic parameters (ΔG , ΔE , $\Delta\Delta G_{TS}$, $\Delta\Delta E_{TS}$, $\Delta\Delta G^e$, $\Delta\Delta E^f$, $\tau_{99.9\%}^g$) of the $T\cdot T(w) \leftrightarrow T^*\cdot T^*(WC)$, $T\cdot T(w) \leftrightarrow T^*\cdot O_2\cdot T(WC)$, $T^*\cdot O_2\cdot T(w) \leftrightarrow T\cdot T^*\cdot O_2(WC)$ and $T\cdot T(w) \leftrightarrow T^*\cdot T^*\cdot O_2(w)$ tautomerisations *via* the sequential DPT obtained at the different levels of theory for the geometry calculated at the B3LYP/6-311++G(d,p) level of theory (see also Figs. 1 and S1).

Level of theory	ΔG^a	ΔE^b	$\Delta\Delta G_{TS}^c$	$\Delta\Delta E_{TS}^d$	$\Delta\Delta G^e$	$\Delta\Delta E^f$	$\tau_{99.9\%}^g$
$T\cdot T(w) \leftrightarrow T^*\cdot T^*(WC)$ ($\nu_i=274.5i$ cm⁻¹)							
MP2/6-311++G(2df,pd)	8.82	8.49	31.18	32.02	22.36	23.53	$2.62\cdot 10^4$
MP2/6-311++G(3df,2pd)	9.18	8.85	31.20	32.03	22.01	23.19	$1.46\cdot 10^4$
MP2/cc-pVTZ	8.76	8.43	31.27	32.10	22.51	23.68	$3.36\cdot 10^4$
MP2/cc-pVQZ	8.98	8.64	31.06	31.90	22.09	23.26	$1.65\cdot 10^4$
$T\cdot T(w) \leftrightarrow T^*\cdot O_2\cdot T(WC)$ ($\nu_i=278.5i$ cm⁻¹)							
MP2/6-311++G(2df,pd)	12.68	12.77	32.95	34.08	20.27	21.31	$7.63\cdot 10^2$
MP2/6-311++G(3df,2pd)	12.91	13.00	33.01	34.15	20.10	21.14	$5.74\cdot 10^2$
MP2/cc-pVTZ	12.57	12.66	32.98	34.11	20.41	21.45	$9.70\cdot 10^2$
MP2/cc-pVQZ	12.72	12.81	32.82	33.96	20.11	21.15	$5.82\cdot 10^2$
MP2/6-311++G(2df,pd)	0.00	0.00	3.74	6.90	3.74	6.90	$1.28\cdot 10^{-10}$
MP2/6-311++G(3df,2pd)	0.00	0.00	4.24	7.41	4.24	7.41	$2.99\cdot 10^{-10}$
MP2/cc-pVTZ	0.00	0.00	4.10	7.26	4.10	7.26	$2.34\cdot 10^{-10}$
MP2/cc-pVQZ	0.00	0.00	4.40	7.56	4.40	7.56	$3.88\cdot 10^{-10}$
$T\cdot T(w) \leftrightarrow T^*\cdot T^*\cdot O_2(w)$ ($\nu_i=661.4i$ cm⁻¹)							
MP2/6-311++G(2df,pd)	15.17	15.55	13.14	16.34	-2.04	0.79	$2.56\cdot 10^{-14}$
MP2/6-311++G(3df,2pd)	15.77	16.15	13.89	17.10	-1.88	0.94	$3.32\cdot 10^{-14}$
MP2/cc-pVTZ	15.36	15.74	13.47	16.68	-1.89	0.93	$3.26\cdot 10^{-14}$
MP2/cc-pVQZ	15.61	15.99	13.82	17.03	-1.79	1.03	$3.88\cdot 10^{-14}$

^aThe Gibbs free energy of the product relatively the reactant of the tautomerisation reaction (T=298.15 K), kcal·mol⁻¹

^bThe electronic energy of the product relatively the reactant of the tautomerisation reaction, kcal·mol⁻¹

^cThe Gibbs free energy barrier for the forward reaction of tautomerisation, kcal·mol⁻¹

^dThe electronic energy barrier for the forward reaction of tautomerisation, kcal·mol⁻¹

^eThe Gibbs free energy barrier for the reverse reaction of tautomerisation, kcal·mol⁻¹

^fThe electronic energy barrier for the reverse reaction of tautomerisation, kcal·mol⁻¹

^gThe time necessary to reach 99.9% of the equilibrium concentration between the reactant and the product of the tautomerisation reaction, s

ν_i – imaginary frequency.

See also summary Table S2 for the Gibbs and electronic energies of the mispairs and TSs relatively the global minimum – the T·T(w) DNA base mispair.

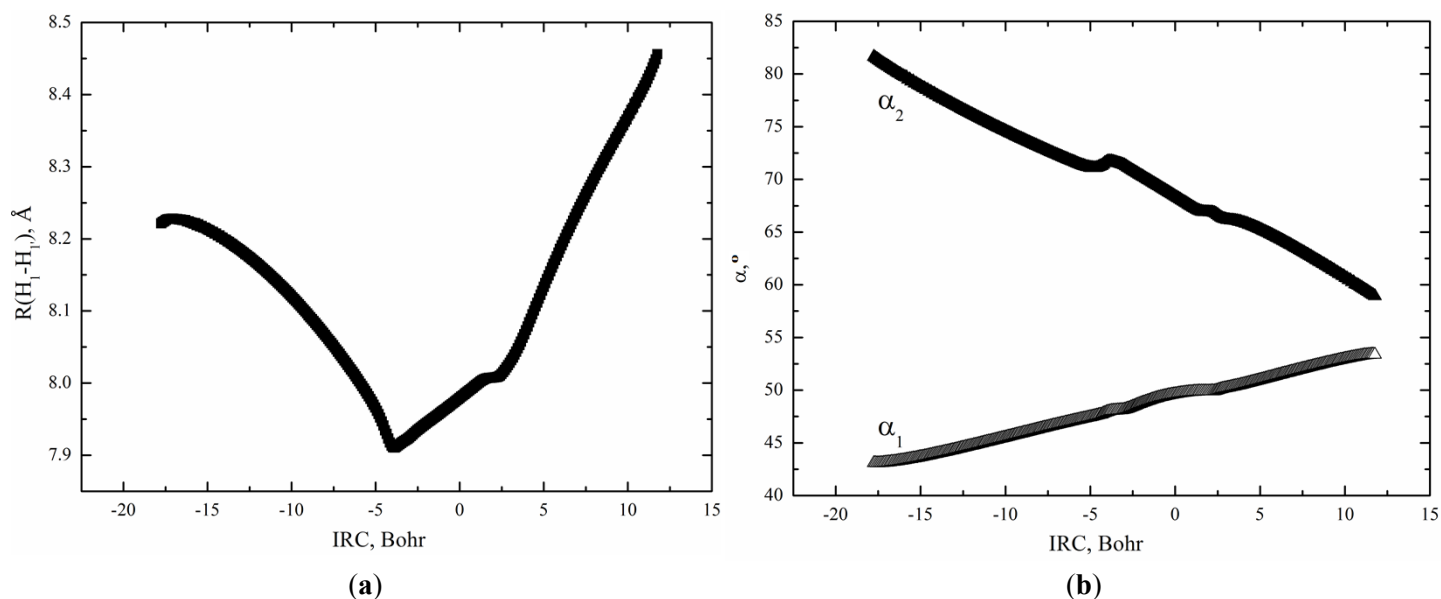


Fig. S2. Profiles of: (a) the $R(H_1-H_{1'})$ distances between the H_1 and $H_{1'}$ glycosidic hydrogens and (b) the $\alpha_1 = \angle N1H_1H_{1'}$ (angle for the base on the left within the base pair) or $\alpha_2 = \angle N1H_1H_1$ (angle for the base on the right within the base pair) glycosidic angles along the IRC of the $T \cdot T(w) \leftrightarrow T \cdot T^*(WC)$ tautomerisation *via* the sequential DPT obtained at the B3LYP/6-311++G(d,p) level of theory (see also Figs. 1 and S1).

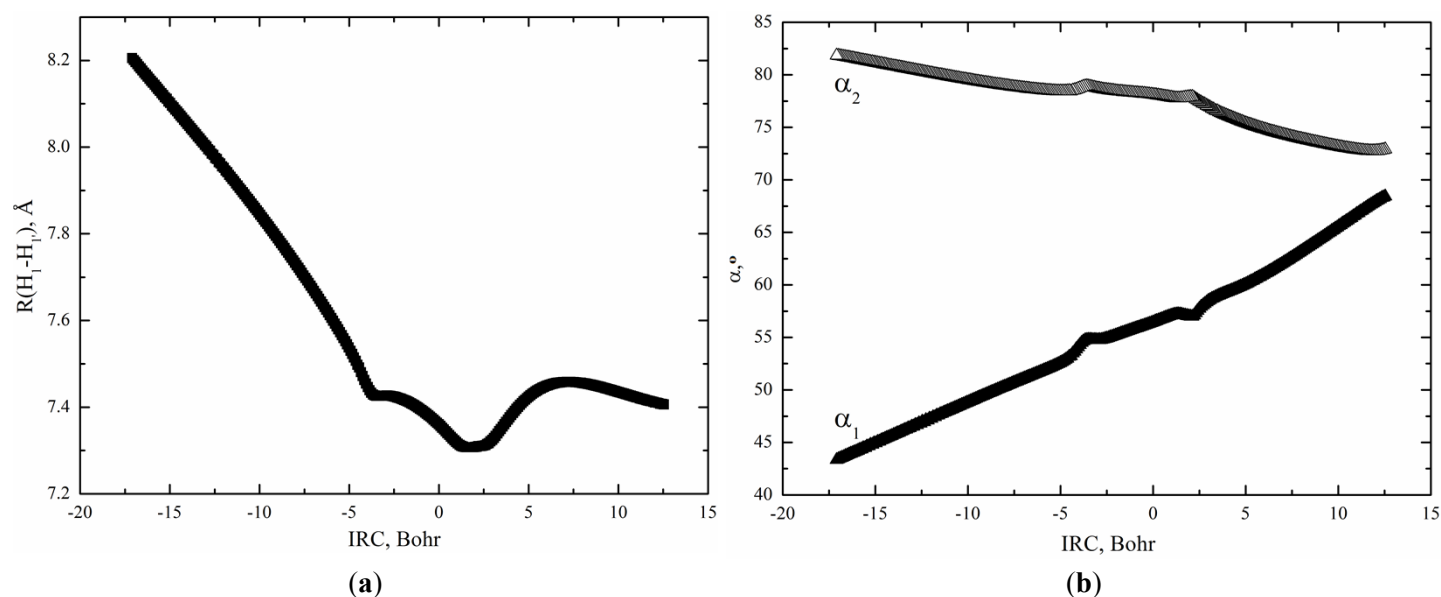


Fig. S3. Profiles of: (a) the $R(H_1-H_{1'})$ distances between the H_1 and $H_{1'}$ glycosidic hydrogens and (b) the $\alpha_1 = \angle N1H_1H_{1'}$ (angle for the base on the left within the base pair) or $\alpha_2 = \angle N1H_1H_1$ (angle for the base on the right within the base pair) glycosidic angles along the IRC of the $T \cdot T(w) \leftrightarrow T^*O_2 \cdot T(WC)$ tautomerisation *via* the sequential DPT obtained at the B3LYP/6-311++G(d,p) level of theory (see Figs. 1 and S1).

Table S5. Patterns of the specific intermolecular interactions including AH...B H-bonds, attractive O/N...O van der Waals contacts and loosened A-H-B covalent bridges that sequentially replace each other along the IRC of the T·T(w)↔T·T*(WC) and T·T(w)↔T*_{O2}·T(WC) tautomerisations *via* the sequential DPT and ranges of their existence obtained at the B3LYP/6-311++G(d,p) level of theory (see also Figs. 1, 2 and S1).

Patterns	IRC range, Bohr	Intermolecular interactions, forming patterns
T·T(w)↔T·T*(WC)		
I	[-17.75÷-4.44)	N3H...O4, N3H...O2
II	[-4.44÷-3.28)	N3H...O4, N3H...N3, N3H...O2
III	[-3.28÷-2.80)	N3-H-O4, N3H...N3, N3H...O2
IV	[-2.80÷-1.16)	O4H...N3, N3H...N3, N3H...O2
V	[-1.16÷0.68)	O4H...O4, O4H...N3, N3H...N3, N3H...O2
VI	[0.68÷1.54)	O4H...O4, N3H...N3, N3H...O2
VII	[1.54÷1.83)	O4-H-O4, N3H...N3, N3H...O2
VIII	[1.83÷2.88)	O4H...O4, N3H...N3, N3H...O2
IX	[2.88÷4.62)	O4H...O4, N3H...N3, N3H...O2, N3...O4
X	[4.62÷4.82)	O4H...O4, N3H...N3, N3H...O2, N3...O4, O2...O2
XI	[4.82÷4.91)	O4H...O4, N3H...N3, N3H...O2, O2...O2
XII	[4.91÷11.76]	O4H...O4, N3H...N3, O2...O2
T·T(w)↔T*_{O2}·T(WC)		
I	[-17.09÷-4.44)	N3H...O4, N3H...O2
II	[-4.44÷-3.19)	N3H...O4, N3H...N3, N3H...O2
III	[-3.19÷-2.80)	N3H...O4, N3H...N3, N3-H-O2
IV	[-2.80÷-1.25)	N3H...O4, N3H...N3, O2H...N3
V	[-1.25÷0.38)	N3H...O4, N3H...N3, O2H...N3, O2H...O2
VI	[0.38÷1.35)	N3H...O4, N3H...N3, O2H...O2
VII	[1.35÷1.64)	N3H...O4, N3H...N3, O2-H-O2
VIII	[1.64÷2.40)	N3H...O4, N3H...N3, O2H...O2
IX	[2.40÷5.59)	N3H...O4, N3H...N3, N3...O2, O2H...O2
X	[5.59÷12.54]	O4...O4, N3H...N3, O2H...O2

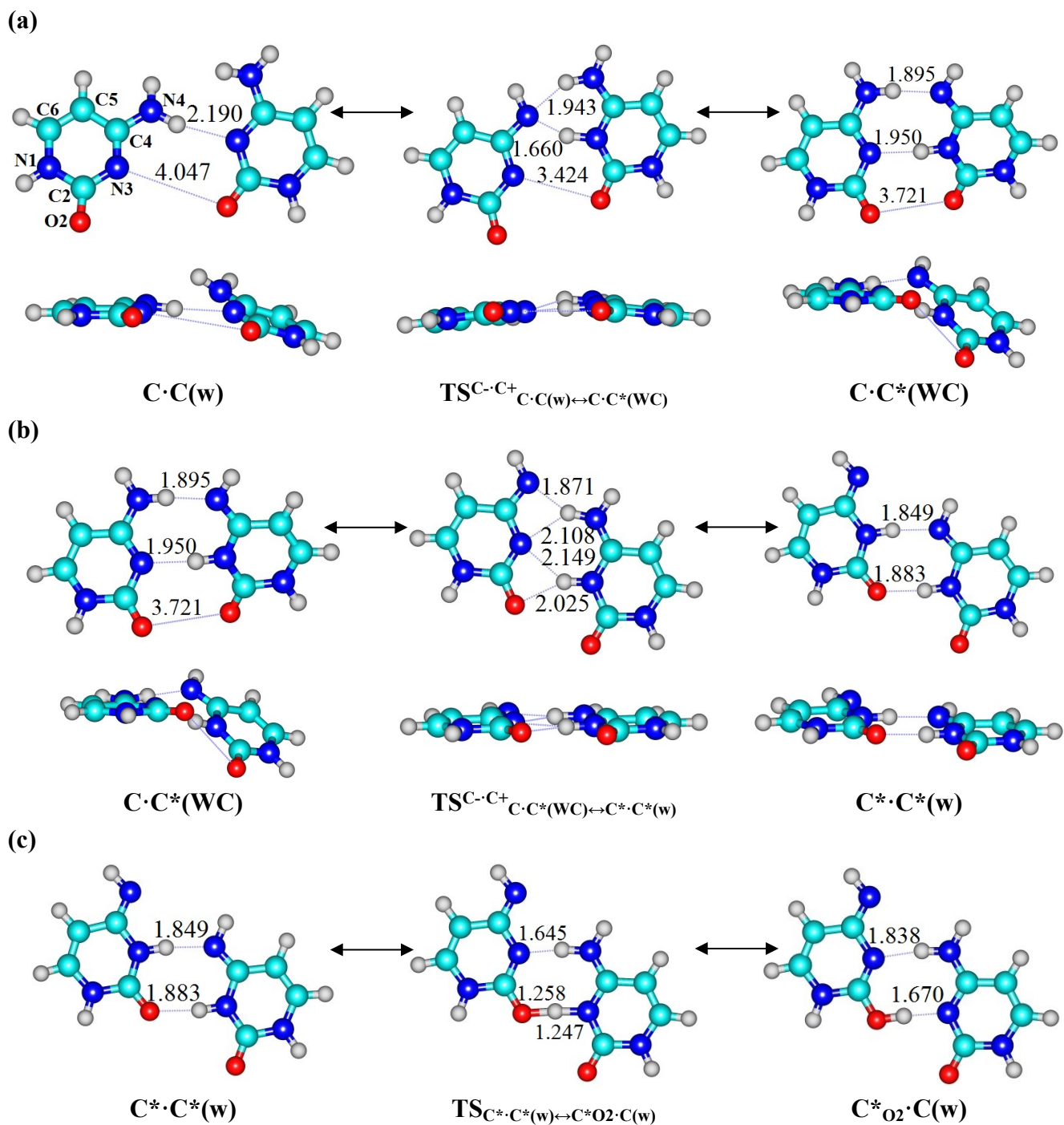


Fig. S4. Structures of the stationary points of the (a) $C\cdot C(w)\leftrightarrow C\cdot C^*(WC)$, (b) $C\cdot C^*(WC)\leftrightarrow C^*\cdot C^*(w)$ and (c) $C^*\cdot C^*(w)\leftrightarrow C^*\cdot O_2\cdot C(w)$ conversions *via* the sequential DPT accompanied by the structural rearrangement of the base pair obtained at the B3LYP/6-311++G(d,p) level of theory. For the designations see Fig. S1.

Table S6. Energetic and kinetic characteristics of the $C\cdot C(w) \leftrightarrow C\cdot C^*(WC)$, $C\cdot C^*(WC) \leftrightarrow C^*\cdot C^*(w)$ and $C^*\cdot C^*(w) \leftrightarrow C^*\cdot O_2\cdot C(w)$ tautomerisations *via* the sequential DPT obtained at the different levels of theory for the geometry calculated at the B3LYP/6-311++G(d,p) level of theory (see also Figs. 4 and S4).

Level of theory	ΔG	ΔE	$\Delta\Delta G_{TS}$	$\Delta\Delta E_{TS}$	$\Delta\Delta G$	$\Delta\Delta E$	$\tau_{99,9\%}$
$C\cdot C(w) \leftrightarrow C\cdot C^*(WC)$ ($\nu_i=239.0i$ cm⁻¹)							
MP2/6-311++G(2df,pd)	-9.06	-10.89	25.25	24.19	34.31	35.08	$3.50\cdot 10^6$
MP2/6-311++G(3df,2pd)	-9.05	-10.88	25.09	24.04	34.15	34.92	$2.69\cdot 10^6$
MP2/cc-pVTZ	-9.25	-11.08	25.70	24.64	34.95	35.73	$7.50\cdot 10^6$
MP2/cc-pVQZ	-8.90	-10.73	25.38	24.32	34.28	35.05	$4.35\cdot 10^6$
$C\cdot C^*(WC) \leftrightarrow C^*\cdot C^*(w)$ ($\nu_i=162.0i$ cm⁻¹)							
MP2/6-311++G(2df,pd)	1.61	1.77	18.59	19.69	16.98	17.92	2.89
MP2/6-311++G(3df,2pd)	1.31	1.47	18.19	19.29	16.88	17.82	2.36
MP2/cc-pVTZ	1.28	1.44	18.78	19.89	17.50	18.45	6.74
MP2/cc-pVQZ	1.34	1.50	18.34	19.44	17.00	17.94	2.90
MP2/6-311++G(2df,pd)	5.81	6.11	6.04	8.73	0.23	2.61	$1.02\cdot 10^{-12}$
MP2/6-311++G(3df,2pd)	6.14	6.44	6.52	9.21	0.38	2.77	$1.33\cdot 10^{-12}$
MP2/cc-pVTZ	6.20	6.50	6.75	9.43	0.55	2.93	$1.75\cdot 10^{-12}$
MP2/cc-pVQZ	6.07	6.36	6.59	9.27	0.53	2.91	$1.69\cdot 10^{-12}$

For the designations see Table S4.

See also summary Table S2 for the Gibbs and electronic energies of the mispairs and TSs relatively the global minimum – the $C\cdot C^*(WC)$ DNA base mispair.

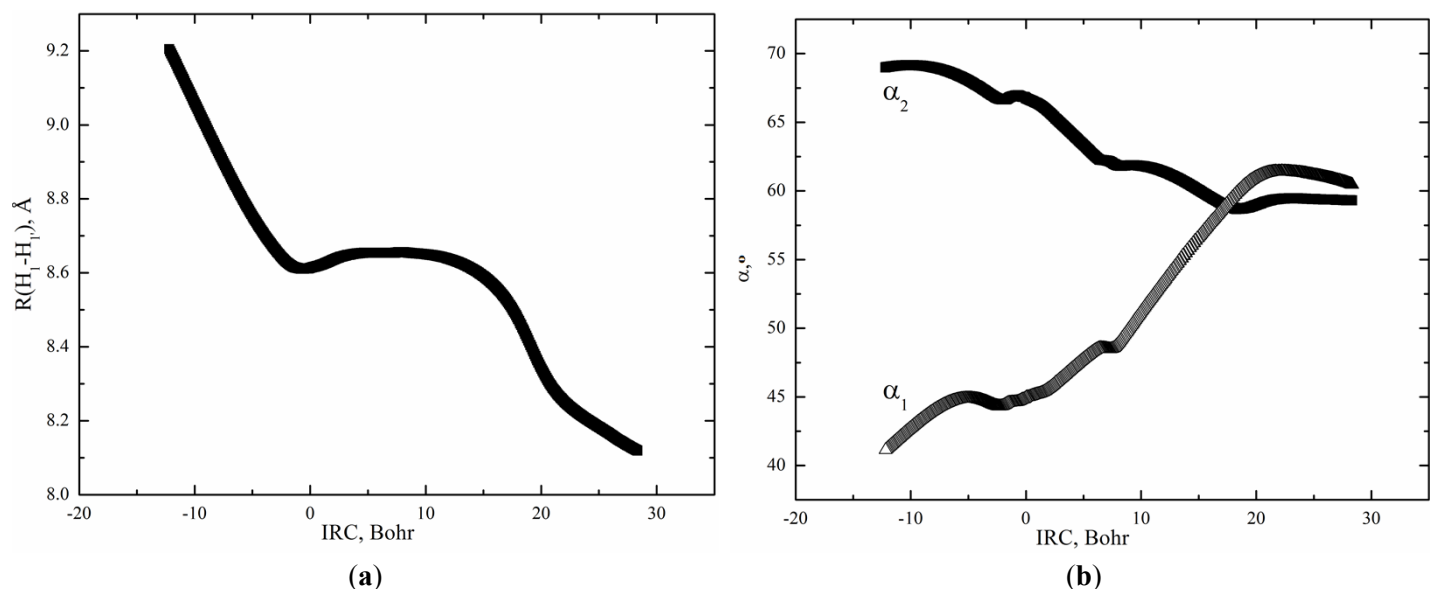


Fig. S5. Profiles of: (a) the $R(H_1-H_{1'})$ distances between the H_1 and $H_{1'}$ glycosidic hydrogens and (b) the $\alpha_1 = \angle N1H_1H_{1'}$ (angle for the base on the left within the base pair) or $\alpha_2 = \angle N1H_1H_1$ (angle for the base on the right within the base pair) glycosidic angles along the IRC of the $C\cdot C(w) \leftrightarrow C\cdot C^*(WC)$ tautomerisation *via* the sequential DPT obtained at the B3LYP/6-311++G(d,p) level of theory (see Figs. 4 and S4).

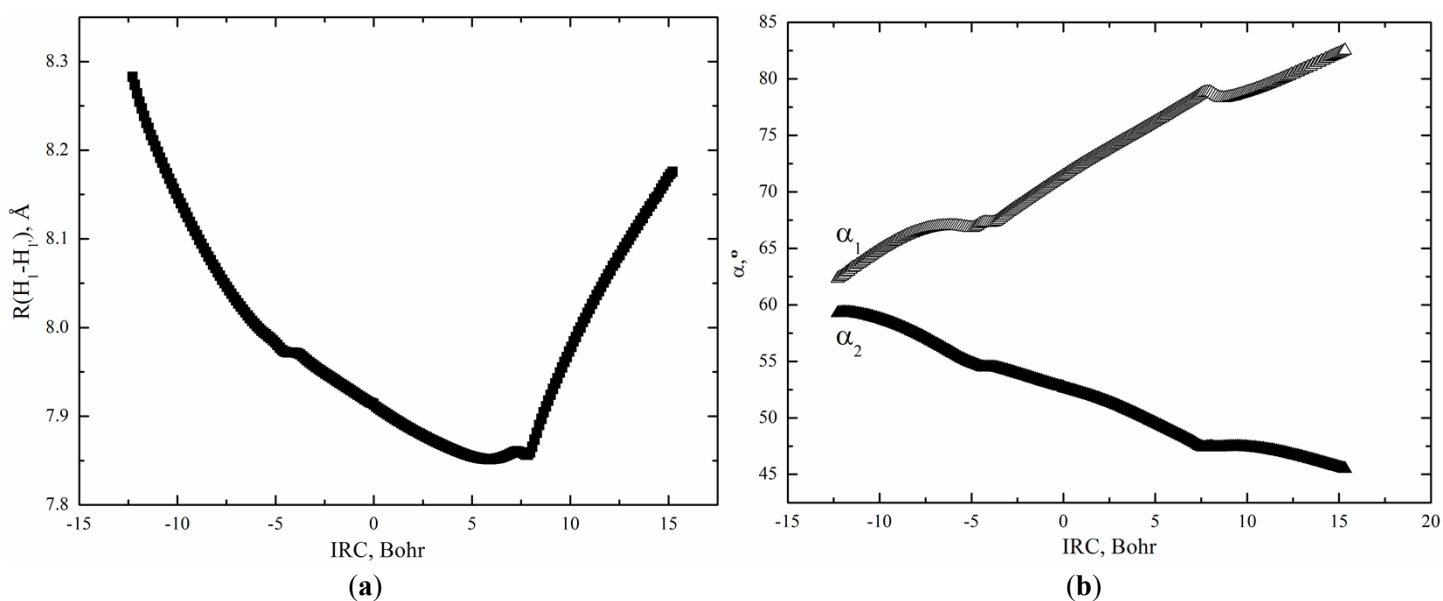


Fig. S6. Profiles of: (a) the $R(H_1-H_{1'})$ distances between the H_1 and $H_{1'}$ glycosidic hydrogens and (b) the $\alpha_1 = \angle N1H_1H_{1'}$ (angle for the base on the left within the base pair) or $\alpha_2 = \angle N1H_1H_1$ (angle for the base on the right within the base pair) glycosidic angles along the IRC of the $C\cdot C^*(WC) \leftrightarrow C^*\cdot C^*(w)$ tautomerisation *via* the sequential DPT obtained at the B3LYP/6-311++G(d,p) level of theory (see Figs. 4 and S4).

Table S7. Patterns of the specific intermolecular interactions including AH···B, AH···HB H-bonds, attractive O/N···O van der Waals contact and loosened A-H-B covalent bridges that sequentially replace each other along the IRC of the C·C(w)↔C·C*(WC) and C·C*(WC)↔C*·C*(w) tautomerisations *via* the sequential DPT accompanied by the structural rearrangement of the base pair and ranges of their existence obtained at the B3LYP/6-311++G(d,p) level of theory (see Figs. 4, 5 and S4).

Patterns	IRC range, Bohr	Intermolecular interactions, forming patterns
C·C(w)↔C·C*(WC)		
I	[-12.19÷-7.98)	N4H···N3, N3···O2
II	[-7.98÷-1.13)	N4H···N4, N4H···N3, N3···O2
III	[-1.13÷-0.69)	N4H···N4, N4-H-N3, N3···O2
IV	[-0.69÷3.98)	N4H···N4, N3H···N4, N3···O2
V	[3.98÷4.16)	N4H···N4, N3H···N4
VI	[4.16÷6.18)	N4H···N4, N3H···N4, N3H···N3
VII	[6.18÷6.70)	N4-H-N4, N3H···N4, N3H···N3
VIII	[6.70÷7.14)	N4H···N4, N3H···N4, N3H···N3
IX	[7.14÷9.25)	N4H···N4, N3H···HN4, N3H···N3
X	[9.25÷12.67)	N4H···N4, N3H···N3
XI	[12.67÷28.34]	N4H···N4, N3H···N3, O2···O2
C·C*(WC)↔C*·C*(w)		
I	[-12.28÷-4.10)	N4H···N4, N3H···N3, O2···O2
II	[-4.10÷-3.63)	N4-H-N4, N3H···N3, O2···O2
III	[-3.63÷-2.34)	N4H···N4, N3H···N3, O2···O2
IV	[-2.34÷-1.05)	N4H···N4, N3H···N3, N3H···O2, O2···O2
V	[-1.05÷-0.47)	N4H···N4, N4H···N3, N3H···N3, N3H···O2, O2···O2
VI	[-0.47÷1.88)	N4H···N4, N4H···N3, N3H···N3, N3H···O2
VII	[1.88÷2.70)	N4H···N4, N4H···N3, N3H···O2
VIII	[2.70÷7.15)	N4H···N3, N3H···O2
IX	[7.15÷7.73)	N4-H-N3, N3H···O2
X	[7.73÷15.32]	N3H···N4, N3H···O2

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