

## Supporting Information

### ***Power-Free Water Pump Based on Superhydrophobic Surface: Generation of Mushroom-Like Jet and Anti-Gravity Long-Distance Transport***

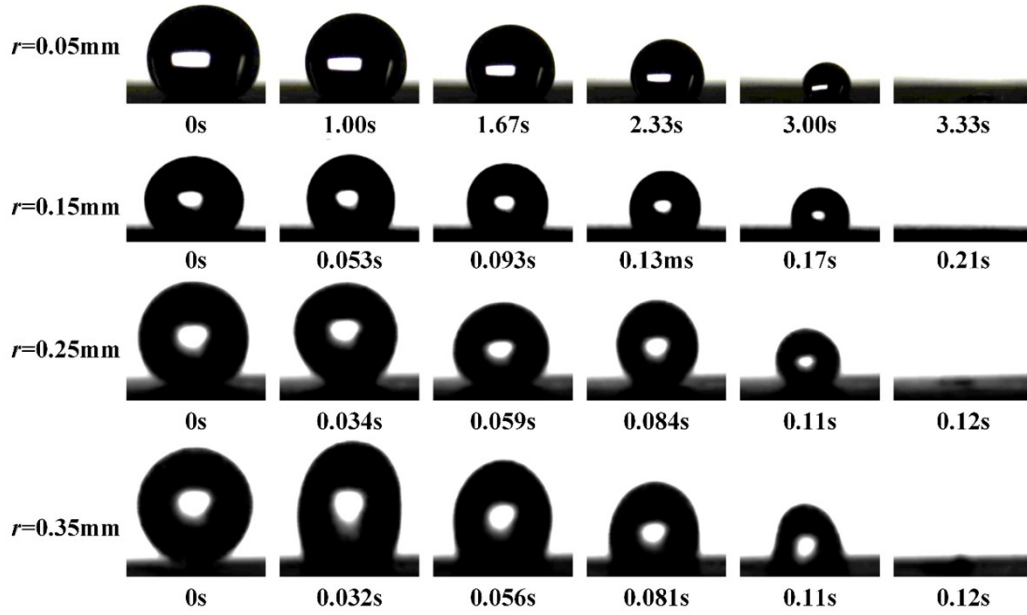
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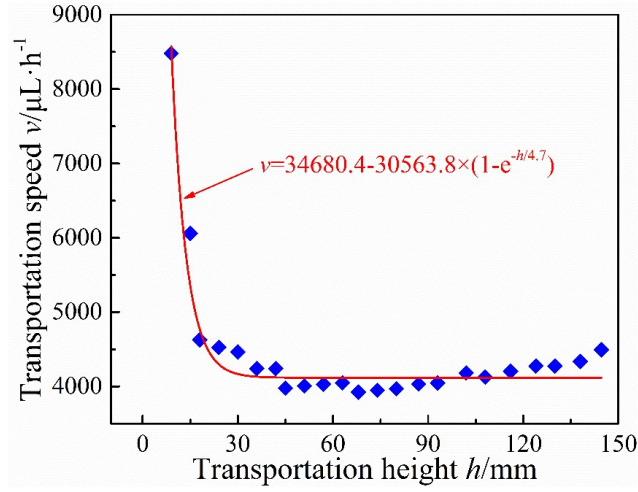


**Fig. S1** Variation of contact angles with time at different pores' diameter. The water droplet with an initial volume 5  $\mu\text{L}$  was in an instable state with a gradually reduced contact angle, which as a function of the time exhibited a similar trend. The self-capturing time was decreasing with the increasing pore's diameter.

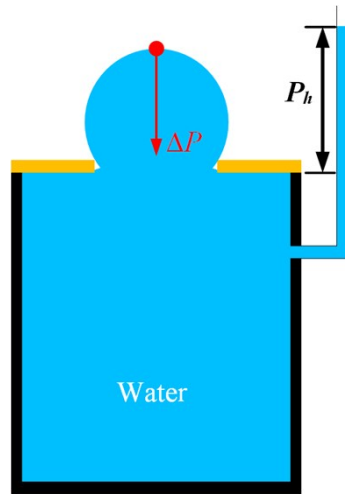
**Table S1** The critical volume  $V_{\text{cri}}$  of water droplets on the superhydrophobic plate with different diameter of pore.  $V_{\text{cri}}$  refers to the critical volume when the contact line just reduced to the pore's diameter ( $R_{\text{cri}} = r / \sin \theta_0$ ), and the critical volume  $V_{\text{cri}}$  is given by Equation (S1).

Pore's radius $r / \text{mm}$	Critical volume $V_{\text{cri}} / \mu\text{L}$	Critical radius $R_{\text{cri}} / \text{mm}$	Critical CA $\theta_0 / ^\circ$
0.05	0.01	0.13	$158^\circ \pm 2^\circ$
0.15	0.27	0.40	$158^\circ \pm 2^\circ$
0.25	1.25	0.67	$158^\circ \pm 2^\circ$
0.35	3.42	0.93	$158^\circ \pm 2^\circ$

$$V_{\text{cri}} = \frac{1}{3} \pi \left( \frac{r}{\sin \theta_0} \right)^3 (2 - 3 \cos \theta_0 + \cos^3 \theta_0) \quad (\text{S1})$$



**Fig. S2** Transportation speed as a function of the transportation height. Results indicated that the increase of transportation height  $h$  resulted in a dramatic decreased and was followed by a decrease gradually because the driving pressure was changed. As shown in Fig.S3, the total driving pressure  $P_{\text{in}}$  can be calculated as Equation (S2).



**Fig. S3** Pressure analysis in the transportation process

$$P_{\text{in}} = \Delta P - P_h \quad (\text{S2})$$

Where  $P_h = \rho gh$ , the increase of  $h$  resulted in an increased  $P_h$  and was followed by a decrease of  $P_{\text{in}}$ . The self-capturing time of water droplet increases with the

decreasing of driving force, resulting in a decreased transportation speed.

### **List of supplementary movies:**

**Movie S1:** Generation processes of the mushroom-like jets under different working conditions and wettabilities. (pore diameter, 0.1mm; droplet volume,  $\sim 6.4 \mu\text{L}$ ).

**Movie S2:** A time-lapsed video clip observed by a high-speed camera of the penetrating process of  $5 \mu\text{L}$  water droplets on the superhydrophobic plate under different pore diameter and playing speed ( $d=0.1 \text{ mm}$ ,  $\times 0.3$  speed;  $d=0.3 \text{ mm}$ ,  $\times 0.025$  speed;  $d=0.5 \text{ mm}$ ,  $\times 0.0083$  speed;  $d=0.7 \text{ mm}$ ,  $\times 0.0083$  speed;  $\Delta t$  is the capturing time).

**Movie S3:** Generation process of the multiple mushroom-like jets (pore diameter, 0.3mm; droplet volume,  $\sim 6.4 \mu\text{L}$ ).

**Movie S4:** The experiment process of measuring sliding angles on the superhydrophobic surface and ordinary surface.

**Movie S5:** The antigravity transport process of the water pump (pore diameter, 0.1 mm; tube diameter, 1 mm; transport height, 144.6 mm).

**Movie S6:** Long distance transport process of the water pump (pore diameter, 0.3 mm; tube length, 1 m; tube diameter, 1 mm).