

# SUPPLEMENTARY DATA

## Interferometric diffusion data

Experimental data on individual diffusion experiments performed using the Gosting diffusimeter are reported below for the PEG-water binary system and for the PEG -DEG-water ternary system (see Tables S1-S8).

A typical diffusion experiment using the Gosting diffusimeter starts from preparing a sharp boundary (using a peristaltic pump) between two uniform solutions of slightly different solute concentrations located inside a vertical channel with inside width  $a$ . In our case, we have:  $a = 2.5057$  cm. The light source used for generating the Rayleigh interference pattern is a He-Ne Uniphase laser with wavelength  $\lambda = 543.5$  nm. A cell holder is located inside a water bath. The temperature of the bath was regulated at  $25.00 \pm 0.001$  °C. The cell holder has the function to support a Tiselius cell, where diffusion occurs, and a mask, which consists of a double window. Here the laser beam is splitted into two parts: one going through the diffusion channel of the Tiselius cell and one passing through the water bath (reference channel). A pair of two cylinder lenses focuses the diffusion channel onto the detector, where the Rayleigh interference pattern is observed and recorded. Rayleigh fringes shift horizontally as the refractive index,  $n$ , inside the diffusion channel changes with vertical height. This gives direct information about refractive index versus vertical position. The difference in refractive index,  $\Delta n$ , between the two solutions is related to the total number of interference fringes  $J$  by  $\Delta n = J\lambda/a$ .<sup>25,50</sup>

Each interferometric diffusion experiment requires the preparation of a pair of solutions with different composition. PEG and DEG are denoted with the labels “1” and “2” respectively. For each solution pair associated, their average molar concentration,  $\bar{C}_1$  and  $\bar{C}_2$ , and the corresponding difference,  $\Delta C_1$  and  $\Delta C_2$  are reported. To obtain the four ternary diffusion coefficients,  $(D_{ij})_V$ , at least four experiments were performed at the same mean composition,  $(\bar{C}_1, \bar{C}_2)$ , but with different values of  $\Delta C_1$  and  $\Delta C_2$ . These concentration differences define the number of fringes of a given experiment by:  $J = R_1 \Delta C_1 + R_2 \Delta C_2$ , where  $R_i = (a/\lambda)(\partial n/\partial C_i)_{C_j, i \neq j}$ . For our ternary system, the values:  $R_1 = 124000 \text{ cm}^3 \text{ mol}^{-1}$  and  $R_2 = 530 \text{ cm}^3 \text{ mol}^{-1}$  were determined fitting the experimental values of  $J$ . In Tables S3-8, six sets of ternary experiments are reported. In Tables S1-8, the following experimental parameters are also reported: densities of bottom and top solutions,  $d_{\text{top}}$  and  $d_{\text{bot}}$ ; the measured number of interference fringes,  $J_{\text{measd}}$ ; the number of interference fringes,  $J_{\text{calcd}}$ , calculated using  $R_1 \Delta C_1 + R_2 \Delta C_2$ , and the measured reduced-height-area ratio,  $D_A$ .<sup>25,50</sup>

The four ternary diffusion coefficients are determined by applying a well-established nonlinear least-squares method to the data of Rayleigh fringe positions.<sup>51</sup> Since diffusion experiments on binary PEG-water systems show a small polydispersity, accurate polydispersity corrections on fringe positions have been applied as described in ref 52 in details.

**Table S1.** Binary diffusion experiment data for PEG-water at 298.15 K

expt	1
$\bar{C}_1$ (mM)	0.2500
$\Delta C_1$ (mM)	0.4454
$d_{bot}$ (g cm <sup>-3</sup> )	0.998587
$d_{top}$ (g cm <sup>-3</sup> )	0.997092
$J_{measd}$	54.970
$D_A$ (10 <sup>-9</sup> m <sup>2</sup> s <sup>-1</sup> )	0.06116

**Table S2.** Binary diffusion experiment data for DEG-water at 298.15 K

expt	1	2	3	4	5	6	7
$\bar{C}_2$ (M)	0.1000	0.2000	0.3000	0.5001	0.9997	1.9937	3.9301
$\Delta C_2$ (M)	0.0931	0.0930	0.0930	0.0931	0.0931	0.0931	0.0914
$d_{bot}$ (g cm <sup>-3</sup> )	0.998953	1.000396	1.001657	1.004837	1.012143	1.026868	1.055142
$d_{top}$ (g cm <sup>-3</sup> )	0.997629	0.999156	1.000558	1.003485	1.010752	1.025373	1.053854
$J_{measd}$	48.731	49.001	49.014	49.205	49.672	50.062	48.812
$D_A$ (10 <sup>-9</sup> m <sup>2</sup> s <sup>-1</sup> )	0.8871	0.8761	0.8646	0.8431	0.7934	0.6988	0.5225

**Table S3.** Ternary diffusion experimental data for 0.25 mM PEG-0.10 M DEG-water at 298.15 K

expt	1	2	3	4
$\bar{C}_1$ (mM)	0.2500	0.2500	0.2501	0.2500
$\bar{C}_2$ (M)	0.1000	0.1000	0.1000	0.1000
$\Delta C_1$ (mM)	0.0000	0.0000	0.4455	0.4454
$\Delta C_2$ (M)	0.0931	0.0931	0.0000	0.0000
$d_{bot}$ (g cm <sup>-3</sup> )	0.999830	0.999930	1.000015	0.999983
$d_{top}$ (g cm <sup>-3</sup> )	0.998621	0.998583	0.998529	0.998557
$J_{measd}$	48.784	48.813	55.081	55.077
$J_{calcd}$	48.792	48.805	55.067	55.091
$D_A$ (10 <sup>-9</sup> m <sup>2</sup> s <sup>-1</sup> )	0.9073	0.9069	0.06085	0.06087

**Table S4.** Ternary diffusion experimental data for 0.25 mM PEG-0.20 M DEG-water at 298.15 K

expt	1	2	3	4
$\bar{C}_1$ (mM)	0.2500	0.2500	0.2500	0.2500
$\bar{C}_2$ (M)	0.2000	0.2000	0.2000	0.2000
$\Delta C_1$ (mM)	0.0000	0.0000	0.4454	0.4454
$\Delta C_2$ (M)	0.0931	0.0931	0.0000	0.0000
$d_{bot}$ (g cm <sup>-3</sup> )	1.001386	1.001388	1.001449	1.001451
$d_{top}$ (g cm <sup>-3</sup> )	0.999976	0.999976	0.999978	0.999980
$J_{measd}$	48.917	48.925	55.264	55.322
$J_{calcd}$	48.921	48.921	55.293	55.293
$D_A$ (10 <sup>-9</sup> m <sup>2</sup> s <sup>-1</sup> )	0.8970	0.8970	0.06100	0.06100

**Table S5.** Ternary diffusion experimental data for 0.25 mM PEG-0.50 M DEG-water at 298.15 K

expt	1	2	3	4
$\bar{C}_1$ (mM)	0.2500	0.2500	0.2500	0.2500
$\bar{C}_2$ (M)	0.5001	0.5001	0.5000	0.5001
$\Delta C_1$ (mM)	0.0000	0.0000	0.4454	0.4454
$\Delta C_2$ (M)	0.09307	0.09307	0.0001	0.0000
$d_{bot}$ (g cm <sup>-3</sup> )	1.005655	1.005657	1.005668	1.005765
$d_{top}$ (g cm <sup>-3</sup> )	1.004339	1.004337	1.004156	1.004283
$J_{measd}$	49.233	49.282	55.227	55.364
$J_{calcd}$	49.257	49.258	55.296	55.295
$D_A$ (10 <sup>-9</sup> m <sup>2</sup> s <sup>-1</sup> )	0.8655	0.8655	0.05941	0.05940

**Table S6.** Ternary diffusion experimental data for 0.25 mM PEG-1.00 M DEG-water at 298.15 K

expt	1	2	3	4
$\bar{C}_1$ (mM)	0.2499	0.2499	0.2499	0.2499
$\bar{C}_2$ (M)	0.9997	0.9997	0.9997	0.9997
$\Delta C_1$ (mM)	0.0000	0.0000	0.4452	0.4452
$\Delta C_2$ (M)	0.0931	0.0930	0.0001	0.0001
$d_{bot}$ (g cm <sup>-3</sup> )	1.012997	1.012919	1.013042	1.013042
$d_{top}$ (g cm <sup>-3</sup> )	1.011638	1.011625	1.011521	1.011521
$J_{measd}$	49.514	49.695	55.701	55.667
$J_{calcd}$	49.623	49.587	55.684	55.684
$D_A$ (10 <sup>-9</sup> m <sup>2</sup> s <sup>-1</sup> )	0.8139	0.8141	0.05803	0.05803

**Table S7.** Ternary diffusion experimental data for 0.25 mM PEG-1.99 M DEG-water at 298.15 K

expt	1	2	3	4
$\bar{C}_1$ (mM)	0.2492	0.2492	0.2493	0.2492
$\bar{C}_2$ (M)	1.9934	1.9938	1.9939	1.9939
$\Delta C_1$ (mM)	0.0001	0.0000	0.4514	0.4514
$\Delta C_2$ (M)	0.0935	0.0930	-0.0097	-0.0098
$d_{bot}$ (g cm <sup>-3</sup> )	1.027650	1.027706	1.027750	1.027726
$d_{top}$ (g cm <sup>-3</sup> )	1.025951	1.026246	1.026359	1.026359
$J_{measd}$	50.081	49.943	51.323	51.325
$J_{calcd}$	50.136	49.887	51.339	51.310
$D_A$ (10 <sup>-9</sup> m <sup>2</sup> s <sup>-1</sup> )	0.7147	0.7152	0.04753	0.04750

**Table S8.** Ternary diffusion experimental data for 0.25 mM PEG-3.93 M DEG-water at 298.15 K

expt	1	2	3	4
$\bar{C}_1$ (mM)	0.2456	0.2456	0.2456	0.2456
$\bar{C}_2$ (M)	3.9297	3.9297	3.9300	3.9297
$\Delta C_1$ (mM)	0.0000	0.0000	0.4361	0.4361
$\Delta C_2$ (M)	0.0915	0.0915	-0.0194	-0.0195
$d_{bot}$ (g cm <sup>-3</sup> )	1.055874	1.055876	1.055847	1.055777
$d_{top}$ (g cm <sup>-3</sup> )	1.054555	1.054553	1.054707	1.054654
$J_{measd}$	48.786	48.866	43.001	42.840
$J_{calcd}$	48.830	48.821	42.897	42.943
$D_A$ (10 <sup>-9</sup> m <sup>2</sup> s <sup>-1</sup> )	0.5317	0.5318	0.03414	0.03420

## Calculation of $\frac{m_2 \mu_{22}^{(m)}}{RT}$ for the DEG-H<sub>2</sub>O binary system at 298.15 K

According to the Van Laar equation applied to the DEG-H<sub>2</sub>O binary system, we have:

$$\frac{\mu_0 - \mu_0^*}{RT} = \ln x_0 + \frac{A}{\left(1 + \frac{A x_0}{B x_2}\right)^2}$$

$$\frac{\mu_2 - \mu_2^*}{RT} = \ln x_2 + \frac{B}{\left(1 + \frac{B x_2}{A x_0}\right)^2}$$

where  $\mu_i^*$  (with  $i = 0, 2$ ) is the chemical potential of pure component  $i$  and  $x_i$  is its mole fraction in the binary mixture. For the DEG-water system at 298.15 K, the following values were taken from ref 40:

$$A = -0.348$$

$$B = -0.90$$

If we insert  $x_2 = m_2 / (m_2 + 1000 / M_0)$  in the expression for  $\mu_2$  and then differentiate  $\mu_2$  with respect to  $m_2$ , we obtain:

$$\frac{m_2 \mu_{22}^{(m)}}{RT} = 1 - \frac{2M_0 B^2}{1000 A} \frac{m_2}{\left(1 + \frac{M_0 B}{1000 A} m_2\right)^3} - \frac{m_2}{m_2 + 1000 / M_0}$$

By applying this equation to the experimental  $m_2$ , we obtain the following values of  $m_2 \mu_{22}^{(m)} / RT$ :

$C_2$ (M)	$m_2$ (mol kg <sup>-1</sup> )	$m_2 \mu_{22}^{(m)} / RT$
0.1000	0.1017	1.0066
0.2000	0.2053	1.0130
0.5000	0.5281	1.0317
0.9997	1.1093	1.0604
1.9938	2.4602	1.1066
3.9298	6.2054	1.1424

## Calculation of $\frac{m_1 \mu_{11}^{(m)}}{RT}$ for the PEG-H<sub>2</sub>O binary system at 298.15 K

We start from the virial expression of the water thermodynamic activity taken from ref 54:

$$\frac{\mu_0 - \mu_0^*}{RT} = -V_0^* c_1 \left( \frac{1}{M_1} + A c_1 + B c_1^2 \right)$$

where  $c_1 = C_1 M_1$  is the mass/volume concentration,  $\mu_0^*$  and  $V_0^*$  are the chemical potential and molar volume of pure water respectively, and the values

$$M_1 = 20729 \text{ g mol}^{-1}$$

$$A = 1.67 \times 10^{-3} \text{ mol cm}^3 \text{ g}^{-2}$$

$$B = 1.96 \times 10^{-2} \text{ mol cm}^6 \text{ g}^{-3}$$

were taken from Table 3 of ref x. The virial expression can be rewritten in terms of PEG molar concentration:

$$\frac{\mu_0 - \mu_0^*}{RT} = -V_0^* C_1 (1 + A' C_1 + B' C_1^2)$$

where  $A' \equiv A M_1^2 = 7.18 \times 10^2 \text{ M}^{-1}$  and  $B' \equiv B M_1^3 = 1.75 \times 10^5 \text{ M}^{-2}$ .

To obtain the expression of the PEG chemical potential, we differentiate  $\mu_0$  and use the Gibbs-Duhem equation at constant temperature and pressure:

$$d\mu_1 = -\frac{C_0}{C_1} d\mu_0 = \frac{V_0^* C_0}{C_1} (1 + 2A' C_1 + 3B' C_1^2) dC_1$$

We therefore obtain:

$$\frac{C_1 \mu_{11}^{(c)}}{RT} = (1 - \bar{V}_1 C_1) (1 + 2A' C_1 + 3B' C_1^2)$$

If we apply eq 4a to the PEG-H<sub>2</sub>O binary system, we finally obtain:

$$\frac{m_1 \mu_{11}^{(m)}}{RT} = (1 - C_1 \bar{V}_1) \frac{C_1 \mu_{11}^{(c)}}{RT} = (1 - \bar{V}_1 C_1)^2 (1 + 2A' C_1 + 3B' C_1^2)$$

At  $C_1 = 0.25 \text{ mM}$ , we obtain:  $m_1 \mu_{11}^{(m)} / RT = 1.38$ .