

## **Supporting information**

### **Development of LiMgBO<sub>3</sub>:Tb<sup>3+</sup> as a new generation material for Thermoluminescence based personnel neutron dosimetry**

*Meghnath Sen*<sup>a, e</sup>, *Rakesh Shukla*<sup>b</sup>, *Nimai Pathak*<sup>c, e</sup>, *Kaustava Bhattacharyya*<sup>b, e</sup>,  
*V. Sathian*<sup>a</sup>, *Probal Chaudhury*<sup>a, e</sup>, *Mukund S. Kulkarni*<sup>d, e</sup> and *Avesh K. Tyagi*<sup>\*b, e</sup>

<sup>a</sup>: Radiation Safety Systems Division, Bhabha Atomic Research Centre, Mumbai-400085, India

<sup>b</sup>: Chemistry Division, Bhabha Atomic Research Centre, Mumbai-400085, India

<sup>c</sup>: Radiochemistry Division, Bhabha Atomic Research Centre, Mumbai-400085, India

<sup>d</sup>: Health Physics Division, Bhabha Atomic Research Centre, Mumbai-400085, India

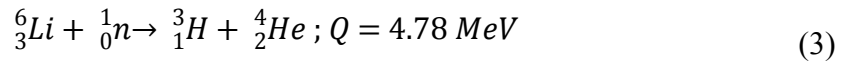
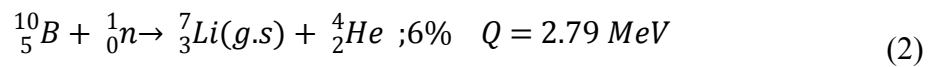
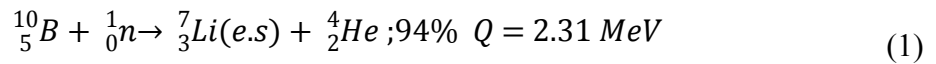
<sup>e</sup>: Homi Bhabha National Institute, Anushaktinagar, Mumbai-40094, India

\*Corresponding author: [aktyagi@barc.gov.in](mailto:aktyagi@barc.gov.in), Phone no.: 0091-22-2559-5330

**Text S1. Systematic basis for selection of LiMgBO<sub>3</sub> as the host material for TL based personnel neutron dosimetry application**

LiMgBO<sub>3</sub> was selected as it offers great dosimetric features that meets the required criteria for personnel neutron dosimetry applications. These are given as follows:

**i.** The presence of <sup>6</sup>Li and <sup>10</sup>B atoms in the host matrix having very high absorption cross section for thermal neutron viz. 940 b and 3840 b, respectively, results in the generation of high LET (Linear Energy Transfer) charged particles, as shown in equations given below: <sup>1</sup>



These particles will deposit their kinetic energy in the host matrix by means of secondary ionisation and create free electrons which may get trapped by the different trap centres and become responsible for the neutron induced TL signal.

**ii.** It is a near tissue equivalent material having effective atomic number  $Z_{\text{eff}} = 9.1$  [calculated using the equation no. 4] which is very close to that of the biological tissue ( $Z_{\text{eff}} = 7.4$ ).<sup>2</sup>

$$Z_{\text{eff}} = \sqrt[2.94]{f_1 \cdot Z_1^{2.94} + f_2 \cdot Z_2^{2.94} + f_3 \cdot Z_3^{2.94} + f_4 \cdot Z_4^{2.94} \dots \dots + f_n \cdot Z_n^{2.94}} \quad (4)$$

Where,  $Z_{\text{eff}}$  = Effective atomic number of the material,

$Z_n$  is the atomic number of elements present in the material

$f_n$  is the fraction of the total number of electrons associated with each element and the exponent of ‘2.94’ is related to the photoelectric cross section of the elements for different photon energy.<sup>3</sup>

**iii.** LiMgBO<sub>3</sub> does not contain any element which has significant radiative capture (n, γ) cross section and thus rule out the possibility of incurring inherent gamma dose upon neutron irradiation as it might be the case elsewhere due to <sup>113</sup>Cd (n, γ) <sup>114</sup>Cd interactions.<sup>4</sup>

### **Text S2. Determination of optical band gap from DR-UVS study**

The optical band gap ( $E_g$ ) of  $\text{LiMgBO}_3:\text{xTb}^{3+}$  ( $\text{x} = 0.0, 0.01, 0.04$  and  $0.06$ ) compounds were estimated from the Diffuse Reflectance Spectra (DRS) spectra by using the Kubelka-Munk function which is given below: <sup>5</sup>

$$F(R) = A (h\nu - E_g)^{m/2} \quad (5)$$

Where  $h\nu$  = photon energy and ‘ $m$ ’ is a constant that depends on the nature of optical transition. For a direct transition,  $m$  is 1 (if allowed) or 3 (if forbidden), while for indirect transitions,  $m$  is 4 (allowed) or 6 (forbidden). For a weakly absorbing semiconductor,  $F(R)$  is proportional to the absorbance ( $A$ ). Hence, the energy intercept of a plot of  $A^2$  (for direct allowed transition) and  $A^{1/2}$  (for indirect allowed transition) versus ‘ $h\nu$ ’ yields the corresponding optical band gap, ‘ $E_g$ ’, when the linear region is extrapolated to the zero ordinate. The direct band gap ( $E_g$ ) and the linear absorption coefficient [ $F(R)$ ] are related by the well-known Tauc relation which is given as follows:

$$[F(R)h\nu]^2 = A(h\nu - E_g) \quad (6)$$

Therefore, a plot of  $[F(R)h\nu]^2$  versus ‘ $h\nu$ ’ is made and the linear portion of the peak is extrapolation of to zero ordinate which gives rise the optical band-gap ( $E_g$ ).

### **Text S3. Chens’s peak shape method**

The method was first proposed by Chen, which uses different temperature parameters of the TL glow peak to determine a symmetry factor ( $\mu_g$ ) as shown in the following equation 5.<sup>6</sup>

$$\mu_g = (\delta/\omega) = \frac{(T_2 - T_m)}{(T_2 - T_1)} \quad (7)$$

Where,  $T_1$  and  $T_2$  are the temperatures at half the TL intensity of the increasing and decreasing side of the TL glow peak and  $T_m$  is the temperature at maximum TL intensity. The shape parameters viz.  $\omega$ ,  $\tau$  and  $\delta$  are defined as  $T_2-T_1$ ,  $T_m-T_1$  and  $T_2-T_m$  respectively. Based on the value of ' $\mu_g$ ' the order of kinetics ( $b$ ) was suggested by Chen.<sup>7</sup> For first and second order peaks the value is 0.42 and 0.52 respectively whereas for other  $\mu_g$  values the order can be obtained from Chen's plot. Once the order of kinetics ( $b$ ) is known the  $E$  and  $s$  values can be determined by the following empirical equations suggested by Chen:

$$E = C_\alpha \frac{kT_m^2}{\alpha} - b_\alpha 2kT_m \quad (8)$$

where  $\alpha$  stands for  $\tau$ ,  $\omega$  and  $\delta$  respectively.  $C_\alpha$  and  $b_\alpha$  were obtained using the expressions given as follows:

$$\begin{aligned} C_\tau &= 1.51 + 3.0 (\mu_g - 0.42) & b_\tau &= 1.58 + 4.2 (\mu_g - 0.42) \\ C_\omega &= 2.52 + 10.2 (\mu_g - 0.42) & b_\omega &= 1 \\ C_\delta &= 0.976 + 7.3 (\mu_g - 0.42) & b_\delta &= 0 \end{aligned} \quad (9)$$

$$s = \frac{\beta E}{kT_m^2} \exp\left(\frac{E}{kT_m}\right) \left[1 + (b-1)\left(\frac{2kT_m}{E}\right)\right]^{-1} \quad (10)$$

Where,  $s$  = Frequency factor ( $s^{-1}$ )

$\beta$  = Heating rate ( $Ks^{-1}$ )

$k$  = Boltzmann's constant ( $JK^{-1}mole^{-1}$ )

$E$  = Activation energy (eV)

$T_m$  = Temperature at maximum TL intensity (K)

$b$  = Order of kinetics

#### **Text S4. Relation between $T_m$ and $\beta$**

The relation between  $T_m$  and  $\beta$  can be obtained from the first derivative of the Randall-Wilkins equation with respect to temperature and equating it to zero which can be given as:<sup>8</sup>

$$\left(\frac{\beta E}{kT_m^2}\right) = s \exp\left(-\frac{E}{kT_m}\right) \quad (11)$$

Rearrangement of the above equation gives rise to the following:

$$\ln(T_m^2/\beta) = \ln\left(\frac{E}{sk}\right) + (E/kT_m) \quad (12)$$

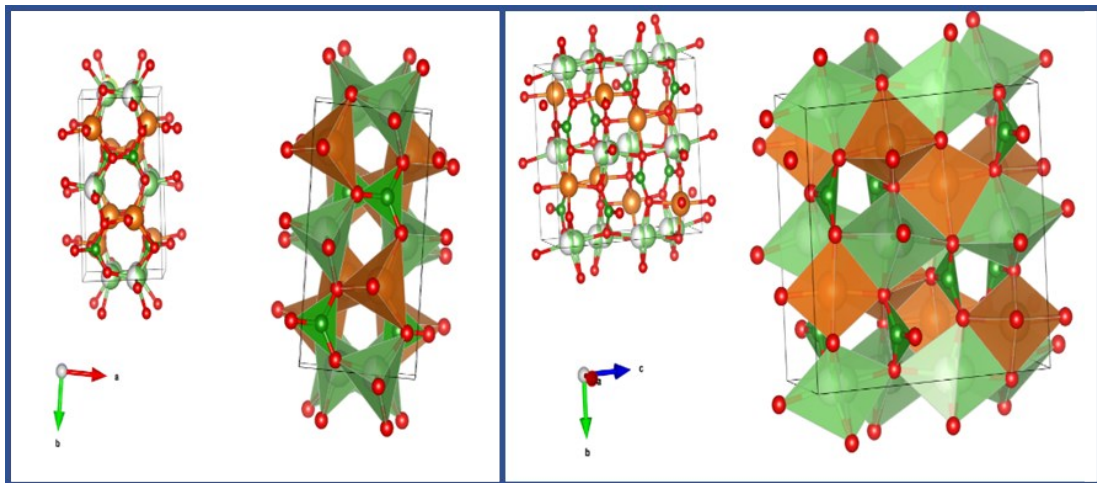
#### **Text S5. Variable heating rate method [Booth and Bohun]:**

The way of evaluating the kinetic parameters from the heating rate data was proposed by two independent researchers, Booth and Bohun who proposed to use only two heating rates ( $\beta_1$  and  $\beta_2$ ) to solve the above **equation 10** to evaluate the activation energy (E) and frequency factor (s) by the following equations: <sup>9, 10</sup>

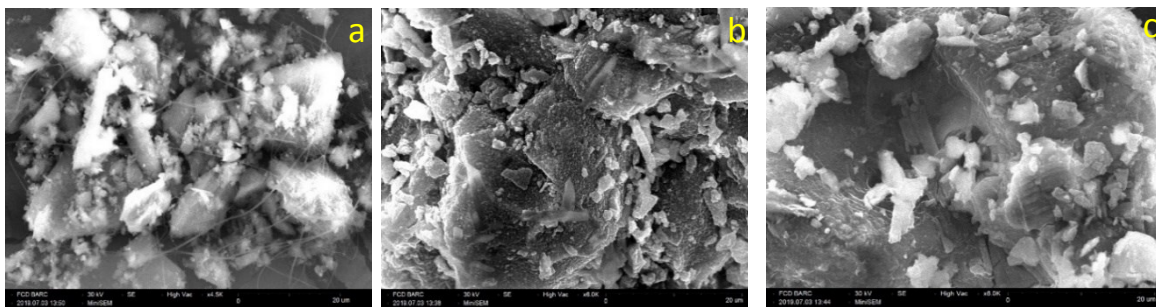
$$E = k \frac{T_{m1} T_{m2}}{(T_{m1} - T_{m2})} \ln \left\{ \left( \frac{\beta_1}{\beta_2} \right) \left( \frac{T_{m2}}{T_{m1}} \right)^2 \right\} \quad (13)$$

$$s = \left( \frac{E}{k} \right) \exp \left[ \left\{ T_{m2} \left( \frac{\ln T_{m2}^2}{\beta_2} \right) \right\} - \left\{ T_{m1} \left( \frac{\ln T_{m1}^2}{\beta_1} \right) \right\} \right] / [T_{m1} - T_{m2}] \quad (14)$$

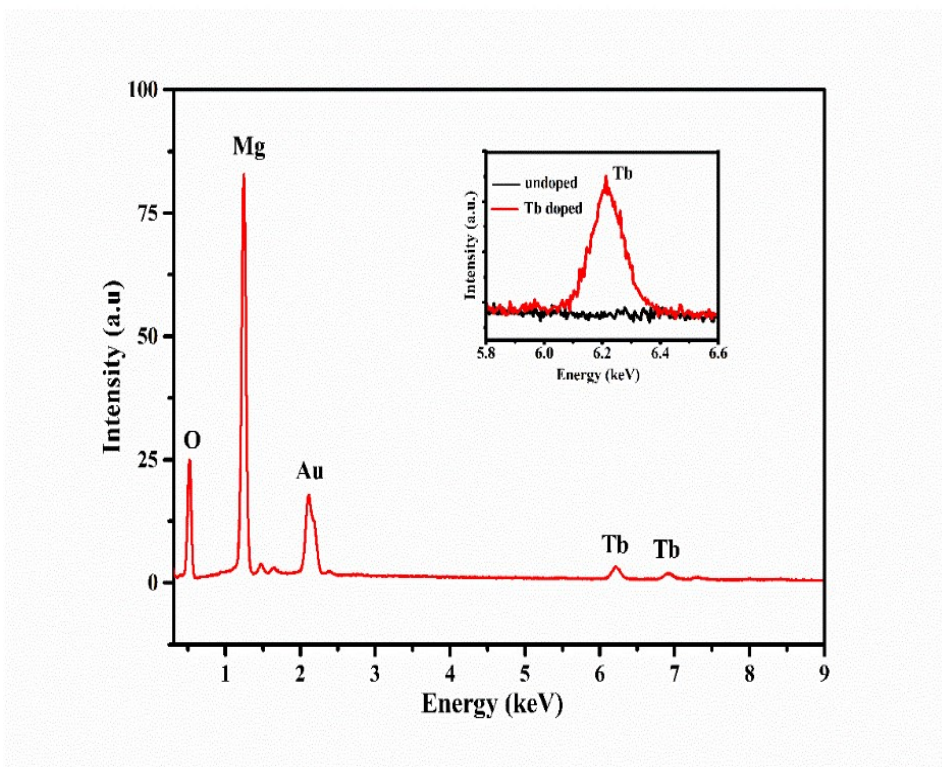
Here,  $T_{m1}$  (K) and  $T_{m2}$  (K) corresponds to the temperatures where the TL intensity reaches maximum for the heating rates  $\beta_1$  (Ks<sup>-1</sup>) and  $\beta_2$  (Ks<sup>-1</sup>) respectively;  $k$  = Boltzmann's constant (JK<sup>-1</sup>mole<sup>-1</sup>) and  $E$  = Activation energy (eV).



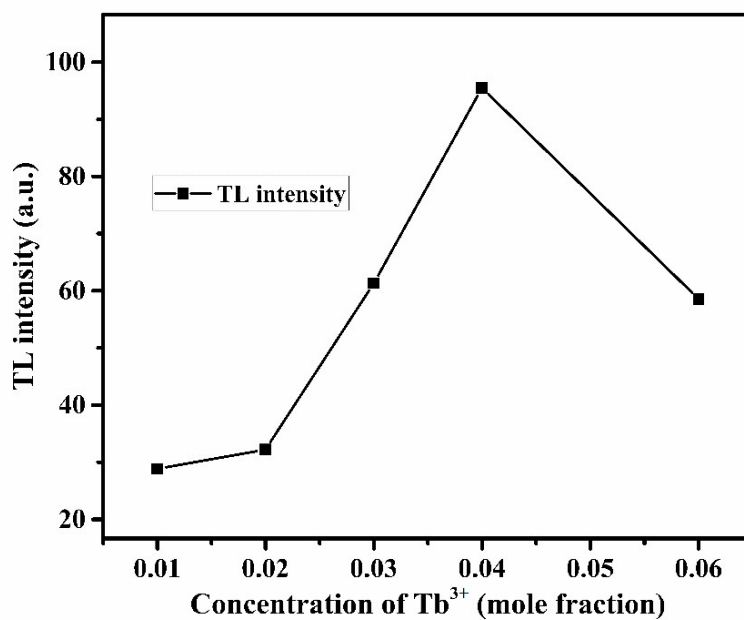
**Figure S1.** The schematic structure in ball and stick framework of LiMgBO<sub>3</sub>



**Figure S2.** SEM micrograph of LiMgBO<sub>3</sub>:xTb<sup>3+</sup> [a, b and c: x= 0.02, 0.04 and 0.06 Tb<sup>3+</sup>]



**Figure S3.** EDS pattern of  $\text{LiMgBO}_3$  and  $\text{LiMgBO}_3: 0.04\text{Tb}^{3+}$



**Figure S4.** TL intensity (area under the curve) vs dopant concentration ( $\text{Tb}^{3+}$ ) variation in  $\text{LiMgBO}_3$

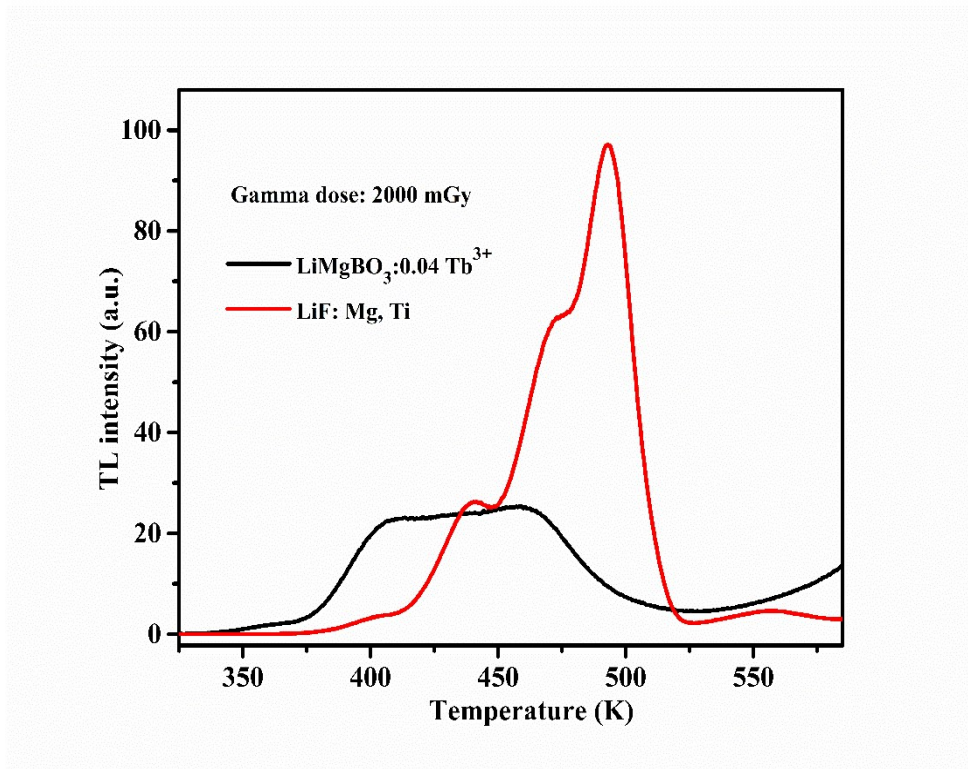


Figure S5. TL glow curve of gamma irradiated  $\text{LiMgBO}_3: 0.04\text{Tb}^{3+}$  and  $\text{LiF:Mg, Ti}$

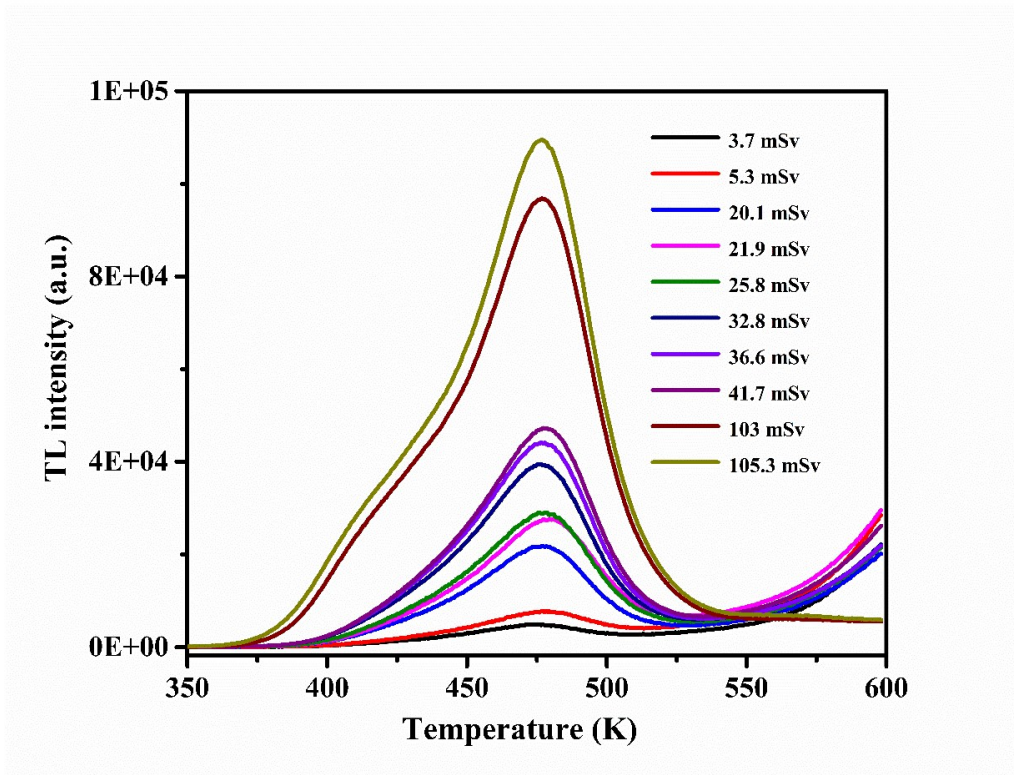


Figure S6. Variation of TL glow curve of  $\text{LiMgBO}_3: 0.04\text{Tb}^{3+}$  for different neutron doses

Sl. No.	LiMgBO <sub>3</sub> : xTb <sup>3+</sup>	Direct Band Gap (eV)
1	x= 0.00	6.30
2	x= 0.01	5.93
3	x= 0.04	5.72
4	x= 0.06	5.69

**Table S1.** Direct band gap values of LiMgBO<sub>3</sub>: xTb<sup>3+</sup>

**Table S2:** Minimum detectable dose estimation of LiMgBO<sub>3</sub>: 0.04Tb<sup>3+</sup> and LiF: Mg, Ti

Data type	Measured values	
	LiMgBO <sub>3</sub> : 0.04Tb <sup>3+</sup>	LiF: Mg, Ti
Avg. background (s <sup>-1</sup> mg <sup>-1</sup> )	(3783 ± 50)	(1943 ± 27)
Net TL signal (s <sup>-1</sup> mg <sup>-1</sup> )	(6.82 ± 0.12) × 10 <sup>5</sup>	(3.08 ± 0.04) × 10 <sup>5</sup>
Dose delivered (mSv)	21.7	21.7
Estimated MDD (μSv)	5	6

**Table S3:** Comparison of neutron and gamma irradiated PL lifetime data of LiMgBO<sub>3</sub>: xTb<sup>3+</sup>

LiMgBO <sub>3</sub> :xTb <sup>3+</sup>	Value of τ <sub>1</sub> (ms)	Contribution (%)	Value of τ <sub>2</sub> (ms)	Contribution (%)	Irradiated radiation
x= 0.04	0.623	7	2.075	93	Neutron
	1.460	36	2.114	64	Gamma
x= 0.06	0.870	13	2.091	87	Neutron
	1.675	50	2.300	50	Gamma

**Table S4.** Kinetic parameters obtained from Chen's peak shape method of analysis

β (Ks <sup>-1</sup> )	T <sub>m</sub> (K)	ω	τ	δ	μ <sub>g</sub>	b	E <sub>avg</sub> (eV)	S <sub>avg</sub> (×10 <sup>9</sup> s <sup>-1</sup> )
0.5	443	45	25	20	0.44	1.1	(0.96 ± 0.02)	(2.6 ± 1.1)
1	451	48	27	21	0.44	1.1	(0.90 ± 0.02)	(0.7 ± 0.3)
3	470	52	29	23	0.44	1.1	(0.92 ± 0.02)	(1.2 ± 0.6)
5	479	54	30	24	0.44	1.1	(0.93 ± 0.02)	(1.5 ± 0.8)



7	488	55	31	24	0.44	1.1	$(0.92 \pm 0.02)$	$(1.0 \pm 0.5)$
---	-----	----	----	----	------	-----	-------------------	-----------------

**Table S5.** Kinetic parameters evaluated by the method suggested by Booth and Bohun

$\beta_1$ (K/s)	$\beta_2$ (K/s)	$T_{m1}$ (K)	$T_{m2}$ (K)	E (eV)	s (s <sup>-1</sup> )
0.5	7	443	488	1.01	$9.8 \times 10^9$
1	3	451	470	0.98	$4.7 \times 10^9$
3	5	470	479	1.02	$1.3 \times 10^{10}$
5	1	479	451	0.99	$6.6 \times 10^{10}$
1	7	451	488	0.92	$1.0 \times 10^9$
<b>Average values</b>				<b><math>0.98 \pm 0.04</math></b>	<b><math>(7.1 \pm 4.8) \times 10^9</math></b>

### References:

1. G. F. Knoll, Radiation Detection and measurement, 3rd edition, New York, 2012.
2. R. C. Murthy, Nature 1965, 207, 398-399.
3. Mayneord W., Unio Internationalis Contra Cancrum, 1937, 2, 271-282.
4. O. Annalakshmi, M. T. Jose, B. Venkatraman, G. Amarendra, Mater. Res. Bull., 2014, 50, 494-498.
5. A. E. Morales, E. S. Mora, U. Pal, Rev. Mex Fis. 2007, 53, 18-22.
6. R. Chen, J. Electrochem., 1969, 116, 1254-1257.
7. R. Chen, J. Mater. Sci., 1976, 11, 1521-1541.
8. J. Azorin, Nucl. Tracks, 1986, 11, 159-166.
9. A. H. Booth, Can. J. Chem., 1954, 32, 214.
10. A. Bohun, Czech. J. Phys., 1954, 4, 91.