

#Supplementary materials: MAPLE program

#Carbon nanotubes sorting due to commensurate molecular wrapping by Olga V. Konevtsova, Daria S. Roshal, Vladimir P. Dmitriev and Sergei B. Rochal

#Calculation of geometric parameters for possible nanotube coatings. Equations (4-7) from the Paper are applied. The results presented in Tables 1 and 2 were obtained using this program.

restart;

#setting the direction vector $\mathbf{S} = \langle h, k \rangle$

$h := -\frac{2}{3} : k := \frac{7}{3} : \#selected indexes correspond to the vector \mathbf{S}_1 , see section 'General approach to the SWCNT selection...'$

#distance between the tube and the coating

dist := 0.34 :

#distance between positions of neighboring carbon atoms

a0 := 0.142 :

#setting the path to the file where the results are written

ff := fopen("D:\rez.txt", WRITE) :

#output of the table header

fprintf(ff, " n m d Ns Dz S T alpha\n") :

#iterate over all possible indices of nanotubes

for n from 0 to 20 by 1 do

for m from 0 to 20 by 1 do

if ((m + n) > 1) then

Q := sqrt(m² + m·n + n²) :

#nanotube diameter

d := evalf($\frac{Q}{\text{Pi}} \cdot a0 \cdot \text{sqrt}(3)$);

#number of molecules per one loop of the helix (see formula (5) in the Paper)

Ns := evalf($\frac{2(m^2 + m \cdot n + n^2)}{(2n + m) \cdot h + (2m + n) \cdot k}$);

#projection of the vector \mathbf{S} on the tube axis

Sz := $\frac{\text{sqrt}(3) \cdot (-m \cdot h + n \cdot k)}{2 \cdot Q}$:

#pitch of the helix

Dz := evalf(Ns·Sz·sqrt(3)·a0);

#side length S of coating supercells

S := evalf($\text{sqrt}\left(Sz^2 \cdot 3 \cdot (a0)^2 + \frac{(Q \cdot \text{sqrt}(3) \cdot a0 + 2 \cdot \text{Pi} \cdot \text{dist})^2}{Ns^2} \right)$);

#integer part of the number Ns

Z := trunc(Ns);

#side length T (T' in the paper) of coating supercells

T := sqrt($\frac{(Q \cdot \text{sqrt}(3) \cdot a0 + 2 \cdot \text{Pi} \cdot \text{dist})^2}{Ns^2} (\text{frac}(Z - Ns + 1))^2 + (Dz + Sz \cdot \text{sqrt}(3) \cdot a0 \cdot (\text{frac}(Z - Ns + 1)))^2$);

#calculating projections for basic nanotube spiral wrapped along the <1, -1 > direction

$$Ap := \text{evalf}\left(\frac{((2n + m) - (2m + n)) \cdot (Q \cdot \sqrt{3}) \cdot a0 + 2 \cdot \text{Pi} \cdot \text{dist}}{2 \cdot Q^2 \cdot \sqrt{3}) \cdot a0}\right) :$$

$$Az := \text{evalf}\left(\frac{\sqrt{3}) \cdot (-m - n)}{2 \cdot Q}\right) :$$

#calculating $T' = \langle Tp, Tz \rangle$ projections onto the vector P and tube axis

$$Tp := \text{evalf}\left(\frac{(Q \cdot \sqrt{3}) \cdot a0 + 2 \cdot \text{Pi} \cdot \text{dist}}{Ns} \cdot (\text{frac}(Z - Ns + 1))\right) :$$

$$Tz := \text{evalf}(Dz + Sz \cdot \sqrt{3}) \cdot a0 \cdot (\text{frac}(Z - Ns + 1)) :$$

#angle α between the vector T' and the direction vector of the basic nanotube spiral

$$\alpha := 180 - \text{evalf}\left(\frac{\arccos\left(\frac{(Az \cdot Tz + Ap \cdot Tp)}{\sqrt{(Az^2 + Ap^2)} \cdot \sqrt{(Tz^2 + Tp^2)}}\right) \cdot 180}{\text{Pi}}\right) ;$$

#printing the geometrical parameters for limited values of the diameter

if ($d > 0.47$) **and** ($d < 1.22$) **then**

fprintf (*ff*,

"%2.0f %2.0f %2.2f %2.2f %2.2f %2.2f %2.2f %2.2f\n", *n*,
m, *d*, *Ns*, *Dz*, *S*, *T*, *Re*(α)) ;

fi;

od;

od;

fclose (*ff*) :