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Note S1 Species validation.

23 The existence of the $\text{Sb}_2(\text{tar})_2^2$ and $\text{Sb}(\text{EDTA})$ species in aqueous solution was evidenced by comprehensive analysis in our previous work**¹** . Fourier transform ion 25 cyclotron resonance mass spectrometry (FT-ICR MS) analysis resolved $C_8H_4NaO_{12}Sb_2$ 26 (Sb₂tar₂Na⁻) at m/z 556.76801, 558.76849 and 560.76862. The Sb(EDTA)⁻ was 27 resolved at m/z 408.96378 and 410.96416. The structures of $Sb_2(tar)_{2}^2$ and $Sb(EDTA)$ in solution were also verified through XANES simulation with FPMXAN codes using DFT optimized structures.

Note S2 Details for the TDDFT calculation.

(1) Computational details

33 Three types of functionals including B3LYP, B2GP-PLYP (in ω B2GP-PLYP version), and M062X were examined. The excited-state calculation was performed using the converged restricted Kohn−Sham wave functions. Scalar relativistic effects of all atoms were treated on the basis of the second order Douglas−Kroll−Hess (DKH2) methods**²** . The adapted versions of the def2 basis sets as DKH-def2-TZVP were used to describe the C, H, O, N atoms. The segmented all-electron relativistically contracted basis sets, SARC-def2-TZVP basis set was used to treat the Sb atoms to correspond to the DKH2 Hamiltonians applied. In order to accelerate the calculation, the RIJCOSX method**³** was employed. The auxiliary basis set of def2-TZVP/C and SARC/J were selected to adapt the RIJCOX method.

 In TDDFT calculation, the triplet excitation and TDA approximation**⁴** was forbidden. The orbital window was set to enable the core electron from all Sb 1s orbitals excited to all unoccupied orbitals with other occupied orbitals fixed. In MP2 calculation from ωB2GP-PLYP cases, the "relaxed" density incorporated orbital relaxation to correct the

47 transition energy. The root number of excitation states for $Sb_2(tar)_{2}^2$ complex and Sb(EDTA)- complex were 150 and 60 to calculate the region in the first 20 eV range from the transition threshold. To explore the validity of methodology to broader regions (70-80 eV at post-edge), the root number were increased to 600 and 300 at M062X/DKH-def2-TZVP level, respectively.

 The orbital component of MOs and NTOs were analyzed based on modified Mulliken atom population defined by Ros & Schuit (SCPA) method and Hirshfeld method 54 embedded in Multiwfn package. Only the half of the NTOs for $Sb_2(tar)_{2}^2$ -complex were analyzed due to the degeneracy of the transition energy. The electron-hole analysis was used to supplement the transition information in complementary with the NTO result.

(2) Data processing

 Theoretical spectra were produced with the orca_mapspc utility program of the ORCA package. A constant Gaussian broadening of 0.1 and 8.0 eV was applied to the calculated transitions for Sb K-edge XAS spectra. The broadening with 0.1 eV permitted to specify the distribution of the transitions, while the broadening with 8.0 eV exactly met the FWHM of the experimental spectrum. Empirical energy shifts were applied to the calculated spectra to match the K-edge XAS spectra to align the position of the peak maximum of the white-line. The ground-state molecular orbitals (MOs) and output NTOs were visualized by VMD and VESTA software.

 68 68 **Figure S1** The complete X-ray absorption spectrum of the solution of (a) $Sb_2(tar)_{2}^{2}$

and (b) Sb(EDTA)- under transmission mode (T) and fluorescence mode (F).

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74 **Figure S2** The comparison of the XANES region of $Sb_2(tat)_{2^2}$ and $Sb(EDTA)$ under

	Excitation energy	Transition oscillator	Normalized calculated
State*	(eV) **	strength $(*10^3)$	intensity
S1	30483.311	39.5	0.83
S ₂	30483.311	31.4	0.83
S ₃	30483.972	23.1	0.43
S ₄	30483.972	20.5	0.43
S ₅	30485.873	51.6	1.00
S ₆	30485.873	48.7	1.00
S13	30491.066	11.4	0.20
S ₁₄	30491.066	11.8	0.20
S ₂ 3	30492.797	9.0	0.22
S ₂₄	30492.797	8.9	0.22

80 **Table S1** Transition oscillator strength for $Sb_2(tar)_{2}^2$ complex

81 * The excited states with transition oscillator strength higher than 0.005 were listed.

82 ** The energy indicated the unshifted excitation energy.

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84

85 **Table S2** Transition oscillator strength for Sb(EDTA)- complex

	Excitation energy	Transition oscillator	Normalized calculated
States	$(eV)^*$	strength $(*10^3)$	intensity
S ₁	30483.450	0.7	0.02
S ₂	30484.117	14.4	0.94
S ₃	30484.509	14.6	1.00
S ₁₇	30493.003	1.0	0.07
S ₁₈	30493.401	1.0	0.07

⁸⁶ * The excited states with transition oscillator strength higher than 0.001 were listed

88 ** The energy indicated the unshifted excitation energy.

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⁸⁷ except for S1.

 Note S3 Transition components (contribution from the molecular orbital pairs) of the 93 theoretical XANES calculation for $\text{Sb}_2(\text{tar})_2^2$ complex. The weights of the individual excitations are omitted if less than 0.05. The unoccupied molecular orbitals highlighted (> 0.20) were plotted in **Figure S3**. The contribution of the atomic groups to MOs were listed in **Table S3** and **Table S4**.

STATE 1: E= 30483.311 eV

 Note S4 Transition components (contribution from the molecular orbital pairs) of the theoretical XANES calculation for Sb(EDTA)- complex. The weights of the individual excitations are omitted if less than 0.05. The unoccupied molecular orbitals highlighted (> 0.20) were plotted in **Figure S4** and **Figure S5** from different perspective. The contribution of the atomic groups to MOs were listed in **Table S5** and **Table S6**.

STATE 1: E= 30483.450 eV

153 **Figure S3** Frontier unoccupied molecular orbital for $Sb_2(tar)_{2}^2$ complex (top view).

Figure S4 Frontier unoccupied molecular orbital for Sb(EDTA)- complex (front view).

Figure S5 Frontier unoccupied molecular orbital for Sb(EDTA)- complex (top view).

Note S5 Description for the frontier molecular orbital shown in **Figure S3**.

163 MO126 is the LUMO of $\text{Sb}_2(\text{tar})_2^2$ complex which consisted of major antiparallel p orbitals. Minor contribution was from nearby deprotonated hydroxyl group and carbon chain. MO127 possessed energy level close to MO126, but the *p* orbitals are parallel in another direction. The *p* orbitals in MO126 and MO127 are vertical to Sb-O bonds. MO126 and MO127 majorly contributes to the S1 states. However, in MO128 and MO129, antimony centers connect to nearby coordinated oxygens with *sp*³ hybrid orbitals. The nodes between antimony and oxygen can be observed. The characteristic 170 can be summarized as $σ*$ orbitals. Based on the bimetallic nature, two similar $σ*$ orbitals can be observed in one molecule. In MO128, the two orbitals are antiparallel, while in MO129, they are parallel in another direction. In the cases of MO130 and MO131, the *p* orbitals contributed less to the molecular orbitals. The *p* orbitals formed nodes with all coordinated oxygen atoms. This feature can be summarized as another 175 type of σ^* . All mentioned orbitals were responsible for the transitions in the major peaks of the white-line.

 Note S6 Description for the frontier molecular orbital shown in **Figure S4 and S5**. The contribution of antimony to the molecular orbital in Sb(EDTA)- complex was 180 smaller than that in $\text{Sb}_2(\text{tar})_2^2$ complex. In most cases, the major contribution to the molecular orbital was attributed to the carbon chains between two tertiary nitrogen atoms, critically, to only the carbon atoms. Although contribution of antimony is small, the *p* orbitals for antimony still can be visualized in **Figure S4**. MO101 is the LUMO of Sb(EDTA)- complex. In MO101 and MO102, the 2s orbitals in noncarboxylic carbon atoms formed bonding orbitals. Then the group orbital interacts with the vertical *p* orbital from antimony. In other cases, it's hard to specify the nature of molecular orbitals.

			Sb		Coordinated atom		C_aH^{**}		$C_{\beta}OO$	
	$E(eV)^*$	$Sb\%$	Sb $p\%$	O_{α} %	$O_6\%$	O_β s%	$tot\%$	$s\%$	$tot\%$	Major component
$MO-0$	-30486.17	100.0	0.0							Sb1s
MO-126	7.34	45.8	38.4	13.1	3.1	1.4	35.2	23.0	6.0	Sb $5p + O_{\alpha}C_{\alpha}H(s)$
MO-127	7.48	49.5	46.5	5.2	13.2	6.9	22.4	19.7	22.9	Sb $5p + C_{\alpha}H(s) + C_{\beta}OO$
MO-128	8.05	50.7	33.8	6.0	6.8		31.0	15.0	12.3	$Sb + C_{\alpha}H$
MO-129	8.23	53.9	31.0	7.2	2.3		35.0	30.4	4.0	$Sb + C_{\alpha}H(s)$
MO-130	8.78	15.7	14.0	6.7	3.8	3.3	61.0	52.0	16.7	$C_{\alpha}H(s)$
MO-131	9.15	7.7	6.7	0.7	1.2		84.5	70.1	7.1	$C_{\alpha}H(s)$

188 **Table S3** Composition of the molecular orbital for $Sb_2(tar)_{2}^2$ complex shown in **Figure S3** (SCPA)

189 * The energy indicated the eigenvalues of the Kohn-Sham equation.

190 ** The species $C_{\alpha}H$ indicated the hydrocarbon chains.

191 The species C_β indicated the carbon atoms of carboxyl group, while O_β indicated the coordinated oxygen.

192 The species O_{α} indicated oxygen of noncarboxylic hydroxyl group.

		Sb			Coordinated atom	$C_{\alpha}H$	$C_{\beta}OO$	Major component
	$E(eV)^*$	Sb1%	Sb2%	O_{α} %	$O_\beta\%$	$tot\%$	tot%	
$MO-0$	-30486.17	100.0						Sb1s
$MO-1$	-30486.17		100%					Sb1s
MO-126	7.34	35.2	35.2	15.2	6.6	4.5	9.9	Sb
MO-127	7.48	33.2	33.2	8.5	14.3	4.9	20.2	$Sb + COO_{\beta}$
MO-128	8.05	33.2	33.2	9.2	12.7	6.3	18.1	Sb
MO-129	8.23	33.0	33.0	18.2	6.3	6.1	9.7	Sb
MO-130	8.78	18.8	18.8	12.0	6.5	29.0	21.4	$Sb + C_{\alpha}H$
MO-131	9.15	14.2	14.2	5.5	5.0	46.6	19.5	$Sb + C_{\alpha}H$

194 **Table S4** Composition of the molecular orbital for $Sb_2(tar)_{2}^2$ complex shown in **Figure S3** (Hirshfeld)

195 * The energy indicated the eigenvalues of the Kohn-Sham equation.

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			Sb		Coordinated atom	$C_{\alpha}H$ **			$C_6H\%**$	$C_{\nu}OO0\%$ **	
	$E(eV)^*$	Sb%	Sb $p\%$	O_{α} %	$N\%$	$tot\%$	$s\%$	$tot\%$	$s\%$	$tot\%$	Component
$MO-0$	-30489.51	100.0	0.0								Sb 1s
MO-101	4.16	5.7	3.9	0.7	10.0(s)	66.2	58.7	15.9	14.3	2.2	$C_{\alpha}H(s)$
$MO-102$	4.82	6.9	3.3	0.3	2.8(p)	73.4	67.0	13.0	8.6	3.9	$C_{\alpha}H(s)$
$MO-103$	5.00	9.9	9.5	3.3	3.7(p)	53.9	45.3	24.6	22.4(p)	7.9	$C_{\alpha}H(s) + C_{\beta}H(p)$
MO-107	5.91	2.7	2.1	1.2	9.4(s)	69.3	61.9	15.6	14.0	3.1	$C_{\alpha}H(s)$
$MO-115$	7.36	0.1		0.2	1.8(p)	74.7	70.1	21.7	19.7	1.6	$C_{\alpha}H(s) + C_{\beta}H(s)$

199 **Table S5** Composition of the molecular orbital for Sb(EDTA)- complex shown in **Figure S4 (**SCPA**)**

200 * The energy indicated the eigenvalues of the Kohn-Sham equation.

201 $**$ The species C_αH indicated the hydrocarbon chain between two nitrogen atoms.

202 The species CβH indicated the hydrocarbon chains between nitrogen atoms and carboxyl groups, while O^α and O^β indicated the coordinated

203 oxygen and the non-coordinated oxygen.

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		Sb		Coordinated atom	$C_{\alpha}H$	$C_6H\%$	$C_{\nu}OO\%$	
	$E (eV)^*$	$Sb\%$	O_{α} %	$N\%$	$tot\%$	$tot\%$	$tot\%$	Component
$MO-0$	-30489.51	100.0						Sb1s
MO-101	4.16	35.0	6.2	6.7	30.5	18.1	9.7	$Sb + C_{\alpha}H$
MO-102	4.82	27.0	5.8	9.6	33.5	18.6	11.3	$Sb + C_{\alpha}H$
MO-103	5.00	47.2	18.0	2.2	8.5	9.3	32.8	$Sb + C\gammaOO$
MO-107	5.91	38.4	16.7	4.1	18.7	13.9	24.9	$Sb + CvOO$
$MO-115$	7.36	4.2	4.3	4.4	39.1	36.3	16.1	$C_{\alpha}H + C_{\beta}H$

209 **Table S6** Composition of the molecular orbital for Sb(EDTA)- complex shown in **Figure S4 (**Hirshfeld**)**

210 ^{*} The energy indicated the eigenvalues of the Kohn-Sham equation.

	Sb $E_{trans}(eV)$ *				Coordinated atom		Functional group	Major component
		Sb%	Sb $5p\%$	$C_{\alpha}H\%$	$C_6OO\%$	$C_{\alpha}H\%$	C_8 OO %	
S1/S2	30495.81	38.0	26.9	34.1	19.2	34.1	19.2	Sb $5p + CaH$
S3/S4	30496.47	23.5	15.5	58.2	13.0	58.2	13.0	Sb $5p + CaH$
S5/S6	30498.37	3.1	1.5	69.4	24.9	69.4	24.9	$C_{\alpha}H + C_{\beta}OO$
S13/S14	30503.57	4.6	1.5	66.9	26.6	66.9	26.6	$C_{\alpha}H + C_{\beta}OO$
S23/S24	30505.3	6.6	2.7	45.0	41.2	45.0	41.2	$C_{\alpha}H + C_{\beta}OO$

225 **Table S7** Composition of the electron NTO for $Sb_2(tar)_{2}^2$ complex (SCPA)

^{*} The transition energy was calculated from the sum of calculated value and the energy shift of 12.5 eV.

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228 **Table S8** Composition of the electron NTO for $Sb_2(tar)_{2}^2$ complex (Hirshfeld)

			Sb		Coordinated atom		Functional group	
	E_{trans} (eV) $*$	Sb1%	Sb2%	O_{α} %	$O_6\%$	$C_{\alpha}H\%$	C_8 OO %	Major component
S1/2	30495.81	42.4	24.4	11.8	9.2	6.6	14.8	Sb
S3/4	30496.47	2.5	61.1	13.6	11.0	6.4	16.4	
S5/6	30498.37	4.1	3.6	3.5	6.4	46.3	42.5	
S13/14	30503.57	9.5	6.8	6.9	10.9	29.2	47.7	$C_{\alpha}H + C_{\beta}OO$
S23/24	30505.30	15.1	6.3	11.4	12.8	28.0	39.2	

²²⁹ * The transition energy was calculated from the sum of calculated value and the energy shift of 12.5 eV.

			Sb	Coordinated atom			Functional group		
	E_{trans} (eV) $*$	$Sb\%$	Sb $5p\%$	O_{α} %	$N\%$	$C_{\alpha}H\%$	$C_6H\%$	$C_{\nu}OO\%$	Major component
S ₁	30494.45	3.2	0.6	0.0	2.3	75.6	16.9	2.0	
S ₂	30495.12	3.3	2.8	1.0	4.7	56.9	28.6	6.7	$C_{\alpha}H$
S ₃	30495.51	0.6	< 0.6	0.4	6.7	73.5	14.8	4.3	$C_{\alpha}H + C_{\beta}H$
S17	30504.00	1.3	1.2	0.6	1.1	51.3	37.9	8.5	$C_{\beta}H$
S18	30504.40	1.5	1.4	0.4	4.4	72.2	20.0	2.0	$C_{\alpha}H + C_{\beta}H$

231 **Table S9** Composition of the electron NTO for Sb(EDTA)- complex (SCPA)

²³² * The transition energy was calculated from the sum of calculated value and the energy shift of 11.0 eV.

233

234 **Table S10** Composition of the electron NTO for Sb(EDTA)- complex for the local structure (Hirshfeld)

		Sb	Coordinated atom			Functional group		Major component $C_{\alpha}H + C_{\beta}H$ Sb $5p + C_\beta H + C_\gamma OO$ $C_{\alpha}H + C_{\beta}H$
	E_{trans} (eV) $*$	$Sb\%$	O_{α} %	$N\%$	$C_{\alpha}H\%$	$C_6H\%$	$C_{\nu}OO\%$	
S ₁	30494.45	4.4	1.4	1.3	59.2	29.2	5.9	
S ₂	30495.12	30.2	15.6	2.7	10.7	24.2	32.2	
S ₃	30495.51	16.5	8.8	2.9	34.6	26.8	19.1	
S17	30504.00	7.7	5.0	2.5	29.8	42.5	17.5	
S18	30504.40	6.8	8.9	3.0	29.6	36.0	24.6	$C_{\alpha}H + C_{\beta}H + C_{\gamma}OO$

²³⁵ * The transition energy was calculated from the sum of calculated value and the energy shift of 11.0 eV.

	Species*	S1	S ₃	S ₅	S13	S ₂ 3
	C1	14.5%	20.3%	32.4%	24.4%	5.1%
	C2	2.3%	23.9%	1.0%	6.9%	4.6%
	C11	1.2%	8.8%	0.7%	7.5%	6.6%
$C_{\alpha}H$	C12	11.9%	3.5%	9.7%	20.1%	22.5%
	H23	1.6%	0.3%	22.8%	6.1%	1.0%
	H9	0.1%	0.0%	2.1%	0.2%	2.6%
	H20	0.2%	0.9%	0.4%	1.3%	0.6%
	H ₂₄	2.2%	0.5%	0.3%	0.4%	2.2%
	C ₃	1.6%	1.3%	5.2%	2.2%	0.2%
	C ₄	1.7%	4.1%	2.3%	1.3%	3.9%
C_{β}	C13	4.9%	2.3%	0.7%	6.4%	2.2%
	C14	2.5%	1.0%	5.7%	7.2%	17.4%
	O10	0.3%	0.2%	0.7%	0.3%	1.3%
	O19	0.9%	0.0%	0.3%	0.6%	2.3%
O_{α}	O ₂ 1	0.8%	0.9%	1.2%	0.8%	1.8%
	O22	6.7%	4.3%	0.4%	0.4%	1.8%
	O ₅	0.4%	0.1%	0.2%	0.2%	0.2%
	O ₇	3.4%	0.6%	1.3%	0.9%	3.2%
O_{β}	O16	1.4%	2.1%	0.3%	2.2%	2.3%
	O18	1.1%	0.1%	0.2%	0.2%	3.3%
	O ₆	0.0%	0.7%	1.1%	0.1%	0.4%
	O ₈	0.3%	0.4%	3.8%	1.6%	0.1%
O_{γ}	O15	1.8%	0.1%	0.0%	0.1%	0.5%
	O17	0.2%	0.3%	4.3%	4.3%	7.6%
${\rm Sb}$	Sb25	15.7%	0.9%	1.8%	4.0%	5.9%
	Sb26	22.3%	22.6%	1.3%	0.6%	0.7%

237 **Table S11** Atomic composition of the electron NTO for $Sb_2(tar)_{2}^2$ complex (SCPA)

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241 **Table S12** Atomic composition of the electron NTO for $Sb_2(tar)_{2}^2$ complex (Hirshfeld)

244

246 **Table S13** Atomic composition of the electron NTO for Sb(EDTA)- complex (SCPA)

248 **Table S14** Atomic composition (%) of the electron NTO for Sb(EDTA)- complex 249 (Hirshfeld)

 Figure S8 Experimental and simulated Sb K-edge X-ray absorption spectrum of 253 $\mathrm{Sb}_2(\tan)_{2^2}$ complex. The subpeaks of experimental spectrum were result from peak fitting roughly based on the calculated spectrum with corresponding characteristics. The calculated spectra were shifted 72.2 eV.

 Figure S9 Experimental and simulated Sb K-edge X-ray absorption spectrum of Sb(EDTA)- complex. The subpeaks of experimental spectrum were result from peak fitting roughly based on the calculated spectrum with corresponding characteristics. The calculated spectra were shifted 70.7 eV.

263 **Figure S10** Heat map for the transitions in $Sb_2(tar)_{2}^2$ complex with IFCT analysis.

 Figure S11 Heat map for the transitions in Sb (EDTA)- complex with IFCT analysis.

Note S7 Definition of the parameter in NTO analysis and electron-hole analysis.

 Process of single-electron excitation can be described as the electron transition from the hole orbital to the electron orbital. However, in most practical cases, the single MO pair representation is not suitable, excitations have to be represented as transition of multiple MO pairs with corresponding weighting coefficients. Therefore, the NTO or 279 electron-hole analysis⁵⁻⁷ were performed. The relevant concept based on this theory was detailed here.

- (1) Density of hole and electron orbital (*ρ*)
- The density of hole and electron orbitals rather than wavefunctions was used in form of

283 $\rho^{\text{hole}}(\mathbf{r})$ and $\rho^{\text{ele}}(\mathbf{r})$, where **r** is the position vector. The integral of the density to the whole 284 space must be one.

$$
285 \quad \int \rho^{hole}(r)dr = 1
$$

$$
286 \quad \int \rho^{ele}(r)dr = 1
$$

287 (2) Centroid distance between hole and electron orbitals (*D*)

288 Centroid can be calculated to reveal most representative position of hole and electron 289 distribution. The centroid (X, Y, Z) was the weighted average of the position of the 290 orbitals where:

291

$$
X_h = \int \rho^{hole}(x) x dx X_e = \int \rho^{ele}(x) x dx
$$

$$
Y_h = \int \rho^{hole}(y) y dy Y_e = \int \rho^{ele}(y) y dy
$$

$$
Z_h = \int \rho^{hole}(z)zdz \, Z_e = \int \rho^{ele}(z)zdz
$$

295

296 Naturally, the centroid distance *D* was written as

297

$$
298 \quad D = \sqrt{(X_h - X_e)^2 + (Y_h - Y_e)^2 + (Z_h - Z_e)^2}
$$

299

300 In this work, the centroid distance *D* was the charge transfer (CT) distance. The 301 definition of the density and centroid distance *D* was identical for both of NTO analysis 302 and electron-hole analysis.

303 (3) RMSD of hole and electron orbitals (*σ*)

304 The root mean square deviation (RMSD, σ) of the hole and electron orbitals can be used 305 to characterize their extent of spatial distribution. The RMSD in different direction was 306 defined as:

308
\n
$$
\sigma_{hole,x} = \sqrt{\int (x - X_h)^2 \rho^{hole}(x) dx} \qquad \sigma_{ele,x} = \sqrt{\int (x - X_h)^2 \rho^{ele}(x) dx}
$$
\n
$$
\sigma_{hole,y} = \sqrt{\int (y - Y_h)^2 \rho^{hole}(y) dy} \qquad \sigma_{ele,y} = \sqrt{\int (y - Y_h)^2 \rho^{ele}(y) dy}
$$

309

$$
\sigma_{hole,z} = \sqrt{\int (z - Z_h)^2 \rho^{hole}(z) dz} \quad \sigma_{hole,z} = \sqrt{\int (z - Z_h)^2 \rho^{ele}(z) dz}
$$

311

312 The overall RMSD of hole and electron orbital was defined as:

313

$$
\sigma_{hole} = \sqrt{\sigma_{hole,x}^2 + \sigma_{hole,y}^2 + \sigma_{hole,z}^2}
$$

$$
315 \quad \sigma_{ele} = \sqrt{\sigma_{ele,x}^2 + \sigma_{ele,y}^2 + \sigma_{ele,z}^2}
$$

316 (4) Transition dipole moment (μ_{CT})

317 The transition dipole moment was defined as the vector of μ_{CT} in definition as: 318

$$
319 \mu_{CT} = (-e(X_e - X_h), -e(Y_e - Y_h), -e(Z_e - Z_h))
$$

320

321 (5) Spatial extension of hole and electron orbitals in CT direction (H_{CT})

 The hole and electron orbital extended to the whole space from the centroid with varied RMSD. The *H* vector (*H*x, *H*y, *H*z) measures average degree of spatial extension of hole and electron distribution in specific direction, where 325

$$
H_x = \frac{\sigma_{hole,x} + \sigma_{ele,x}}{2} H_y = \frac{\sigma_{hole,y} + \sigma_{ele,y}}{2} H_z = \frac{\sigma_{hole,z} + \sigma_{ele,z}}{2}
$$

326 327

328 The H_{CT} was the spatial extension of hole and electron orbitals in CT direction, 329 therefore, it's defined as

$$
H_{CT} = \frac{|H \cdot \mu_{CT}|}{|\mu_{CT}|}
$$

330 331

332 (6) t index

333 The t index is used to measure separation degree of hole and electron in CT direction,

334 in definition of:

335

336 $t = D - H_{CT}$

337

338 (7) Overlap degree of hole and electron orbitals (*S* 2)

339 The overlap degree (S^2) was the integral of the product of density of hole and electron 340 orbitals in any position with definition of:

341

$$
S^2 = \int \rho^{hole}(r)\rho^{ele}(r)dr
$$

343

344 This value was calculated via Becke's grid-based numerical integration approach rather 345 than the analytical.

346

347 (8) *C*ele

348 The density of electron orbital was smoothed with Gaussian-like function.

349

$$
C_{ele}(r) = A_e exp_{\frac{r}{2}} \left(\frac{(x - X_e)^2}{2\sigma_{e,x}^2} - \frac{(y - Y_e)^2}{2\sigma_{e,y}^2} - \frac{(z - Z_e)^2}{2\sigma_{e,z}^2} \right)
$$

351 where A_e was the normalized factor of the function.

352

354 **Table S15** Transition analysis for $Sb_2(tar)_{2}^2$ complex

		NTO analysis			electron-hole analysis		
No.	D(A)	Overlap- S^2	D(A)	$\sigma_{hole}(\AA)$	$\sigma_{ele}(\AA)$	$H_{CT}(A)$	t(A)
S ₁	2.41	0.289	2.39	0.00	2.99	0.88	1.51
S ₃	3.64	0.008	3.67	0.05	2.35	0.69	2.98
S ₅	2.89	0.024	2.86	0.00	3.52	1.05	1.81
S ₁₃	1.93	0.028	1.93	0.05	3.68	1.21	0.72
S ₂ 3	1.75	0.020	1.73	0.00	3.95	0.99	0.74

357 **Table S16** Transition analysis for Sb(EDTA)- complex

358

359

360 **Figure S14** Scheme of the charge transfer transition.

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