## Supporting Information to

# Effect of pore diameter and length on electrochemical $\mathrm{CO}_{2}$ reduction reaction at nanoporous gold catalysts 

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Figure S1 DEMS calibration experiment for (a) $\mathrm{H}_{2}$ and (b) CO, performed in 0.1 phosphate buffer and $0.4 \mathrm{M} \mathrm{NaClO}_{4}$ at $5 \mathrm{mVs}^{-}$ ${ }^{1}$ and a flow rate of $300 \mu \mathrm{Lmin}^{-1}$ in Ar sat. and CO sat. conditions respectively. For determining $K_{H_{2}}^{\circ}$ the Faradaic current for HER and the ionic current at $m / z 2$ as shown in S1a in the top panel and the bottom panel, respectively, were plugged into eqn. 3 (see Section 2.4 in the Main Manuscript) where z was taken to be 2. For determining $K_{C O}^{\circ}$ the Faradaic current for $C O$ oxidation and the ionic current at $\mathrm{m} / \mathrm{z} 28$ as shown in S1b in the top panel and the bottom panel, respectively, were plugged into eqn. 3 (see Section 2.4 in the Main Manuscript) where $z$ was taken to be 2.


Figure S2 Characterization cyclic voltammograms for different Au catalysts in $0.1 \mathrm{M} \mathrm{H}_{2} \mathrm{SO}_{4}$ in Ar sat. environment at 50 mVs ${ }^{1}$ where the charge of the $A u_{x} O_{y}$ reduction peak was used to calculate the electrochemically active surface area (ECSA) of the different samples.


Figure S3 SEM characterization of different nano-porous Au (NpAu) samples, left to right: (a) NpAu1, (b) NpAu2, (c) NpAu3 and (d) NpAu4 where the upper row shows the low magnification SEM images and the lower row shows the high magnification SEM images for the different samples. At the bottom, the residual $A g$ content ( $X_{A g}$ ) as determined by the EDX measurements at low magnification is given for every NpAu sample along with the internal quantification error.

## S1. Estimation of diffusion layer thickness, theoretical limiting current

To calculate the diffusion layer thickness, the ferricyanide-ferrocyanide redox couple was employed (shown in Fig. S4), where the diffusion limited current ( $J_{\text {limiting }}$ ) obtained at -0.15 V (vs $\mathrm{Ag} / \mathrm{AgCl}$ ) was used to calculate the diffusion layer thickness by using Fick's first law of diffusion:
$\delta=\frac{n F D_{F e\left(C N_{6}\right)^{3-}} C_{K_{3} F e(C N)_{6}}^{o}}{J_{\text {limiting }}}$
Where $n$ is no. of electrons involved in the reaction (i.e. $n=1$ ) $F$ is Faraday's constant ( 96485 $\left.\mathrm{Cmol}^{-1}\right), D^{\mathrm{Fe}\left(\left(N_{6}\right)^{3-}\right.}$ is the diffusion coefficient of ferricyanide $\left(7 \times 10^{-6} \mathrm{~cm}^{2} \mathrm{~s}^{-1}\right),{ }_{K_{3}{ }^{F e}(C N)_{6}}^{o}$ is the bulk concentration of potassium ferricyanide ( 10 mM ). The values obtained for the diffusion layer thickness in the dual layer thin cell geometry at different electrolyte flow rates are given in Table S1. Moreover, based on the diffusion layer thickness values, the mass transported limited current densities (calc. by using eqn. 1), both for CO2RR and bicarbonate-mediated HER are also calculated in Table S1.
We note that the partial currents due CO2RR and HER remain far below the theoretically calculated mass transport limiting currents calculated by using bulk concentrations of the reacting species (see column 4 of Table S1) under the experimental conditions of our measurements (electrolyte flowrate of $300 \mu \mathrm{~L} \mathrm{~min}^{-1}$; experimental data shown in Fig. 1 of the main manuscript).


Figure S4 Determination of the diffusion layer thickness in the dual thin layer cell: cyclic voltammograms obtained in 0.1 M $\mathrm{NaHCO}_{3}$ and $0.4 \mathrm{M} \mathrm{NaClO}_{4}$ with $10 \mathrm{mM} \mathrm{K}_{3} \mathrm{Fe}(\mathrm{CN})_{6}$ at a scan rate of $5 \mathrm{mVs}^{-1}$, at different flow rates, where the diffusion limited currents for ferricyanide reduction at -0.15 V vs $\mathrm{Ag} / \mathrm{AgCl}$ (indicated by the dotted line) were used to calculate the diffusion layer thickness by using Fick's law.

| Flow rate <br> $(\mu \mathrm{L} / \mathrm{min})$ | Diffusion <br> layer <br> thickness | $\mathrm{J}_{\text {CO2RR }}$ <br> $\left(\mathrm{mA} / \mathrm{cm}^{2}\right)$ at | $\mathrm{J}_{\text {HER Limiting(theo.) }}$ <br> $\left(\mathrm{mA} / \mathrm{cm}^{2}\right)$ in <br> $0.1 \mathrm{M} \mathrm{NaHCO}_{3}$ |
| :---: | :---: | :---: | :---: |


|  | $(\mu m)$ | 0.5 atm. $\mathrm{CO}_{2}$ |  |
| :---: | :---: | :---: | :---: |
| 200 | 374.8 | -1.40 | -6.17 |
| 250 | 336.1 | -1.56 | -6.89 |
| 300 | 323.7 | -1.62 | -7.15 |
| 350 | 297.2 | -1.76 | -7.79 |
| 400 | 293.2 | -1.79 | -7.89 |
| 500 | 261.4 | -2.01 | -8.85 |

Table S1 Diffusion layer thickness (middle column) at different flow rates as calculated from the data shown in Figure S4 by using Fick's first law of diffusion, where no. of electrons involved were taken to be 1, concentration of $K_{3} F e(C N)_{6}$ was taken to be 10 mM , diffusion coefficient of $\mathrm{Fe}(\mathrm{CN})_{6}{ }^{3-}$ was taken to be $7 \times 10^{-6} \mathrm{~cm}^{2} \mathrm{~s}^{-1}$ and Faraday's constant was taken to be 96485 $\mathrm{Cmol}^{-1}$. Thereafter, the theoretical diffusion limited current for CO2RR and bicarbonate mediated HER were calculated under the condition of our studies by again using Fick's law where the no. of electrons involved in the reaction was taken to be 2 and the concentration of $\mathrm{CO}_{2}$ (aq.) was taken to be $16.5 \mathrm{mM}\left(0.5 \mathrm{~atm} . \mathrm{CO}_{2}\right)$, the concentration of $\mathrm{HCO}_{3}^{-}$was taken to be 0.1 $M$, the diffusion coefficient of $\mathrm{CO}_{2}$ was taken to be $1.6 \times 10^{-5} \mathrm{~cm}^{2} / \mathrm{s}$, the diffusion coefficient of $\mathrm{HCO}_{3}^{-}$was taken to be 1.2
$\times 10^{-5} \mathrm{~cm}^{2} / \mathrm{s}$ and the values for the diffusion layer thickness were taken from the middle column of the table.

## S2. Estimation of the local pH and local bicarbonate ion concentration

Both CO2RR as well as bicarbonate mediated HER lead to an increase in the local pH at the electrode surface, as the former leads to the generation of hydroxyl ions, while the latter leads to the consumption of the proton donor species i.e. bicarbonate ions. Then under the steady-state conditions, we can consider that the amount of hydroxyl ions generated and the amount of protons (i.e. bicarbonate ions) consumed will correspond to their mass transport flux to the surface. Hence, we obtain the following eqn. for $j_{\text {tot }}$ :
$j_{t o t}=j_{\text {HER }}+j_{\text {CO2RR }}$

$$
\begin{equation*}
=k_{e f f}^{\mathrm{HCO}_{3}^{-}} F\left(\left[\mathrm{HCO}_{3}^{-}\right]_{\text {bulk }}-\left[\mathrm{HCO}_{3}^{-}\right]_{\text {surf }}\right)+k_{e f f}^{\mathrm{OH}^{-}} F\left(\left[\mathrm{OH}^{-}\right]_{\text {Surf }}-\left[\mathrm{OH}^{-}\right]_{\text {bulk }}\right) \tag{S2}
\end{equation*}
$$

Where $k_{\text {eff }}$ is the effective mass transfer coefficient of $\mathrm{HCO}_{3}{ }^{-}$ions and $\mathrm{OH}^{-}$ions such that $k_{e f f}=\frac{D_{\text {eff }}}{\delta_{\text {eff }}}$ where $D_{\text {eff }}$ is the effective diffusion coefficient which depends on the porosity of the catalyst i.e. $D_{\text {eff }}=P^{\prime} D$. Here, $P^{\prime}$ is porosity of the catalyst corrected by its tortuosity ( $\tau$ i.e. $P^{\prime}=\frac{P}{\tau}$ coefficient of the species in the solution phase. ${ }^{1}$ Hence, with increasing coarsening, the effective diffusion coefficient increases, due to the increasing porosity of the catalyst. ${ }^{1}$ And changes in the catalyst porosity lead to corresponding changes in the concentration gradients of these species at the electrode surface. Based on previous studies, ${ }^{1}$ we will assume here that $P^{\prime}$ (corrected porosity) of our catalysts varies between 0.2 to 0.8 in going from the least coarsened sample to the most coarsened sample i.e. with decreasing surface roughness. We
note that these are two extreme values and, in the samples used in our studies, we may have different porosities than these values. However, we will take these two extremes as representative of the least coarsened sample (NpAu4) and the most coarsened sample (NpAu1) in our study, respectively. Moreover, we assume that the effective diffusion layer thickness ( $\delta_{e f f}$ ) is essentially the length of the NpAu sample corrected by its tortuosity ( $\delta_{e f f}=L \tau$; where $L$ is the length of the porous channel i.e. thickness of the catalyst layer). ${ }^{2}$ Since we do not have the precise value of pore length of our catalysts, here we will assume that it varies between $250 \mu_{\mathrm{m}}$ to $200 \mu_{\mathrm{m}}$ in going from the least coarsened sample ( $P^{\prime}=0.2$ ) to the most coarsened sample ( $P^{\prime}=0.8$ ). We note that based on previous studies, we would expect our pore length to be a bit shorter than $200 \mu_{\mathrm{m} .}{ }^{3}$ Here we use slightly higher values of pore length to see if we will reach mass transport limitations on nanoporous catalysts under more extreme conditions.
For the solution phase reactions, we will only consider the homogeneous equilibria between bicarbonate, hydroxyl and carbonate ions i.e. $\mathrm{HCO}_{3}^{-}+\mathrm{OH}^{-} \leftrightarrow \mathrm{CO}_{3}^{2-}+\mathrm{H}_{2} \mathrm{O}$. This is a reasonable assumption because the rate of homogeneous $\mathrm{HCO}_{3}{ }^{-}$consumption is much faster than the rate of homogenous $\mathrm{CO}_{2}$ consumption.
Then by considering that the homogeneous reaction between one ion of $\mathrm{HCO}_{3}{ }^{-}$and $\mathrm{OH}^{-}$yields one ion of $\mathrm{CO}_{3}{ }^{2-}$ and given that bicarbonate and carbonate have nearly identical diffusion coefficients $\left({ }^{D} \mathrm{CO}_{3}^{2-}=1.6 \times 10^{-5} \mathrm{~cm}^{2} / \mathrm{s} ; \quad{ }^{D}{ }^{\mathrm{HCO}}{ }_{3}^{-}=1.2 \times 10^{-5} \mathrm{~cm}^{2} / \mathrm{s}\right)$, we can assume the concentration gradient between surfaces and bulk electrolyte is nearly identical for bicarbonate and carbonate, respectively. This translates into eqn. S3, which states that the surface concentration of carbonate $\left[\mathrm{CO}_{3}^{2-}\right]_{\text {surf }}$ equals the bulk concentration of bicarbonate $\left[\mathrm{HCO}_{3}^{-}\right]_{\text {bulk }}$ minus the surface concentration of bicarbonate $\left[\mathrm{HCO}_{3}^{-}\right]_{\text {surf }}$ (we consider that the bulk concentration of carbonate is negligible):
$\left[\mathrm{CO}_{3}^{2-}\right]_{\text {surf }}=\left[\mathrm{HCO}_{3}^{-}\right]_{\text {bulk- }}\left[\mathrm{HCO}_{3}^{-}\right]_{\text {surf }}$
Rearrangement of eqn. S 3 and condsidering the homogeneous equilibria of $\mathrm{HCO}_{3}^{-}\left(\mathrm{HCO}_{3}^{-}+\right.$ $\mathrm{OH}^{-} \leftrightarrow \mathrm{CO}_{3}^{2-}+\mathrm{H}_{2 \mathrm{O}}$; $K_{e q=4.8} \times 10^{3} \mathrm{~L} \mathrm{~mol}^{-1} \mathrm{~S}^{-1}$ ) yields eqn. S 4 , which gives the following expression for the surface concentration of bicarbonate ions:
$\left[\mathrm{HCO}_{3}^{-}\right]_{\text {surf }}=\frac{\left[\mathrm{HCO}_{3}^{-}\right]_{\text {bulk }}}{1+\mathrm{K}_{\text {eq }}\left[\mathrm{OH}^{-}\right]_{\text {surf }}}$
By substituting the expression for $\left[\mathrm{HCO}_{3}^{-}\right]_{\text {surf }}$ from eqn. S 4 into eqn. S2 we get:
$j_{\text {tot }}=k_{\text {eff }}^{\mathrm{HCO}_{3}^{-}} F\left(\left[\mathrm{HCO}_{3}^{-}\right]_{\text {bulk }}-\frac{\left[\mathrm{HCO}_{3}^{-}\right]_{\text {bulk }}}{1+\mathrm{K}_{\text {eq }}\left[\mathrm{OH}^{-}\right]_{\text {surf }}}\right)+k_{\text {eff }}^{\mathrm{OH}^{-}} F\left(\left[\mathrm{OH}^{-}\right]_{\text {surf }}-\left[\mathrm{OH}^{-}\right]_{\text {bulk }}\right)$
The above eqn. can be rearranged to get a quadratic eqn. for $\left[\mathrm{OH}^{-}\right]_{\text {surf }}$ which can be solved as follows:
$\left[\mathrm{OH}^{-}\right]_{\text {surf }}=\frac{-b \pm \sqrt{b^{2}-4 a c}}{2 a}$
where
$a=K_{e q} k^{O H{ }^{-}}{ }^{-}$
$b=K_{e q} k^{\mathrm{HCO}^{-}}{ }_{\text {eff }}\left[\mathrm{HCO}_{3}^{-}\right]_{b u l k}+k_{e f f}^{O H^{-}}-K_{e q} k^{\mathrm{OH}_{\text {eff }}^{-}}\left[\mathrm{OH}^{-}\right]_{b u l k}-\frac{j_{\text {tot }} K_{e q}}{F}$
$c=k_{e f f}^{O H^{-}}\left[\mathrm{OH}^{-}\right]_{\text {bulk }}-\frac{j_{\text {tot }}}{F}$
In Fig. S5 we have calculated the surface pH (eqn. S6) as well as the value of $\left[\mathrm{HCO}_{3}^{-}\right]_{\text {surf }}$ (eqn. S4) at 3 different catalyst porosities ( $P^{\prime}=0.8,0.5,0.2$ ), where the catalyst roughness increases with decreasing porosity. Moreover, we use the $j_{\text {tot }}$ (total geometric current density) value obtained in Fig. 1d (main manuscript) on flat Au catalysts for all the calculations. We note that our experimental measurements have shown that the total geometric current density remains unperturbed with changing catalyst roughness, it's only the ratio of $J_{\text {HER }}$ and $J_{\text {CO2RR }}$ that changes. Hence, in our calculations, the changes in the local concentration gradients with changing catalyst roughness are essentially accounted for by the changing effective mass transfer coefficient of bicarbonate and $\mathrm{OH}^{-}$with changing catalyst porosity.


Figure S5 Calculated (a)Surface pH (b) $\left[\mathrm{HCO}_{3}^{-}\right]_{\text {surf }}$ as a function of applied potential (vs RHE) as obtained from eqn. S6 and $S 4$ respectively. Here $j_{\text {tot }}$ was taken from the experimentally obtained current densities shown in Fig. 1 (main manuscript) and $\delta$ was taken to be $323.7 \mu \mathrm{~m}$ (corresponds to the electrolyte flow rate of $300 \mu_{L / m i n}$ which is used in our experiments). The changing porosity of the catalyst surface was used to calculate the effective diffusion coefficients of bicarbonate and $\mathrm{OH}^{-}$ such that $D_{\text {eff }}=P^{\prime} D$ where ${ }^{D}{ }_{H^{\prime}}{ }_{3}^{-}$was taken to be $1.2 \times 10^{-5} \mathrm{~cm}^{2} / \mathrm{s}$ and ${ }^{D} \mathrm{OH}^{-}$was taken to be $5.27 \times 10^{-5} \mathrm{~cm}^{2} / \mathrm{s}$. A decreasing corrected porosity $P^{\prime}$ represents an increasing catalyst roughness.

In Fig. S5 we see that the surface pH is more alkaline than the bulk pH (bulk $\mathrm{pH}=7$ ), irrespective of the catalyst porosity/roughness. Moreover, as expected, as the catalyst roughness increases (decreasing porosity $P$ ) the surface pH shows a corresponding increase. At the most negative applied overpotential ( -1.25 V vs RHE) the surface pH increases from 11.2 (for $P^{\prime}=0.8$ ) to 12 (for $P^{\prime}=0.2$ ). Hence the surface concentration of hydroxyl ions increases from $1.9 \times 10^{-3} \mathrm{M}$ to $1 \times 10^{-2} \mathrm{M}$ in going from the least rough catalyst to the roughest catalyst. Moreover, this increase in the surface concentration of hydroxyl ions leads to a corresponding decrease in the surface concentration of bicarbonate ions such that it decreases from 0.095 M for $P^{\prime}=0.8$ to 0.085 M for $P^{\prime}=0.2$. And even though the surface concentration of bicarbonate ions is decreasing with increasing catalyst roughness, they are not yet entirely depleted at the surface. Moreover, in Fig. S6 we show the calculated current for HER with different catalyst porosities, and in agreement with the experimental results shown in Fig. 1e of the main manuscript, we see a suppression in the HER current with increasing catalyst roughness. Hence, there is a qualitative agreement between our experimental results and the calculated current densities for HER.


Figure S6 Calculated $j_{H E R}$ as obtained by eqn. S2, where the surface concentration of bicarbonate ions was taken from Fig. S5b and the bulk concentration of bicarbonate ions was taken to be 0.1 M . The diffusion layer thickness was $\delta$ was taken to be $323.7 \mu \mathrm{~m}$ (corresponds to the electrolyte flow rate of $300 \mu_{\mathrm{L} / \mathrm{min}}$ which is used in our experiments). The changing porosity of the catalyst surface was used to calculate the effective diffusion coefficients of bicarbonate such that $D_{\text {eff }}=P^{\prime} D$ where D $\mathrm{HCO}_{3}^{-}$was taken to be $1.2 \times 10^{-5} \mathrm{~cm}^{2} / \mathrm{s}$ and $\mathrm{D}_{\mathrm{OH}}{ }^{-}$was taken to be $5.27 \times 10^{-5} \mathrm{~cm}^{2} / \mathrm{s}$. A decreasing corrected porosity $P^{\prime}$ represents an increasing catalyst roughness.


Figure S7 Partial current density for CO formation on Flat Au as obtained from the ionic current at $\mathrm{m} / \mathrm{z} 28$ by using eqn. 3 (in the main manuscript) with 0.5 atm . of $\mathrm{CO}_{2}$ in $0.1 \mathrm{M} \mathrm{NaHCO}_{3}$ and $0.4 \mathrm{M} \mathrm{NaClO}_{4}$ containing electrolyte at (a) different flow rates and (b) different scan rates.


Figure S8 Partial specific current density for CO formation as obtained from the ionic current at $m / z 28$ by using eqn. 3 (Main Manuscript) with 0.5 atm. $\mathrm{CO}_{2}$ in $0.1 \mathrm{M} \mathrm{NaHCO}_{3}$ and $0.4 \mathrm{M} \mathrm{NaClO}_{4}$ containing electrolyte (blue) and in $0.1 \mathrm{M} \mathrm{NaHCO}_{3}$ and 2 $\mathrm{M} \mathrm{NaClO}_{4}$ containing electrolyte (purple) at a scan rate of $5 \mathrm{mVs}^{-1}$ and a flow rate of $300 \mu \mathrm{Lmin}^{-1}$ on (a) NpAu 2 and (c) NpAu3 and Partial current density for HER as obtained from the ionic current at $\mathrm{m} / \mathrm{z} 2$ by using eqn. 3 (Main Manuscript) with 0.5 atm. $\mathrm{CO}_{2}$ in $0.1 \mathrm{M} \mathrm{NaHCO}_{3}$ and $0.4 \mathrm{M} \mathrm{NaClO}_{4}$ containing electrolyte (red) and in $0.1 \mathrm{M} \mathrm{NaHCO}_{3}$ and $2 \mathrm{M} \mathrm{NaClO}_{4}$ containing electrolyte (orange) at a scan rate of $5 \mathrm{mVs}^{-1}$ and a flow rate of $300 \mu \mathrm{Lmin}^{-1}$ on (b) NpAu2 and (d) NpAu 3.


Figure S9 (a) Partial geometric current density for CO formation on different Au catalysts as obtained from the ionic current at $\mathrm{m} / \mathrm{z} 28$ by using eqn. 3 (Main Manuscript) with $0.5 \mathrm{~atm} . \mathrm{CO}_{2}$ in $0.1 \mathrm{M} \mathrm{NaHCO}_{3}$ and 2 M NaClO 4 containing electrolyte at a scan rate of $5 \mathrm{mVs}^{-1}$ and a flow rate of $300 \mathrm{Lmin}^{-1}$. (b) Partial geometric current density for HER and (c) Partial specific current density for HER, as obtained from the ionic current at m/z 2 by using eqn. 3 (Main Manuscript) with 0.5 atm. $\mathrm{CO}_{2}$ in 0.1 M $\mathrm{NaHCO}_{3}$ and $2 \mathrm{M} \mathrm{NaClO}_{4}$ containing electrolyte at a scan rate of $5 \mathrm{mVs}^{-1}$ and a flow rate of $300 \mu \mathrm{Lmin}^{-1}$.


## E/V vs NHE

Figure S10 Faradaic efficiency for CO formation of the different Au catalysts in 0.5 atm. $\mathrm{CO}_{2}$ and $0.1 \mathrm{M} \mathrm{NaHCO}_{3}, 2 \mathrm{M} \mathrm{NaClO} 4$ containing electrolyte at different potentials (vs. NHE) as obtained from the DEMS measurements by using eqn. 4 (Main Manuscript).

## References

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