

**Electrochemical impedance aptasensor based on selenomolybdate
nanodots/antimonene hybrid for platelet derived growth factor-BB**

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Supporting Information

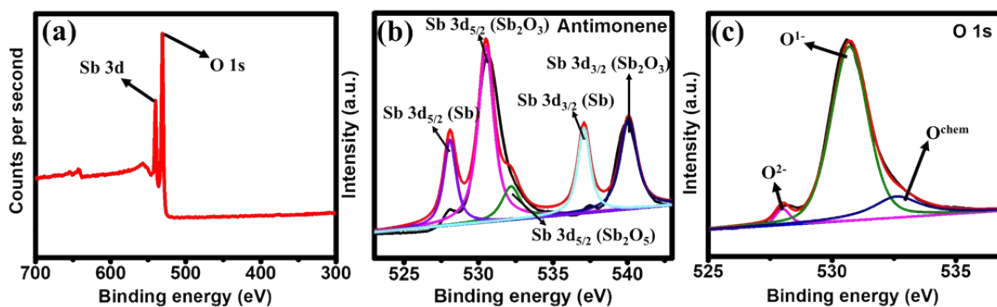


Figure S1: (a) Survey spectrum of antimonene; (b) X-ray photoelectron spectrum of Sb in antimonene; (c) O 1s spectrum.

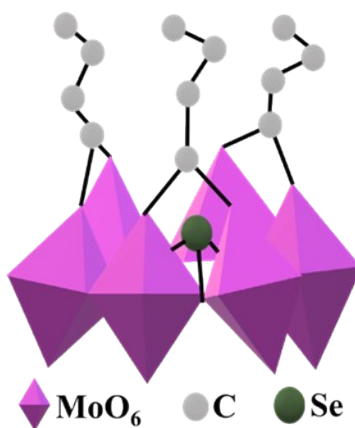


Figure S2: Polyhedral representation of $[(\text{SeMo}_6\text{O}_{21})(\text{COO}(\text{CH}_2)_2\text{COO})_3]^{6-}$ polyoxometalate

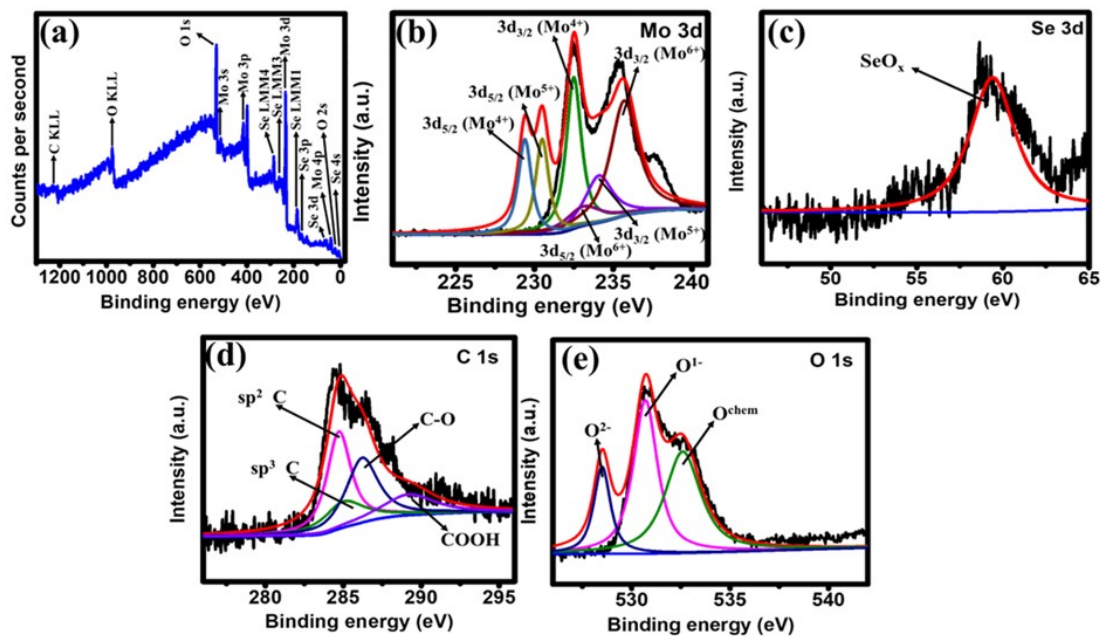


Figure S3: (a) Survey spectrum of POM; X-ray photoelectron spectrum of (b) Mo 3d; (c) Se 3d; (d) C 1s; (e) O 1s in POM.

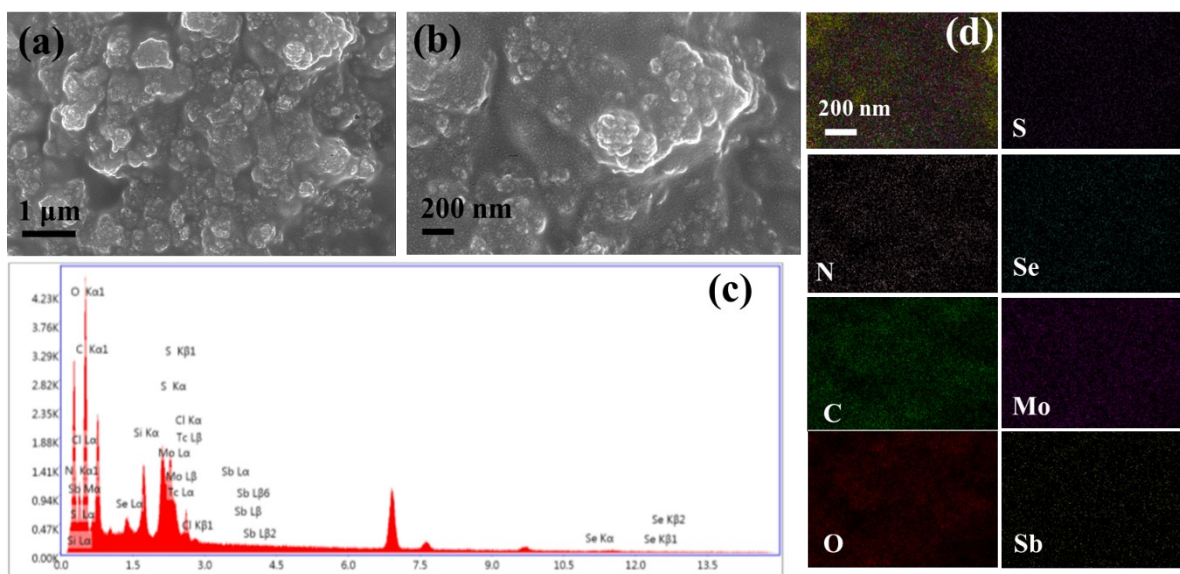


Figure S4: (a, b) FESEM image of BSA/aptamer-POM(SA)/antimonene on Si wafer at different magnifications; (c, d) corresponding EDAX and elemental mapping of different elements.

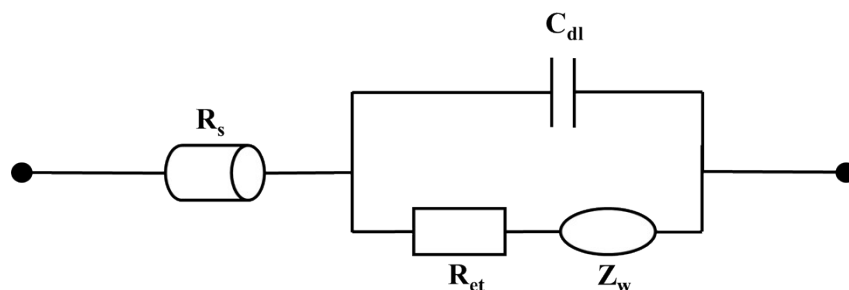


Figure S5: Randle's equivalent circuit

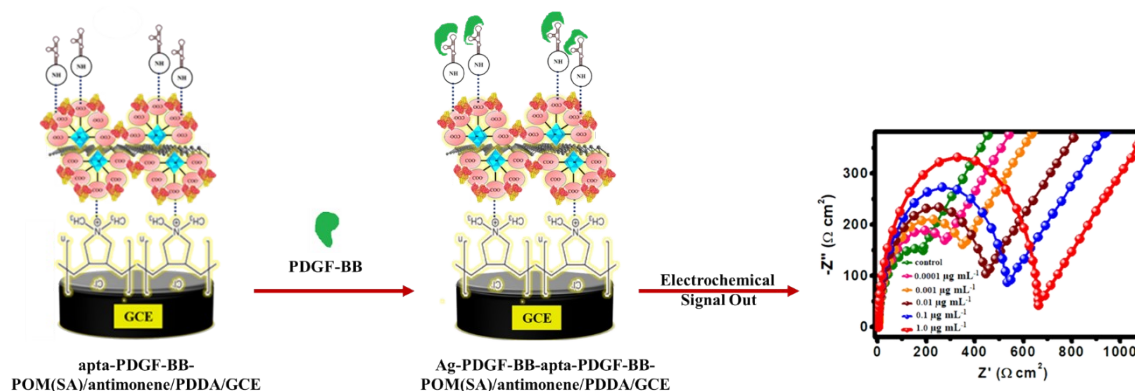


Figure S6: Schematic of immunoreaction at the electrode surface

Details of Dissociation constant (K_D) calculation for antigen-aptamer complex

The surface coverage can be calculated by comparing the charge transfer resistance (R_{et}) or capacitance (C_{dl}) to the value of K_d . We employed the R_{et} component for K_d measurement because minor variations in capacitance values were observed, thus we used a Langmuir adsorption isotherm and a linear relationship between the surface coverage (Θ) and R_{et-1} by Eqn. (1) & (2).

$$\Delta R_{et-1} = \Theta (\Delta R_{et-1})_{\max} \quad (1)$$

$$\text{where } \Delta R_{\text{et-1}} = [(R_{\text{et-1}})_{\Theta=0} - R_{\text{et-1}}] / (R_{\text{et-1}})_{\Theta=0} \quad (2)$$

$$\text{and } \Delta(R_{\text{et-1}})_{\text{max}} = [(R_{\text{et-1}})_{\Theta=0} - (R_{\text{et-1}})_{\text{max}}] / (R_{\text{et-1}})_{\Theta=0} \quad (3)$$

To avoid data overloading at low protein concentrations, the R_{et} change was converted to the Hanes-Woolf form, which may be characterized by Eqn. (4)

$$[X] / \Delta R_{\text{et-1}} = [X] / \Delta(R_{\text{et-1}})_{\text{max}} + K_d / \Delta(R_{\text{et-1}})_{\text{max}} \quad (4)$$

Where in the value of K_d was obtained by division of intercept by slope obtained from the Hanes-Woolf plot shown in Fig.9a of manuscript.