## **Electronic supplementary information**

## **A theoretical exploration of structural feature, mechanical, and optoelectronic properties of Aubased halide perovskites A2Au<sup>I</sup>AuIIIX<sup>6</sup>**

## $(A = Rb, Cs; X = Cl, Br, I)$

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## **Computational details**

The power conversion efficiency  $\eta$  of an absorber layer can be defined as  $\eta = P_m/P_m$ , where  $P_m$  is the maximum output power density and  $P_{in}$  is the total incident solar power density. The  $P_m$  can be derived by numerically maximizing *J* (the current density)  $\times$  *V* (voltage). The *J* for a solar cell illuminated under the photon flux *Isun* is given by the equation  $J = J_{sc} - J_0(1 - e^{e^{V/kT}})(k$  is the Boltzmann's constant and *T* is the temperature).  $J = J_{\text{SC}} - J_0(1 - e^{e^{V/kT}})$  (*k* is the Boltzmann's constant and The short-circuit current density  $J_{sc}$  is defined as  $J_{sc} = e \int_{0}^{\infty} A(E) J_{sun}(E) dE$ , where *e*,  $A(E)$ , and  $I<sub>sun</sub>(E)$  are the elementary charge, the photon absorptivity, and the standard AM1.5G solar spectrum at 300 K, respectively. The reverse saturation current  $J_0$  (  $J_0 = J_0^{nr} + J_0^r = J_0^r / f_r$  corresponds to the total electron-hole recombination current density at equilibrium in the dark. The fraction of radiative recombination current *f<sup>r</sup>* is

computed by the expression  $f_r = \exp(\frac{-g}{\sigma} - \frac{g}{\sigma})$ , where  $E_a$  and  $E_a^{da}$  are the fundamental  $kT$ ,  $\cdots$   $\cdots$   $\cdots$   $\cdots$   $\cdots$   $\cdots$   $\cdots$   $\cdots$   $\cdots$   $\cdots$  $E_a - E_a^{da}$  $f_r = \exp(\frac{-g - g}{\sqrt{g}})$ , w *da*  $f_r = \exp(\frac{E_g - E_g^{da}}{LT})$ , where  $E_g$  and  $E_g^{da}$  are the fundamental and direct allowed band gaps, respectively. The  $J_0^r$  is calculated from the rate black-body photon absorption from the surrounding thermal bath through the front surface  $J_0^r = e\pi \int_0^{\infty} A(E)I_{bb}(E, T) dE$ , where  $I_{bb}(E, T)$  is the black-body spectrum at room temperature. The  $A(E)$  can be obtained from the relation  $A(E) = 1 - e^{-2a(E)L}$ , where L and  $\alpha(E)$  are the film thickness and the absorption spectrum of the material, respectively. In addition, the open-circuit voltage  $V_{OC}$  is determined by the relationship  $ln(1 + \frac{\sigma_{SC}}{I})$ . Finally, the maximum *η* of a material can be evaluated once two <sup>0</sup> *J*  $J_{SC}$   $\Gamma$  11 1  $\Gamma$   $\Gamma$  $e^{-x}$ ,  $J_0$ ,  $f = 1$ ,  $f = 2$ ,  $f = 1$  $V_{OC} = \frac{kT}{I} \ln(1 + \frac{J_{SC}}{I})$ . Finally, the maximum  $\eta$  of a mate

parameters  $\alpha(E)$  and  $f_r$  are obtained.