# **Supporting Information**

### Growth Methods' Effect on the Physical Characteristics of CsPbBr<sub>3</sub>

#### **Single Crystal**

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## **Supplementary Figures**





**Figure. S1.** Electrode Configurations for Characterizing CsPbBr<sub>3</sub> SCs: (a) Conventional SCLC and Photodetector Assessments with Carbon Electrodes, and (b) TM-SCLC Measurements with Gold Electrodes.



Figure. S2. Time-Resolved Photoluminescence Spectroscopy of both Crystals at room temperature.



Figure. S3. Schematic Representation of Device Configuration.



**Figure. S4.** Spectral Analysis of TM-SCLC Behavior for both types of CsPbBr<sub>3</sub> SCs at T = 310.15 K. Utilizing Solid Lines to Depict an I-V Model Involving Monoenergetic Transport Band and Trap for Analyzing Charge Carrier Concentrations in the Investigated Perovskite.

		FWHM (°)		$L_{s}(\%)$	
Ν	Ailler indices (hkl)	$SC_1$	$SC_2$	$SC_1$	$SC_2$
	(020)	0.051	0.063	0.063	0.120
	(101)	0.039	0.048	0.044	0.095
	(040)	0.085	0.096	0.112	0.179
	(202)	0.091	0.103	0.127	0.184
	(060)	0.032	0.042	0.028	0.041
	(303)	0.021	0.033	0.023	0.037

Table S1. FWHM and L<sub>s</sub> Values According to all XRD Reflections.

**Supplementary Tables** 

_	$SC_1$	$SC_2$
$\mu_0 (m^2 V^{-1} s^{-1})$	0.017	0.396
$n_f$ (cm <sup>-3</sup> )	$2.62  imes 10^8$	$2.54  imes 10^8$
$n_t ({\rm cm}^{-3})$	$8.81\times10^9$	$2.08  imes 10^{10}$
$E_F - E_v \; (eV)$	0.57	0.57
$E_t - E_v (eV)$	0.695	0.717
$E_{t}-E_{F}\left( eV\right)$	0.125	0.147

Table S2. Exploring Optoelectronic Characteristics via TM-SCLC in both types of CsPbBr<sub>3</sub> SCs.

#### **Supplementary Equations**

$$L_s = \frac{B_s}{4\tan\theta} \tag{S1}$$

B<sub>s</sub> characterizes structural expansion, signifying the variance in the integral profile width when comparing a standard (referred to as 'std') with the target sample slated for analysis ('obs').

$$B_{struct} = \sqrt{B_{obs}^2 - B_{std}^2} \tag{S2}$$

 $B_{obs}$  represents the width derived from the compound undergoing analysis, whereas  $B_{std}$  signifies the width derived from the standard compound, which remains unaffected by any structural broadening phenomena.

$$R = \frac{I_{ph} - I_D}{P_{irra}S}$$
(S3)

where  $I_d$  and  $I_{ph}$  indicated the dark current and the photocurrent, respectively. S and  $P_{irra}$  indicating the crystal surface area and the incident light intensity power, respectively.

$$D^* = \frac{R}{(2eI_D)^{1/2}}$$
(S4)

$$D = D_0 e^{\left(-\frac{\Delta H}{RT}\right)}$$
(S5)

Where D represents the rate of diffusion,  $\Delta H$  denotes the activation energy for diffusion, D<sub>0</sub> stands for the constant of diffusion, T corresponds to the temperature of the solution, and R signifies the universal gas constant.

$$n_{trap} = \frac{2\varepsilon\varepsilon_0 V_{TFL}}{eL^2} \tag{S6}$$

Incorporating essential parameters, the equation includes  $\varepsilon_0$  (8.85 × 10<sup>-12</sup> F/m), which denotes vacuum permittivity,  $\varepsilon$  is the dielectric constant of CsPbBr<sub>3</sub> ( $\varepsilon$  = 22), e symbolizing the elementary charge of an electron (1.6 × 10<sup>-19</sup> C), and L standing for the thickness of the SC (2 mm).

$$\mu_d = \mu_0 \ominus = \frac{jL^3}{\varepsilon_0 \varepsilon_r (1-\gamma)(2-\gamma)^2 V^2}$$
(S7)

where  $\mu_0$  stands for microscopic mobility. The variable 'm'  $(m = \frac{1}{\gamma} = \frac{d \ln j}{d \ln V})$  corresponds to the gradient of the I–V plot (refer to Figure S4(b)), while the variable  $\Theta$  is characterized as  $\Theta = \frac{n_f}{n_f + n_t}$ , with  $n_t$  and  $n_f$  indicating the concentration of trapped charge carriers and free charge carriers,

$$n_f = \frac{L_j}{e\mu_{0(2-\gamma)V}} \tag{S8}$$

respectively.

$$n_t = \frac{\varepsilon_0 \varepsilon_r (1 - \gamma) (2 - \gamma) V}{eL^2} \tag{S9}$$

$$E_F - E_v = \frac{k_B T}{e} ln\left(\frac{n_f}{N_v}\right) \tag{S10}$$

$$E_F - E_t = \frac{k_B T}{e} ln\left(\frac{n_t}{N_t}\right) \tag{S11}$$

where  $k_B$  is Boltzmann's constant, h is Planck's constant,  $E_v$  is the energy of the valence band,  $N_t$  and  $N_v$  indicating the density of electronic states and the density of states in the valence band, respectively.