

Supplementary information

High-precision measurement of Cd isotopes in ultra-trace Cd samples using double spike-standard addition MC-ICP-MS

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Text S1. Details of Equation (6) for calculating the error propagation of multi-standard addition.

The δ value of sample is calculated from equation (5), and the error propagation can be estimated by the following equation:

$$\sigma_{\delta spl - multi} = \sqrt{\left(\frac{\partial \delta spl - multi}{\partial \delta std1}\right)^2 \times \sigma_{\delta std1}^2 + \left(\frac{\partial \delta spl - multi}{\partial \delta std2}\right)^2 \times \sigma_{\delta std2}^2 + \left(\frac{\partial \delta spl - multi}{\partial \delta mix1}\right)^2 \times \sigma_{\delta mix1}^2 + \left(\frac{\partial \delta spl - multi}{\partial P std1}\right)^2 \times \sigma_{P std1}^2 + \left(\frac{\partial \delta spl - multi}{\partial P std2}\right)^2 \times \sigma_{P std2}^2 + \left(\frac{\partial \delta spl - multi}{\partial P mix1}\right)^2 \times \sigma_{P mix1}^2 + \left(\frac{\partial \delta spl - multi}{\partial P mix2}\right)^2 \times \sigma_{P mix2}^2}$$

Since the uncertainties contributed by σ_{P-std} and σ_{P-mix} account for less than one-thousandth of the total error, the terms containing σ_{P-std} and σ_{P-mix} can be negligible. Thus,

$$\sigma_{\delta spl - multi} = \sqrt{\left(\frac{\partial \delta spl - multi}{\partial \delta std1}\right)^2 \times \sigma_{\delta std1}^2 + \left(\frac{\partial \delta spl - multi}{\partial \delta std2}\right)^2 \times \sigma_{\delta std2}^2 + \left(\frac{\partial \delta spl - multi}{\partial \delta mix1}\right)^2 \times \sigma_{\delta mix1}^2 + \left(\frac{\partial \delta spl - multi}{\partial \delta mix2}\right)^2 \times \sigma_{\delta mix2}^2} \quad (6)$$

Each error term of equation 6 can be reduced by the following equations:

$$\frac{\partial \delta spl - multi}{\partial \delta std1} = 1 - \frac{P_{std1}^2 \times (\delta^{114/110} Cd_{std1} - \delta^{114/110} Cd_{mix1}) \times (\delta^{114/110} Cd_{std2} - \delta^{114/110} Cd_{mix2})}{(P_{std2} \times (P_{std1} - P_{mix1}) \times (\delta^{114/110} Cd_{std2} - \delta^{114/110} Cd_{mix2}) - P_{std1} \times (\delta^{114/110} Cd_{std1} - \delta^{114/110} Cd_{mix1})) \times (P_{std1} \times (\delta^{114/110} Cd_{std2} - \delta^{114/110} Cd_{mix2}) - P_{std1} \times (\delta^{114/110} Cd_{std1} - \delta^{114/110} Cd_{mix1}))} \quad (7)$$

$$\frac{\partial \delta spl - multi}{\partial \delta mix1} = \frac{P_{std1} \times (\delta^{114/110} Cd_{std2} - \delta^{114/110} Cd_{mix2})}{P_{std2} \times (P_{std1} - P_{mix1}) \times (\delta^{114/110} Cd_{std2} - \delta^{114/110} Cd_{mix2}) - P_{std1} \times (\delta^{114/110} Cd_{std1} - \delta^{114/110} Cd_{mix1})} + \frac{P_{std1}^2 \times (\delta^{114/110} Cd_{std1} - \delta^{114/110} Cd_{mix1}) \times (P_{std2} - P_{mix2}) \times (\delta^{114/110} Cd_{std2} - \delta^{114/110} Cd_{mix2})}{(P_{std2} \times (P_{std1} - P_{mix1}) \times (\delta^{114/110} Cd_{std2} - \delta^{114/110} Cd_{mix2}) - P_{std1} \times (\delta^{114/110} Cd_{std1} - \delta^{114/110} Cd_{mix1})) \times (P_{std1} \times (\delta^{114/110} Cd_{std2} - \delta^{114/110} Cd_{mix2}) - P_{std1} \times (\delta^{114/110} Cd_{std1} - \delta^{114/110} Cd_{mix1}))} \quad (8)$$

$$\begin{aligned}
& \frac{\partial_{\delta_{spl} - multi}}{\partial_{\delta_{std2}}} \\
&= \frac{P_{std1} \times P_{std2} \times (P_{std1} - P_{mix1}) \times (\delta^{114/110}Cd_{std1} - \delta^{114/100}Cd_{mix1})}{(P_{std2} \times (P_{std1} - P_{mix1}) \times (\delta^{114/110}Cd_{std2} - \delta^{114/110}Cd_{mix2}) - P_{std1} \times (\delta^{114/110}Cd_{std1} - \delta^{114/100}Cd_{mix1}))} \\
&- \\
& \frac{P_{std1} \times (\delta^{114/110}Cd_{std1} - \delta^{114/100}Cd_{mix1})}{P_{std2} \times (P_{std1} - P_{mix1}) \times (\delta^{114/110}Cd_{std2} - \delta^{114/110}Cd_{mix2}) - P_{std1} \times (\delta^{114/110}Cd_{std1} - \delta^{114/100}Cd_{mix1})}
\end{aligned}
\tag{9}$$

$$\begin{aligned}
& \frac{\partial_{\delta_{spl} - multi}}{\partial_{\delta_{mix2}}} \\
&= \frac{P_{std1} \times (\delta^{114/110}Cd_{std1} - \delta^{114/110}Cd_{mix1})}{P_{std2} \times (P_{std1} - P_{mix1}) \times (\delta^{114/110}Cd_{std2} - \delta^{114/110}Cd_{mix2}) - P_{std1} \times (\delta^{114/110}Cd_{std1} - \delta^{114/100}Cd_{mix1})} \\
&- \\
& \frac{P_{std1} \times P_{std2} \times (P_{std1} - P_{mix1}) \times (\delta^{114/110}Cd_{std1} - \delta^{114/110}Cd_{mix1}) \times (\delta^{114/110}Cd_{std2} - \delta^{114/110}Cd_{mix2})}{(P_{std2} \times (P_{std1} - P_{mix1}) \times (\delta^{114/110}Cd_{std2} - \delta^{114/110}Cd_{mix2}) - P_{std1} \times (\delta^{114/110}Cd_{std1} - \delta^{114/100}Cd_{mix1}))}
\end{aligned}
\tag{10}$$

Table S1 Instrumental parameters for Cd isotope measurement.

Parameters	Setting for Neptune
Cup configuration	L4 (¹⁰⁷ Ag), L3 (¹⁰⁸ Cd), L2 (¹⁰⁹ Ag), L1 (¹¹⁰ Cd), C (¹¹¹ Cd), H1 (¹¹² Cd, ¹¹² Sn), H2 (¹¹³ Cd), H3 (¹¹⁴ Cd, ¹¹⁴ Sn), H4 (¹¹⁷ Sn)
Inlet system	
cool gas	15 L min ⁻¹
aux gas	0.80-1.15 L min ⁻¹
sample gas	0.92-1.20 L min ⁻¹
RF power	1250W
sample cone	H type, Ni/Pt
skimmer cone	X type, Ni/Pt
resolution mode	low
sample uptake	110 μL min ⁻¹
Aridus II	
spray chamber temperature	110°C
desolvator temperature	160°C
Ar ₂ sweep gas	4.5-6 L min ⁻¹
Nitrogen gas	1-6 mL min ⁻¹
sensitivity	460 V ppm ⁻¹ of ¹¹² Cd
injecting concentration	5-10 μg L ⁻¹

number of cycles	45 (3 blocks \times 15 cycles) for 10 ppb; 60 (3 blocks \times 20 cycles) for 5 ppb
Integration time	4.194s

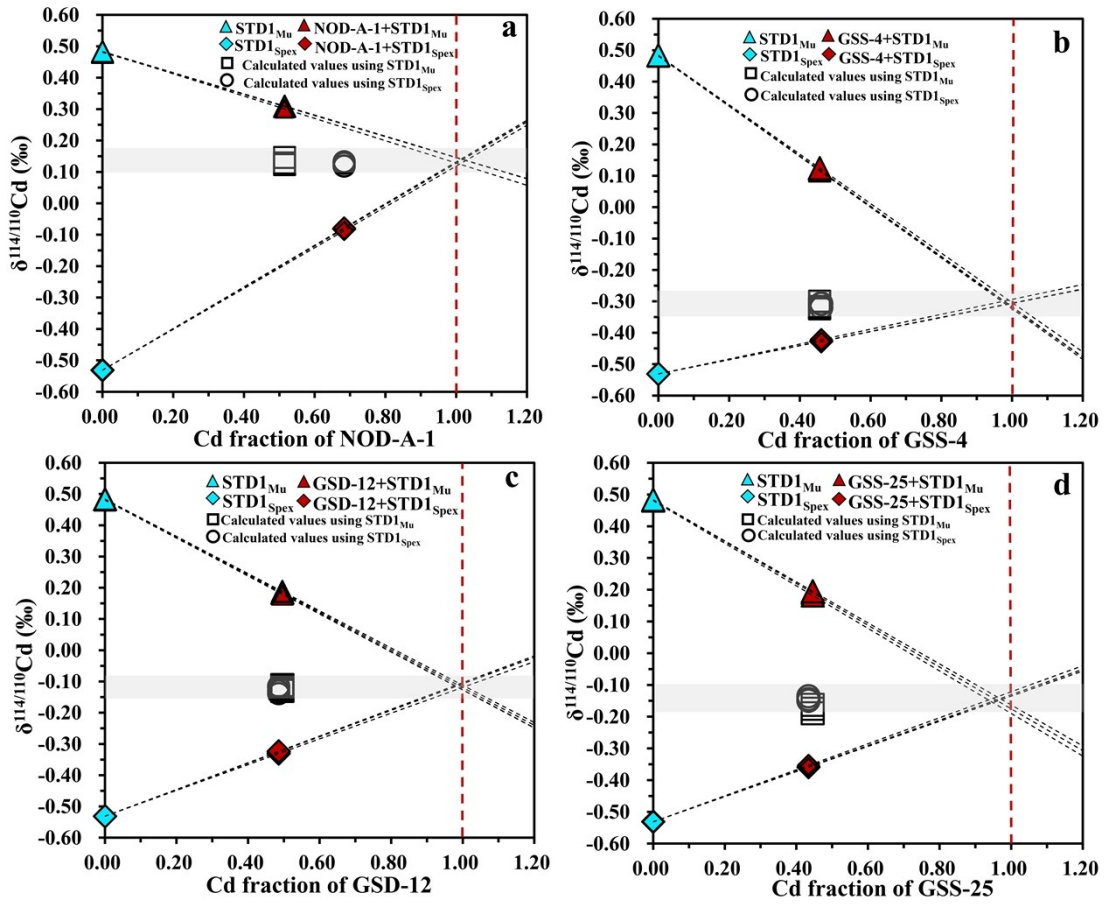


Fig. S1 The $\delta^{114/110}\text{Cd}$ values of mixed solutions (sample + standard) and calculated values for geological reference materials. The gray bar denotes 2SD of those values calculated by single-standard method; the red vertical line represents the pure sample (with no standard added).

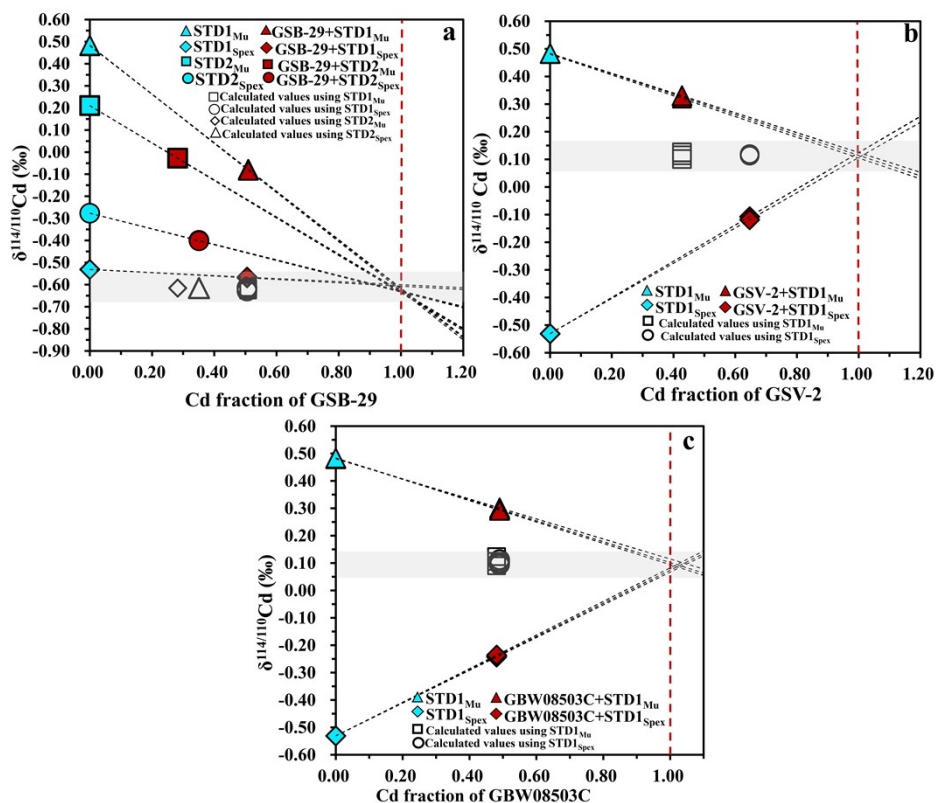


Fig. S2 The $\delta^{114/110}\text{Cd}$ values of mixed solutions (sample + standard) and calculated values for biological reference materials. The gray bar denotes 2SD of those values calculated by a single-standard; the red vertical line represents pure sample (with no standard added).

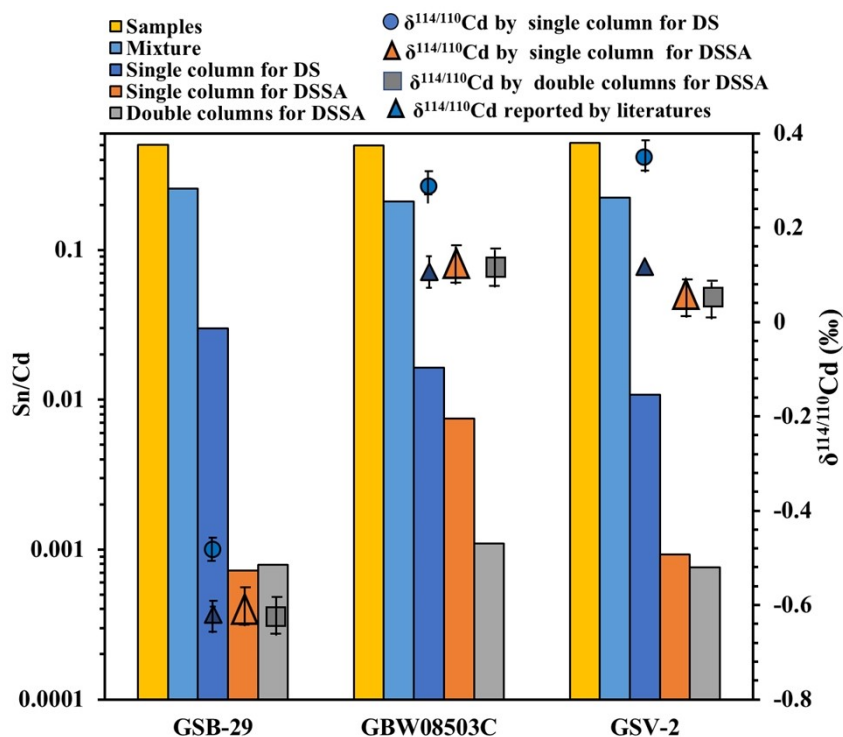


Fig. S3 Comparison of the effects on removing matrix elements (Sn) in single column purification using traditional DS and DSSA methods.

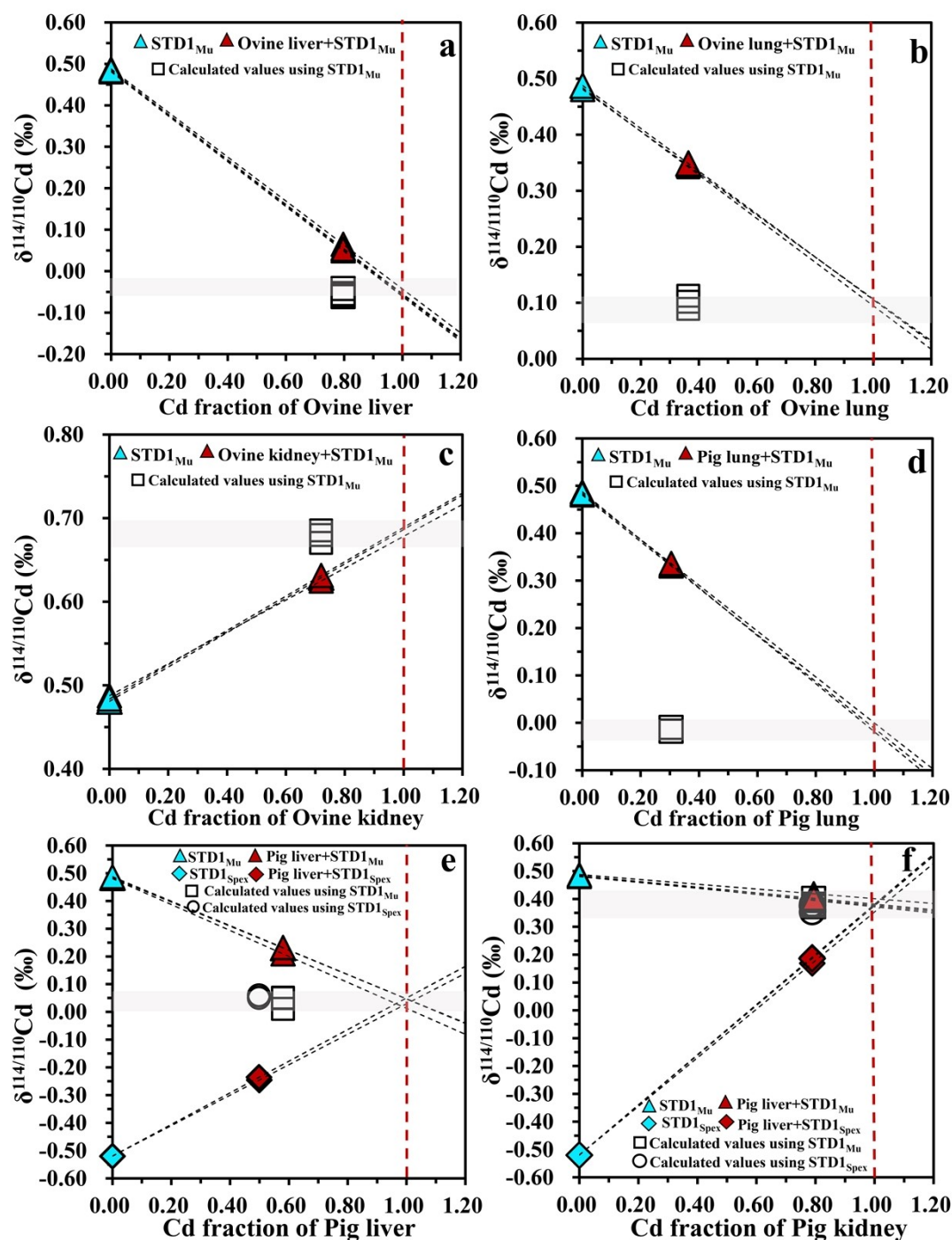


Fig. S4 The $\delta^{114/110}\text{Cd}$ values of mixed solutions (sample + standard) and calculated values for ovine and pig organs. The gray bar denotes 2SD of those values calculated by a single-standard; the red vertical line represents the 100% sample. (a) ovine liver; (b) ovine lung; (c) ovine kidney; (d) pig lung; (e) pig liver; (f) pig kidney.