# Proposal, design, and cost analysis of a hydrogen production process from cellulose via supercritical water gasification

# **Supplementary Information**

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#### **S1. Required Energy**

S1-1. Decomposition of cellulose (This study)

Let us determine the energy required by our hydrogen production process. As observed in Section 3-6, the minimum heating value is 28.3 GJ/h. In addition to this, the electricity used in this process is 3.76 GJ/h. Therefore, the amount of energy required for our process can be calculated as 28.3 + 3.76 = 32.1 GJ/h.

S1-2. Electrolysis of water by wind power (Electrolysis only, experimental)

Let us consider the electrolysis of water when using an electrolysis tank to produce  $42 \text{ m}^3$ /h of hydrogen gas with 200 kW of electricity [S1], so that when 228.7 kmol/h of hydrogen is produced, the volume of hydrogen can be calculated as follows if hydrogen is an ideal gas.

(Volume of H<sub>2</sub> [m<sup>3</sup>/h]) = (H<sub>2</sub> production [mol/h]) × (volume of ideal gas [m<sup>3</sup>/mol]) =  $228.7 \times 10^3 \times 22.4 \times 0.1^3$ 

 $= 5.12 \times 10^3 \text{ m}^3/\text{h}$ 

Since it takes 200 kJ/s per 42 m<sup>3</sup>/h of hydrogen gas in a commercial electrolysis tank [35], the power [GJ/h] required to produce  $5.12 \times 10^3$  m<sup>3</sup>/h can be calculated as follows. (Electric power [GJ/h] required)

= (H<sub>2</sub> target production  $[m^3/h]$ )/(H<sub>2</sub> production  $[m^3/h]$  for commercial equipment) × (energy [GJ/h] for commercial equipment)

 $= 5123/42 \times 200 \times 10^{3} \times 3600 \times 10^{-9}$ 

= 87.8 GJ/h

Here, if the conversion efficiency  $\eta = 0.20$  [S2] for 87.8 GJ/h of electricity, (Required energy [GJ/h]) = (Required electrical energy [GJ/h])/ $\eta$ = 87.8/0.20 = 439.1 GJ/h

S1-3. Electrolysis of water by wind power (Electrolysis only, theoretical)

From the energy required for the electrolysis of water, calculate the energetic energy in the electrolysis of water. From the following half-reaction equation [S3], assuming the number of electrons n = 2 mol/mol, the potential E = 2.0 V [S3], and the conversion efficiency  $\eta = 0.20$  [S2],

 $2OH^{-} \rightarrow 1/2O_{2} + H_{2}O + 2e^{-}$   $2H^{+} + 2e^{-} \rightarrow H_{2}$   $\Delta G = nFE/\eta = (2 \times 96454.56 \times 2.0)/0.20 = 1929091 \text{ J/mol}$ Hydrogen production is 228.7 kmol/h, so the amount of energy required per 1 h is (Energy required for electrolysis of water [GJ/h])  $= \Delta G \times (H_{2} \text{ production [mol/h]})$   $= 1929091 \times 228.7 \times 10^{3} \times 10^{-9}$  = 441.2 GJ/h

S1-4. Electrolysis of water by wind power (Reaction enthalpy)

Calculating the energy required for the electrolysis of water from the enthalpy of water production, 240 kJ/mol [S4], (Energy required for H<sub>2</sub> production [GJ/h]) = (enthalpy of production of H<sub>2</sub>O [GJ/mol]) × (H<sub>2</sub> production [mol/h]) =  $240 \times 10^{-6} \times 228.7 \times 10^{3}$ = 54.89 GJ/h

S1-5. Steam reforming of methane (w/ CO<sub>2</sub> capture)

Calculate the energy required in the process of steam reforming of methane with carbon dioxide capture. Since the energy required to produce 8.994 t/h of hydrogen is 433.72 MW [S5], we can calculate the energy required to produce 228.7 kmol/h of hydrogen.

(Energy required for  $H_2$  production [GJ/h]) = (Energy required per 1 mol/h of hydrogen [GJ/mol]) × (Hydrogen production [mol/h])

 $= (433.72 \times 3600 \times 10^{-3}) / (8.994/2 \times 907 \times 10^{3}) \times (228.7 \times 10^{3})$ 

= 87.5 GJ/h

S1-6. Steam reforming of methane (w/o CO<sub>2</sub> capture)

Calculate the energy required for the methane steam reforming process without carbon dioxide capture. Since the energy required to produce 8.994 t/h of hydrogen is 394.77 MW [S5], we can calculate the energy required to produce 228.7 kmol/h of hydrogen.

(Energy required for H<sub>2</sub> production [GJ/h]) = (Energy required per 1 mol/h of hydrogen

 $[GJ/mol]) \times (Hydrogen production [mol/h])$  $= (394.77 \times 3600 \times 10^{-3}) / (8.994/2 \times 10^{6}) \times (228.7 \times 10^{3})$ = 72.3 GJ/h

S1-7. Steam reforming of methane (Reaction enthalpy)

The energy required for hydrogen production by steam reforming of methane is calculated in terms of reaction enthalpy. The reaction equation for hydrogen production by steam reforming of methane is shown below [S6].

$CH_4 + H_2O \rightarrow CO + 3H_2$	$\Delta H^{\circ}_{298} = 206 \text{ kJ/mol}$	(S1-7-1)
$CO + H_2O \rightarrow CO_2 + H_2$	$\Delta H^{\circ}_{298} = -41 \text{ kJ/mol}$	(S1-7-2)

In addition, the temperature-dependent molar heat capacity at constant pressure of each substance extracted from Aspen Plus was used. First, since the reforming reaction of Eq. S1-7-1 takes place at a temperature of 973 K, the heat of reaction for the reforming reaction at a temperature of 973 K is determined as follows:

(Heat of reaction of the reforming reaction at temperature 973 K [kJ/mol]) = (standard heat of reaction of the reforming reaction [kJ/mol]) + (enthalpy of the standard state reference product at 973 K [kJ/mol]) – (enthalpy of the standard state reference reactant at 973 K [kJ/mol])

= 206 + (59.6+140) - (36.4+24.9)= 344.3 kJ/mol

First, since the shift reaction in Eq. S1-7-2 takes place at a temperature of 573 K, the heat of reaction for the shift reaction at a temperature of 573 K is determined as follows: (Heat of reaction of the shift reaction at temperature 573 K [kJ/mol]) = (standard heat of reaction of the shift reaction [kJ/mol]) + (enthalpy of product at 573 K of standard state reference [kJ/mol]) – (enthalpy of reactant at 573 K of standard state reference [kJ/mol])

= -41 + (8.02+11.7) - (55.2+9.58)= -86.06 kJ/mol

Hence, the energy required to produce 228.7 kmol/h of hydrogen by steam reforming of methane can be obtained as follows:

(Energy required for H<sub>2</sub> production [GJ/h]) = (Amount of reactants [mol/h]) × (Reaction

heat of reforming reaction [GJ/mol]) + (Amount of reactants [mol/h]) × (Reaction heat of shift reaction [GJ/mol])

 $= (228.7 \times 10^{3})/4 \times 344.3 \times 10^{-6}) - (228.7 \times 10^{3})/4 \times 86.06 \times 10^{-6})$ = 14.8 GJ/h

Next, find the energy required by the furnace to heat  $CH_4$  and  $H_2O$  to 973 K, respectively. The energy required to heat  $CH_4$  and  $H_2O$  to 973 K is 36.4 kJ/mol and 24.9 kJ/mol per mol, respectively, and can be calculated as follows.

(Energy required in heating furnace [GJ/h]) = (Amount of CH<sub>4</sub> [mol/h]) × (Energy required for CH<sub>4</sub> per mol [GJ/mol]) + (Amount of H<sub>2</sub>O [mol/h]) × (Energy required for CH<sub>4</sub> per mol [GJ/mol])

 $=(228.7\times10^{3})/4\times36.4\times10^{-6}+(228.7\times10^{3})/4\times24.9\times10^{-6}$ 

= 2.081 + 1.424

Hence, the energy required for hydrogen production is 14.8 + 3.51 = 18.3 GJ/h.

S1-8. Electrolysis of water by electric power system (Electrolysis only, experimental)

From Section S1-2, the electricity required to produce 228.7 kmol/h of hydrogen by electrolysis of water using an electrolysis tank is 87.8 GJ/h. Here, if the conversion efficiency of the power system is  $\eta = 0.42$  [S7], the following can be obtained:

(Required amount of energy [GJ/h]) = (Required amount of electrical energy [GJ/h])/ $\eta$  = 87.8/0.42 = 209.1 GJ/h

S1-9. Electrolysis of water by electric power system (Electrolysis only, theoretical)

It can be obtained in the same way as in Section S1-3. From the following semi-reaction equation [S3], assuming that the number of electrons n = 2 mol/mol, the potential E = 2.0 V [S3], and the conversion efficiency of the power system  $\eta = 0.42$  [S7],

 $2OH^- \rightarrow 1/2O_2 + H_2O + 2e^-$ 

 $2H^+ + 2e^- \rightarrow H_2$ 

 $\Delta G = nFE/\eta = (2 \times 96454.56 \times 2.0)/0.42 = 918614.86 \text{ J/mol}$ 

Hydrogen production is 228.7 kmol/h, so the amount of energy required per 1 h is (Energy required for electrolysis of water [GJ/h])

=  $\Delta G \times (H_2 \text{ production [mol/h]})$ = 918614.86 × 228.7×10<sup>3</sup> × 10<sup>-9</sup>) = 210.1 GJ/h

S1-10. Electrolysis of water by electric power system (Reaction enthalpy)

Same as Section S1-4.

#### S2. CO<sub>2</sub> Emission

S2-1. Decomposition of cellulose (This study)

Calculate the carbon dioxide emissions from our hydrogen production process. The carbon dioxide emissions from our process consist of the amount of carbon dioxide purged in the final flow shown in Fig. 3-6-1 and Table 3-6-1, and the amount of carbon dioxide emitted when the fuel, hexane, is burned in the furnace. The carbon dioxide purged is the sum of the carbon dioxide emitted in flow numbers 37, 40, and 42 in the final flow diagram in Fig. 3-6-1, which is 89.9 + 45.3 + 0.9 = 136.1 kmol/h. The energy required by the heating furnace is 28.3 GJ/h. Since the energy required to burn 1 kmol/h of hexane is 2031949 kJ/h based on Aspen HYSYS simulation results, the amount of hexane required is:

(Amount of hexane needed for the furnace [kmol/h]) = (Energy needed in the furnace [GJ/h]) / (Heat of combustion of hexane [GJ/kmol])

 $= 28.3 / (2031949 \times 10^{-6})$ 

= 13.9 kmol/h

Hence, since the molar ratio of hexane to carbon dioxide is six from the following reaction equation,

 $2C_6H_{14} + 19O_2 \rightarrow 12CO_2 + 14H_2O_2$ 

the amount of carbon dioxide emitted can be calculated as follows.

(Amount of carbon dioxide emitted from the furnace [kmol/h]) = (Amount of hexane burned [kmol/h]) × (Molar ratio of hexane to carbon dioxide)

 $= 13.93 \times 6$ 

= 83.6 kmol/h

Since 0.855 pound (lb) of carbon dioxide is emitted per kWh of electricity [S8], the electricity from this process can be converted to carbon dioxide emissions as follows.

(Amount of carbon dioxide converted from electricity [kmol/h]) = (Amount of carbon dioxide per kWh of electricity [kmol/kWh]) × (Power [kW])

 $= (0.855 \times 0.454)/44.01 \times 1045$ 

= 9.22 kmol/h

Therefore, the amount of carbon dioxide emitted by this process is 136.1 + 83.6 + 9.22 = 228.9 kmol/h.

S2-2. Electrolysis of water by wind power (Electrolysis only, experimental)

Consider the carbon dioxide emissions of water electrolysis when using an electrolysis tank: as mentioned in Section S1-2, water electrolysis using an electrolysis tank produces 42 m<sup>3</sup>/h of hydrogen gas with 200 kW of electricity [S1]. For the production of 228.7 kmol/h of hydrogen, from Section S1-2, it is  $5.12 \times 10^3$  m<sup>3</sup>/h, so the required electric power is obtained as follows:

(Electric power required [kW])

= (H<sub>2</sub> target production  $[m^3/h]$ ) / (H<sub>2</sub> production  $[m^3/h]$  of commercial equipment) × (Electric power [kW] for commercial equipment)

 $= 5123 / 42 \times 200 = 24395 \text{ kW}$ 

Hence, because wind power emits 11 g carbon dioxide per kWh [S9],

(Amount of carbon dioxide converted from electricity [kmol/h]) = (Amount of carbon dioxide per kWh of electricity [kmol/kWh]) × (Electricity [kW])  $11 - 10^{-3} (44.01 - 24205)$ 

 $= 11 \times 10^{-3} / 44.01 \times 24395$ 

= 6.097 kmol/h

S2-3. Electrolysis of water by wind power (Electrolysis only, theoretical)

Calculate the carbon dioxide emissions from the electrical energy required for the electrolysis of water by wind power as discussed in Section S1-3. From Section S1-3, assuming that the energy required is 441.2 GJ/h and the conversion efficiency  $\eta =$ 0.42 [S7], the carbon dioxide emissions can be calculated as follows: (Carbon dioxide emissions [kmol/h]) = (Amount of carbon dioxide per kWh of electricity [kmol/kWh]) × (Electricity [kW]) =  $11 \times 10^{-3} / 44.01 \times (441.2 \times 0.2 \times 10^{6}) / 3600$ = 6.126 kmol/h

S2-4. Electrolysis of water by wind power (Reaction enthalpy)

The carbon dioxide emissions are calculated from the reaction of the enthalpy of water production. From Section S1-4, the energy required for H<sub>2</sub> production is 54.89 GJ/h. Therefore, the carbon dioxide emissions can be calculated as follows: (Amount of carbon dioxide converted from electricity [kmol/h]) =  $(11 \times 10^{-3} / 44.01) \times (54.89 \times 10^{6} / 3600)$ 

= 3.811 kmol/h

#### S2-5. Steam reforming of methane (w/ CO<sub>2</sub> capture)

Calculate the carbon dioxide emissions in the process of methane steam reforming with carbon dioxide capture. With carbon dioxide capture, 0.0888 kg of carbon dioxide is emitted per 1 Nm<sup>3</sup> of hydrogen in the process of methane steam reforming [S5], so the amount of carbon dioxide emitted to produce 41 million Nm<sup>3</sup> of hydrogen can be calculated.

(Amount of CO<sub>2</sub> emitted by the methane steam reforming process [kmol/h]) = (CO<sub>2</sub> emissions per Nm<sup>3</sup> of H<sub>2</sub> [kmol/(Nm<sup>3</sup>)]) × (H<sub>2</sub> production [Nm<sup>3</sup>/h]) =  $0.0888 / 44.01 \times (4.1 \times 10^7 / 8000)$ = 10.3 kmol/h

S2-6. Steam reforming of methane (w/o CO<sub>2</sub> capture)

Calculate the energy requirements for the methane steam reforming process without  $CO_2$  capture. Without  $CO_2$  capture, the methane steam reforming process emits 0.8091 kg/Nm<sup>3</sup> of  $CO_2$  [S5], so the amount of  $CO_2$  emitted to produce 228.7 kmol/h of H<sub>2</sub> can be calculated.

(Amount of CO<sub>2</sub> emitted by the methane steam reforming process [kmol/h]) = (CO<sub>2</sub> emission per Nm<sup>3</sup> of H<sub>2</sub> [kmol/(Nm<sup>3</sup>)]) × (H<sub>2</sub> production [Nm<sup>3</sup>/h]) =  $0.8091 / 44.01 \times (4.1 \times 10^7 / 8000)$ = 94.2 kmol/h

S2-7. Steam reforming of methane (Reaction enthalpy)

Calculate the CO<sub>2</sub> emission from the reaction in Eqs. S1-7-1 and S1-7-2. The amount of CO<sub>2</sub> emitted in the reaction process of steam reforming of methane with 228.7 kmol/h of  $H_2$  can be calculated in the following way:

(Amount of CO<sub>2</sub> emitted by the steam reforming of methane [kmol/h]) = (molar ratio of  $H_2$  to CO<sub>2</sub>) × (H<sub>2</sub> production [kmol/h])

 $= 1/4 \times 228.7$ 

= 57.2 kmol/h

The amount of  $CO_2$  emitted from the furnace used in the methane steam reforming process is then calculated. Calculated as in this process, the calculation is as follows.

(Amount of hexane required for the heating furnace [kmol/h]) = (Energy required by the heating furnace [GJ/h]) / ((Heat of combustion of hexane [GJ/kmol])

$$= 28.3 / (2031949 \times 10^{-6})$$

= 1.72 kmol/h

Hence, since the molar ratio of hexane to  $CO_2$  is six from the following reaction equation,

 $2C_6H_{14} + 19O_2 \rightarrow 12CO_2 + 14H_2O_1$ 

the amount of CO<sub>2</sub> emitted can be calculated as follows:

(Amount of CO<sub>2</sub> emitted from the furnace [kmol/h]) = (Amount of hexane burned [kmol/h]) × (Molar ratio of hexane to CO<sub>2</sub>)

 $= 1.725 \times 6$ 

= 10.4 kmol/h

Therefore, the amount of  $CO_2$  emitted in this process is 57.2 + 10.4 = 67.6 kmol/h.

S2-8. Electrolysis of water by electric power system (Electrolysis only, experimental)

From Section S2-2, the electric power required for the electrolysis of water is 24395 W. If 0.855 lb of  $CO_2$  is emitted to generate 1 kWh of electricity [S8], the  $CO_2$  emissions can be calculated as follows:

(Amount of CO<sub>2</sub> converted from electricity [kmol/h]) = (Amount of CO<sub>2</sub> per kWh of electricity [kmol/kWh]) × (Electricity [kW])

 $= (0.855 \times 0.454) / 44.01 \times 24395$ 

= 215 kmol/h

S2-9. Electrolysis of water by electric power system (Electrolysis only, theoretical)

From Section S1-9, the CO<sub>2</sub> emission is calculated based on 210.1 GJ/h of energy required for the electrolysis of water. Assuming a conversion efficiency  $\eta = 0.42$  [S7], the following can be calculated:

(CO<sub>2</sub> emission [kmol/h]) = (Amount of CO<sub>2</sub> per kWh of electricity [kmol/kWh])  $\times$ 

(Electricity [kW]) = (0.855 × 0.454) / 44.01 × 24510 = 216 kmol/h

S2-10. Electrolysis of water by electric power system (Reaction enthalpy)

Based on the enthalpy of water production from Section S1-4, the energy required for  $H_2$  production is 54.89 GJ/h. Therefore, the carbon dioxide emissions can be calculated as follows:

(Amount of CO<sub>2</sub> converted from electricity [kmol/h]) = (Amount of CO<sub>2</sub> per kWh of electricity [kmol/kWh]) × (Electricity [kW])

 $= (0.855 \times 0.454) / 44.01 \times (54.89 \times 10^{6} / 3600)$ 

= 134.5 kmol/h

#### **S3. Economic Cost**

S3-1. Decomposition of cellulose (This study)

From Section 3-8, the cost of our hydrogen production process to produce 228.7 kmol/h of hydrogen is \$78.8M per year.

S3-2. Electrolysis of water by wind power (Electrolysis only, experimental)

When an electrolysis tank is used, the cost of water electrolysis can be calculated as follows, assuming CAPEX is \$988/kW and OPEX is \$40/kW [S10]. (Cost of water electrolysis [\$]) = {(CAPEX per 1kW [\$/kW]) + (OPEX per 1kW [\$/kW])} × (Power [kW]) =  $(988 + 40) \times 200 \times 5123 / 42$ = \$25.1M

S3-3. Electrolysis of water by wind power (Electrolysis only, theoretical)

Find the cost of electrolysis of water as follows: (Cost required for H<sub>2</sub> production [\$]) = (Cost of raw material of water [\$]) + (Cost of electrolysis [\$])  $= 228.7 \times 8000 \times 18.02 \times 0.00022 + (210.1 \times 10^{6} \times 8000 \times 0.1) / 3600$ = \$46.7M

S3-4. Electrolysis of water by wind power (Reaction enthalpy)

Also, calculate the cost of water calculated from the enthalpy of water production. (Cost for H<sub>2</sub> production [\$]) = (Raw material cost of water [\$]) + (Cost of electrolysis [\$]) =  $228.7 \times 8000 \times 18.02 \times 0.00022 + (54.89 \times 10^6 \times 8000 \times 0.1) / 3600$ = \$17.7M

S3-5. Steam reforming of methane (w/  $CO_2$  capture)

For CO<sub>2</sub> absorption, the cost is 16.5 c€/(Nm<sup>3</sup>) (0.18 \$/Nm<sup>3</sup>)[S5], which can be calculated as follows. (Cost for H<sub>2</sub> production [\$]) = (Water production [Nm<sup>3</sup>]) × (LCOH [\$/(Nm<sup>3</sup>)]) =  $4.1 \times 10^7 \times 16.5 \times 1.09 \times 10^{-2}$ = \$7.37M

S3-6. Steam reforming of methane (w/o CO<sub>2</sub> capture)

Consider the cost of the methane steam reforming reaction. Since the hydrogen produced in this process is 41 million Nm<sup>3</sup>, the cost is 11.4 c€/(Nm<sup>3</sup>) (0.12 \$/(Nm<sup>3</sup>))[S5] without considering CO<sub>2</sub> absorption, which can be calculated as follows. (Cost for H<sub>2</sub> production [\$]) = (Water production [Nm<sup>3</sup>]) × (LCOH [\$/(Nm<sup>3</sup>)]) =  $4.1 \times 10^7 \times 11.4 \times 1.09 \times 10^{-2}$  = \$5.09M

S3-7. Steam reforming of methane (Reaction enthalpy)

In terms of reactions, consider the cost of steam reforming of methane. Assuming that the feedstock cost of methane is 0.823 \$/Nm<sup>3</sup>[S11], per Nm<sup>3</sup> of methane, we obtain:

(Cost required for H<sub>2</sub> production [\$]) = (Raw material cost of methane [\$]) + (Raw material cost of water [\$]) + (Furnace cost [\$]) + (Fuel cost of hexane [\$])

 $= (228.7 \times 10^{3} / 4 \times 8000) \times 0.0224 \times 0.823$ + (228.7 \times 10^{3} / 2 \times 8000) \times 18.02 \times 0.00022 + 0.1417 \times 10^{6} + 1.72 \times 86.18 \times 8000 \times 0.23 = \$8.8521M

S3-8. Electrolysis of water by electric power system (Electrolysis only, experimental)

Same as Section S3-2, assuming that the cost of electricity from wind power is the same as the cost of electricity from the power grid.

S3-9. Electrolysis of water by electric power system (Electrolysis only, theoretical)

Same as Section S3-3, assuming that the cost of electricity from wind power is the same as the cost of electricity from the power grid.

S3-10. Electrolysis of water by electric power system (Reaction enthalpy)

Same as Section S3-4, assuming that the cost of electricity from wind power is the same as the cost of electricity from the power grid.

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