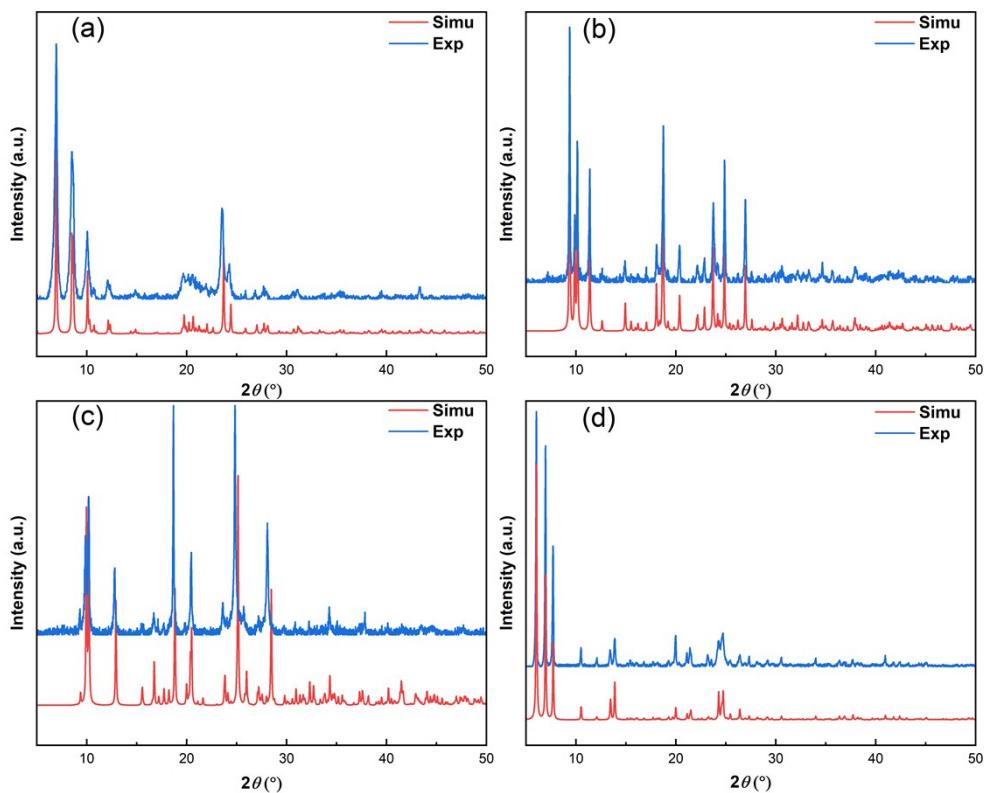


## Supplementary Information

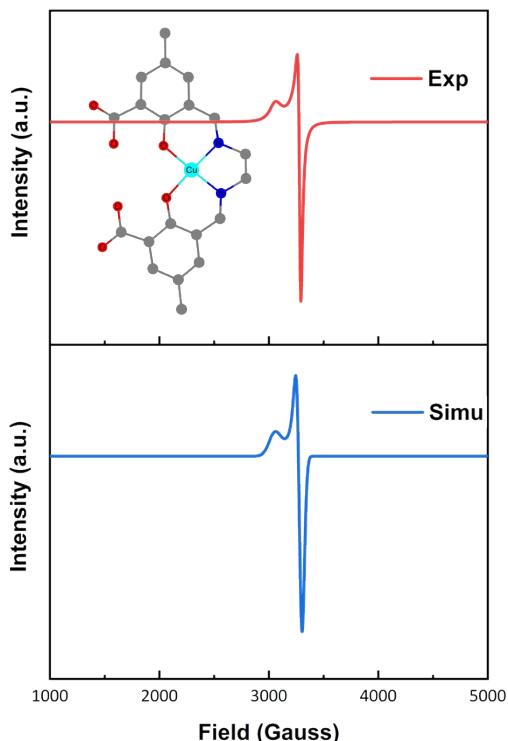
# Orthogonal magnetic orbitals in high spin Cu-VO units: structure, magnetism and EPR study of anisotropic heterometallic complexes

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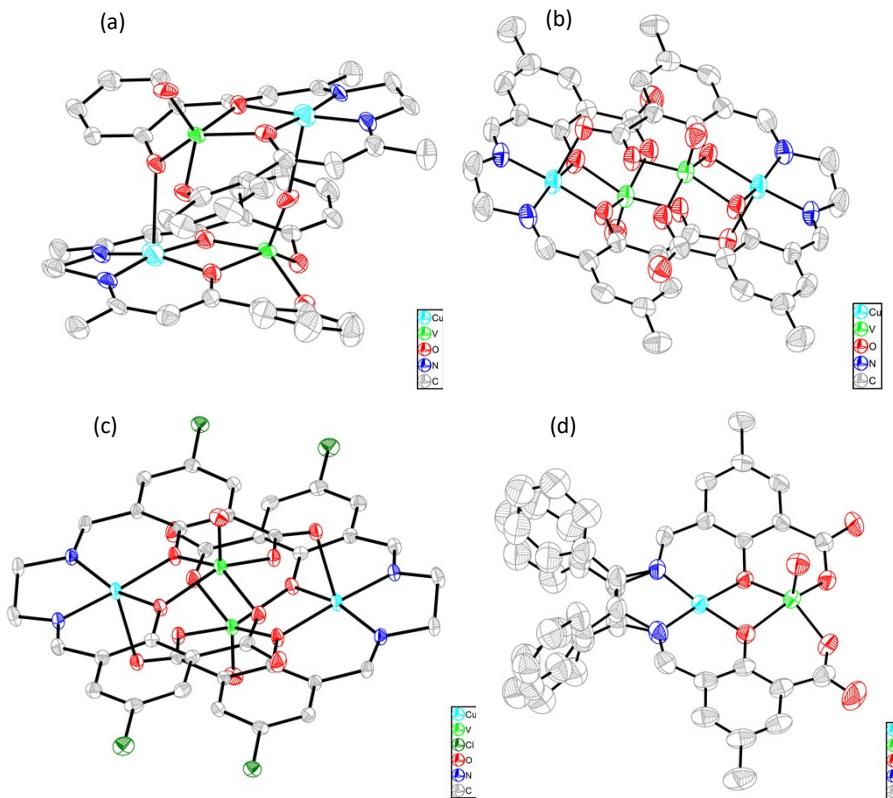
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**Figure S1.** PXRD patterns of **1a** (a), **2a** (b), **2b** (c), **2c** (d). The simulated one based on their single crystal structures.



**Figure S2.** 9.388 GHz EPR spectrum of mononuclear Cu<sup>II</sup> complex at 10 K. The inset shows the corresponding molecular structure. The Hamiltonian is:  $\hat{H} = \mu_B \vec{B}^T \bar{g}_{Cu} \hat{S}$ . The principal values of  $\bar{g}_{Cu}$  obtained from the simulation is [2.04 2.04 2.22].



**Figure S3.** Structural representation of **1a** (a), **2a** (b), **2b** (c) and **2c** (d) with hydrogen atoms omitted (50% probability thermal ellipsoids).

**Table S1.** Crystallographic data of **1a**, **2a**, **2b** and **2c**

	<b>1a</b>	<b>2a</b>	<b>2b</b>	<b>2c</b>
Formula	C <sub>44</sub> H <sub>40</sub> Cu <sub>2</sub> N <sub>4</sub> O <sub>10</sub> V <sub>2</sub>	C <sub>40</sub> H <sub>32</sub> Cu <sub>2</sub> N <sub>4</sub> O <sub>14</sub> V <sub>2</sub>	C <sub>36</sub> H <sub>20</sub> Cl <sub>4</sub> Cu <sub>2</sub> N <sub>4</sub> O <sub>14</sub> V <sub>2</sub>	C <sub>32</sub> H <sub>24</sub> CuN <sub>2</sub> O <sub>7</sub> V
FW (g mol <sup>-1</sup> )	1013.76	1021.65	1103.32	663.01
Crystal system	triclinic	monoclinic	triclinic	triclinic
Space group	<i>P</i> -1	<i>C</i> 2/ <i>c</i>	<i>P</i> -1	<i>P</i> -1
<i>a</i> (Å)	9.0873(2)	20.1187(8)	9.6581(2)	7.3860(2)
<i>b</i> (Å)	13.3569(3)	10.8875(4)	10.7180(3)	13.3981(4)
<i>c</i> (Å)	17.7604(3)	18.4955(7)	10.7586(3)	15.4197(4)
$\alpha$ (°)	86.312(2)	90	114.387(3)	71.938(2)
$\beta$ (°)	80.406(1)	109.576(4)	94.858(2)	84.339(2)
$\gamma$ (°)	72.478(2)	90	111.117(2)	83.891(2)
<i>V</i> (Å <sup>3</sup> )	2026.72(8)	3817.1(3)	909.78(5)	1438.99(7)
$\rho_{\text{cacl}}$ (g.cm <sup>-3</sup> )	1.661	1.778	2.014	1.530
$\mu$ (mm <sup>-1</sup> )	1.55	1.653	2.026	1.116
<i>F</i> (000)	1032.0	2064.0	548.0	676.0
Collected reflections	38210	14216	24914	21737
Independent reflections	7386	4840	4859	7306
<i>R</i> <sub>int</sub>	0.122	0.0262	0.0314	0.0261

$R_1$ [ $I > 2\sigma(I)$ ]	0.068	0.0390	0.0262	0.0793
$wR_2$ (all data)	0.174	0.1088	0.0712	0.2426
GOF	1.076	1.017	1.070	1.092

**Table S2.** Selected bond lengths [Å] and angles [°] for **1a**, **2a**, **2b** and **2c**

<b>1a</b>					
Cu1—O4	1.937 (7)	V1—O4	2.025 (7)	Cu2—O2	1.929 (8)
Cu1—O5	1.933 (8)	V1—O5	2.025 (8)	Cu2—N1	1.906 (9)
Cu1—O9	2.401 (7)	V1—O6	1.908 (8)	Cu2—N2	1.902 (10)
Cu1—N3	1.898 (9)	V1—O8	1.599 (7)	V2—O7	1.918 (8)
Cu1—N4	1.892 (10)	V2—O1	1.994 (8)	V2—O9	1.578 (8)
Cu2—O1	1.932 (8)	V2—O2	2.037 (8)	V2—O10	1.899 (8)
V1—O3	1.930 (7)				
O4—Cu1—O9	81.8 (3)	O6—V1—O4	145.4 (3)	O10—V2—O1	142.4 (3)
O5—Cu1—O4	80.6 (3)	O6—V1—O5	87.4 (3)	O10—V2—O2	84.8 (3)
O5—Cu1—O9	84.8 (3)	O8—V1—O3	108.1 (4)	O10—V2—O7	90.7 (3)
N3—Cu1—O4	95.6 (4)	O8—V1—O4	107.5 (4)	Cu2—O1—V2	102.9 (4)
N3—Cu1—O5	174.5 (4)	O8—V1—O5	107.1 (4)	Cu2—O2—V2	101.4 (4)
N3—Cu1—O9	98.6 (3)	O8—V1—O6	106.4 (4)	Cu1—O4—V1	100.7 (3)
N4—Cu1—O4	174.3 (4)	O1—V2—O2	75.4 (3)	V2—O9—Cu1	169.9 (5)
N4—Cu1—O5	95.9 (4)	O7—V2—O1	85.2 (3)	N2—Cu2—O1	161.9 (4)
N4—Cu1—O9	102.4 (3)	O7—V2—O2	140.6 (3)	N2—Cu2—O2	95.0 (4)
N4—Cu1—N3	87.6 (4)	O9—V2—O1	109.2 (4)	N2—Cu2—N1	87.6 (4)
O2—Cu2—O1	79.4 (3)	O9—V2—O2	110.1 (4)	O3—V1—O4	87.2 (3)
N1—Cu2—O1	95.2 (4)	O9—V2—O7	108.6 (4)	O3—V1—O5	144.2 (3)
N1—Cu2—O2	169.7 (4)	O9—V2—O10	107.6 (4)	O5—V1—O4	76.3 (3)
O6—V1—O3	88.8 (3)				
<b>2a</b>					
Cu1—V1	3.0231 (5)	V1—O3	1.9484 (17)	V1—O4	1.928 (2)
Cu1—O1	1.9059 (17)	V1—O1	1.9802 (18)	V1—O7	1.579 (2)
Cu1—O2	1.9241 (18)	V1—O2	1.9753 (18)	Cu1—N2	1.897 (2)
Cu1—O5 <sup>i</sup>	2.349 (2)	Cu1—N1	1.900 (2)		
O1—Cu1—V1	39.82 (5)	O3—V1—O1	84.17 (7)	N2—Cu1—V1	133.43 (7)
O1—Cu1—O2	79.46 (7)	O3—V1—O2	143.78 (8)	N2—Cu1—O1	169.82 (9)
O1—Cu1—O5 <sup>i</sup>	93.30 (8)	O1—V1—Cu1	38.05 (5)	N2—Cu1—O2	94.90 (9)
O2—Cu1—V1	39.79 (5)	O2—V1—Cu1	38.56 (5)	N2—Cu1—O5 <sup>i</sup>	95.48 (9)
O2—Cu1—O5 <sup>i</sup>	93.11 (8)	O2—V1—O1	76.47 (7)	N2—Cu1—N1	87.73 (10)
O5 <sup>i</sup> —Cu1—V1	96.85 (5)	O4—V1—Cu1	120.52 (6)	O7—V1—O3	107.06 (10)
N1—Cu1—V1	131.62 (8)	O4—V1—O3	92.42 (8)	O7—V1—O1	108.27 (11)
N1—Cu1—O1	95.16 (9)	O4—V1—O1	144.89 (9)	O7—V1—O2	107.97 (10)
N1—Cu1—O2	162.43 (10)	O4—V1—O2	86.55 (8)	O7—V1—O4	106.13 (11)
N1—Cu1—O5 <sup>i</sup>	103.95 (9)	O7—V1—Cu1	110.77 (8)	Cu1—O1—V1	102.12 (8)
Cu1—O2—V1	101.65 (8)				
Symmetry code: (i) $-x+1, -y+1, -z+1$ .					
<b>2b</b>					
Cu1—V1	3.0259 (4)	V1—O3	1.9566 (13)	V1—O7	1.5890 (14)
Cu1—O1	1.9127 (12)	V1—O1	1.9858 (12)	Cu1—N1	1.9096 (15)
Cu1—O2	1.9258 (12)	V1—O2	1.9855 (12)	Cu1—N2	1.8952 (15)
Cu1—O5 <sup>i</sup>	2.3311 (13)	V1—O4	1.9269 (13)		
O1—Cu1—V1	39.97 (4)	O3—V1—O1	84.53 (5)	O7—V1—O3	107.29 (7)
O1—Cu1—O2	79.81 (5)	O3—V1—O2	143.96 (6)	O7—V1—O1	108.19 (7)
O1—Cu1—O5 <sup>i</sup>	92.44 (5)	O1—V1—Cu1	38.22 (4)	O7—V1—O2	107.70 (7)
O2—Cu1—V1	40.04 (4)	O2—V1—Cu1	38.61 (4)	O7—V1—O4	105.78 (7)
O2—Cu1—O5 <sup>i</sup>	94.21 (5)	O2—V1—O1	76.64 (5)	Cu1—O1—V1	101.81 (6)
O5—Cu1—V1	97.49 (3)	O4—V1—Cu1	120.88 (4)	Cu1—O2—V1	101.35 (6)
N1—Cu1—V1	131.81 (5)	O4—V1—O3	92.20 (6)	N2—Cu1—V1	134.33 (5)
N1—Cu1—O1	95.08 (6)	O4—V1—O1	145.28 (6)	N2—Cu1—O1	171.92 (6)
N1—Cu1—O2	163.61 (6)	O4—V1—O2	86.52 (5)	N2—Cu1—O2	95.30 (6)

N1—Cu1—O5 <sup>i</sup>	101.60 (6)	O7—V1—Cu1	110.14 (5)	N2—Cu1—O5 <sup>i</sup>	94.33 (5)
Symmetry code: (i) -x+1, -y+1, -z+1.					
<b>2c</b>					
Cu1—V1	2.9612 (9)	V1—O2	1.923 (4)	V1—O3	1.586 (4)
Cu1—O5	1.914 (3)	V1—O4	1.947 (3)	Cu1—N2	1.897 (4)
Cu1—O6	1.922 (3)	V1—O5	1.961 (3)	Cu1—O3 <sup>i</sup>	2.438 (4)
Cu1—N1	1.895 (4)	V1—O6	1.998 (3)		
O5—Cu1—V1	40.76 (10)	O2—V1—O4	93.82 (16)	N2—Cu1—V1	134.61 (16)
O5—Cu1—O6	80.65 (14)	O2—V1—O5	86.68 (16)	N2—Cu1—O5	95.32 (19)
O5—Cu1—O3 <sup>i</sup>	93.38 (15)	O2—V1—O6	146.25 (16)	N2—Cu1—O6	175.54 (18)
O6—Cu1—V1	41.92 (10)	O4—V1—Cu1	123.97 (11)	N2—Cu1—O3 <sup>i</sup>	92.7 (2)
O6—Cu1—O3 <sup>i</sup>	89.41 (15)	O4—V1—O5	148.39 (16)	O3i—Cu1—V1	81.87 (10)
N1—Cu1—V1	134.76 (13)	O4—V1—O6	84.89 (14)	O2—V1—Cu1	124.72 (13)
N1—Cu1—O5	174.17 (18)	O5—V1—Cu1	39.58 (10)	O3—V1—O2	107.4 (2)
N1—Cu1—O6	96.18 (16)	O5—V1—O6	77.65 (13)	O3—V1—O4	103.4 (2)
N1—Cu1—N2	88.0 (2)	O6—V1—Cu1	40.00 (9)	O3—V1—O5	106.6 (2)
N1—Cu1—O3 <sup>i</sup>	81.65 (18)	O3—V1—Cu1	101.44 (16)	O3—V1—O6	105.71 (18)
Cu1—O5—V1	99.66 (15)	Cu1—O6—V1	98.08 (14)		
Symmetry code: (i) -x+1, -y+2, -z.					

Compound	J / cm <sup>-1</sup>	$\varphi$ / °	$\theta$ / °	R / Å	R' / Å	Ref
<b>2c</b>	-132.66	1.6	98.08, 99.66	2.096	3.86	This work
<b>D</b>	-91.20	6.41	101.8, 101.86	3.089	3.98	1
<b>2a</b>	-122.40	8.9	102.12, 101.66	3.023	3.88	This work
<b>2b</b>	-117.85	9.2	101.81, 101.35	3.026	3.9	This work
<b>C</b>	-118	9.8	99.21, 98.47	2.989	3.92	2
<b>1a</b>	-94	27.5	102.16, 100.68	3.054	3.94	This work
<b>B</b>	-85	31.97	97.51, 98.02	3.067	4.06	3
<b>A</b>	-85	31.43	106.34, 94.37	3.131	3.92	4

**Table S3.** Coupling constant and structural parameters.

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**Relationship between  $J_{23}$  in four  $S = 1/2$  spins coupled model and  $J_{iso}$  in two  $S = 1$  spins coupled model**

The energy gaps between different spin multiplicities is relevant for isotropic exchange interactions, and based on symmetry consideration, these energy gaps in “multi-spin” system can be obtained by diagonalizing the Hamiltonian as follow,

$$\hat{H} = J_1 \vec{S}_1^T \vec{S}_2 + J_2 \vec{S}_2^T \vec{S}_3 + J_1 \vec{S}_3^T \vec{S}_4 + J_2 \vec{S}_4^T \vec{S}_1 \#(1)$$

**Table S4.** Eigenvalues of the  $16 \times 16$  Hamiltonian matrix.

eigenvalue	spin multiplicity
$-\frac{J_1 + J_2}{2}$	3
$\frac{J_1 - J_2}{2}$	3
$-\frac{J_1 - J_2}{2}$	3
$\frac{J_1 + J_2}{2}$	5
$-\frac{J_1 + J_2 + 2\sqrt{J_1^2 - J_1 J_2 + J_2^2}}{2}$	1
$-\frac{J_1 + J_2 - 2\sqrt{J_1^2 - J_1 J_2 + J_2^2}}{2}$	1

The nine lowest energy levels of the system contain a quintet, a triplet, and a singlet, with energy gaps  $E_1$  for the quintet and triplet and  $E_2$  for the triplet and singlet.

$$E_1 = J_2 \#(2)$$

$$E_2 = |J_1 + \sqrt{J_1^2 - J_1 J_2 + J_2^2}| \#(3)$$

When  $J_2/J_1$  tends to 0,

$$\lim_{\substack{J_2 \\ J_1 \rightarrow 0}} |J_1 + \sqrt{J_1^2 - J_1 J_2 + J_2^2}| = \left| \frac{J_2}{2} \right| \#(4)$$

Based on the interactions obtained from the magnetic data, the electronic structure of **2b** and **2c** at low energy can also be approximated by the “giant-spin” Hamiltonian. The coupling between two  $S = 1$  spins is denoted by  $J_{iso}$ ,

$$\hat{H} = J_{iso} \vec{S}_a^T \vec{S}_b \#(5)$$

The eigenvalues of this  $9 \times 9$  Hamiltonian matrix as shown in Table S5.

**Table S5.** Eigenvalues of the  $9 \times 9$  Hamiltonian matrix.

eigenvalue	spin multiplicity
$-2J_{iso}$	1
$-J_{iso}$	3
$J_{iso}$	5

The energy gap between the quintet and triplet is  $E_1$ , and the energy gap between the triplet and singlet is  $E_2$ .

$$E_1 = 2J_{iso} \#(6)$$

$$E_2 = J_{iso} \#(7)$$

Comparing Equation (2), Equation (4) and Equation (6), Equation (7), a following relationship exists when  $J_2/J_1$  tends to 0,

$$J_{iso}\!=\!\frac{J_2}{2}\#(8)$$

**Table S6.** Hamiltonian parameters used for calculation.

EPR parameters	2b	2c
$g_{i\parallel}$	2.08	2.08
$g_{i\perp}$	2.00	2.00
$D_{ixx} / \text{cm}^{-1}$	0.063	0.067
$D_{iyy} / \text{cm}^{-1}$	-0.141	-0.174
$D_{izz} / \text{cm}^{-1}$	0.078	0.107
$J_{\text{iso}} / \text{cm}^{-1}$	-0.373	5.18
$D_{abxx} / \text{cm}^{-1}$	-0.165	-0.267
$D_{abyy} / \text{cm}^{-1}$	-0.140	-0.133
$D_{abzz} / \text{cm}^{-1}$	0.305	0.400

**Table S7.** Matrix elements calculated with the following spin Hamiltonian and basis sets at zero field of effective model containing two  $S = 1$  spins.

$$\hat{H} = \sum_{i=a}^b \mu_B \vec{B}^T \vec{g}_i \vec{\gamma}_i + \sum_{i=a}^b \vec{\gamma}_i^T \vec{D}_i \vec{\gamma}_i + J \vec{\gamma}_a^T \vec{\gamma}_b + \vec{\gamma}_a^T \vec{D}_{ab} \vec{\gamma}_b \#(9)$$

	$ 1,1\rangle$	$ 1,0\rangle$	$ 1,-1\rangle$	$ 0,1\rangle$	$ 0,0\rangle$	$ 0,-1\rangle$	$  -1,1\rangle$	$  -1,0\rangle$	$  -1,-1\rangle$
$\langle 1,1 $	$\frac{2D}{3} + \frac{2D_{ab}}{3} + J$	0	$E$	0	$E_{ab}$	0	$E$	0	0
$\langle 1,0 $	0	$\frac{-D}{3}$	0	$\frac{-D_{ab}}{3} + J$	0	$E_{ab}$	0	$E$	0
$\langle 1,-1 $	$E$	0	$\frac{2D}{3} - \frac{2D_{ab}}{3} - J$	0	$\frac{-D_{ab}}{3} + J$	0	0	0	$E$
$\langle 0,1 $	0	$\frac{-D_{ab}}{3} + J$	0	$\frac{-D}{3}$	0	$E$	0	$E_{ab}$	0
$\langle 0,0 $	$E_{ab}$	0	$\frac{-D_{ab}}{3} + J$	0	$\frac{-4D}{3}$	0	$\frac{-D_{ab}}{3} + J$	0	$E_{ab}$
$\langle 0,-1 $	0	$E_{ab}$	0	$E$	0	$\frac{-D}{3}$	0	$\frac{-D_{ab}}{3} + J$	0
$\langle -1,1 $	$E$	0	0	0	$\frac{-D_{ab}}{3} + J$	0	$\frac{2D}{3} - \frac{2D_{ab}}{3} - J$	0	$E$
$\langle -1,0 $	0	$E$	0	$E_{ab}$	0	$\frac{-D_{ab}}{3} + J$	0	$\frac{-D}{3}$	0
$\langle -1,-1 $	0	0	$E$	0	$E_{ab}$	0	$E$	0	$\frac{2D}{3} + \frac{2D_{ab}}{3} + J$

$$D = \frac{3}{2}D_{zz}, E = \frac{1}{2}(D_{xx} - D_{yy})$$

$D_{xx}, D_{yy}$  and  $D_{zz}$  are principal values of  $\bar{D}_i$ .

$$D_{ab} = \frac{3}{2}D_{abzz}, E_{ab} = \frac{1}{2}(D_{abxx} - D_{abyy})$$

$D_{abxx}, D_{abyy}$  and  $D_{abzz}$  are principal values of  $\bar{D}_{ab}$ .

**Table S8.** Energy level results obtained and corresponding state compositions of **2b**.

Energy / GHz	Expression	State composition								
		$ 1,1\rangle$	$ 1,0\rangle$	$ 1,-1\rangle$	$ 0,1\rangle$	$ 0,0\rangle$	$ 0,-1\rangle$	$  -1,1\rangle$	$  -1,0\rangle$	$  -1,-1\rangle$
-23.402	(Complicated)	-0.105	0	0.451	0	0.755	0	0.451	0	-0.105
-19.606	$(2D+2D_{ab}+3J)/3$	0	-0.500	0	-0.500	0	0.500	0	0.500	0
-14.240	$(-D-D_{ab}+3E+3E_{ab}+3J)/3$	0	-0.500	0	-0.500	0	-0.500	0	-0.500	0
-0.294	$(-D+D_{ab}-3E+3E_{ab}-3J)/3$	0.683	0	-0.051	0	0.250	0	-0.051	0	0.683
0.300	(Complicated)	-0.707	0	0	0	0	0	0	0	0.707
4.337	$(-D-D_{ab}-3E-3E_{ab}+3J)/3$	0	0	0.707	0	0	0	-0.707	0	0
11.152	$(2D-2D_{ab}-3J)/3$	0	0.500	0	-0.500	0	0.500	0	-0.500	0
18.018	$(-D+D_{ab}+3E-3E_{ab}-3J)/3$	0	0.500	0	-0.500	0	-0.500	0	0.500	0
23.696	(Complicated)	0.151	0	0.542	0	-0.606	0	0.542	0	0.151

**Table S9.** Energy level results obtained and corresponding state compositions of **2c**.

Energy / GHz	Expression	State composition								
		$ 1,1\rangle$	$ 1,0\rangle$	$ 1,-1\rangle$	$ 0,1\rangle$	$ 0,0\rangle$	$ 0,-1\rangle$	$  -1,1\rangle$	$  -1,0\rangle$	$  -1,-1\rangle$
-310.670	(Complicated)	0.011	0	-0.581	0	0.570	0	-0.581	0	0.011
-163.777	$(-D+D_{ab}-3E+3E_{ab}-3J)/3$	0	0	-0.707	0	0	0	0.707	0	0
-154.303	$(2D-2D_{ab}-3J)/3$	0	-0.500	0	0.500	0	-0.500	0	0.500	0
-147.798	$(-D+D_{ab}+3E-3E_{ab}-3J)/3$	0	-0.500	0	0.500	0	0.500	0	-0.500	0
139.429	(Complicated)	0.041	0	-0.402	0	-0.821	0	-0.402	0	0.041
144.470	$(2D+2D_{ab}+3J)/3$	0	0.500	0	0.500	0	-0.500	0	-0.500	0
150.616	$(-D-D_{ab}+3E+3E_{ab}+3J)/3$	0	0.500	0	0.500	0	0.500	0	0.500	0
170.792	$(-D-D_{ab}-3E-3E_{ab}+3J)/3$	-0.707	0	0	0	0	0	0	0	0.707
171.241	(Complicated)	-0.706	0	-0.033	0	-0.039	0	-0.033	0	-0.706