Supplemental Information for:

Interactions of peroxy radicals from monoterpene and isoprene oxidation simulated in the radical Volatility Basis Set

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Table 1: Kinetic parameters for α -pinene and isoprene autoxidation and association reactions.

E_a	7300 K
$A_{\mathrm{ap}_{1}}$	$7.2 \times 10^9 \text{ s}^{-1}$
A_{ap_2}	$2 \times 10^9 \text{ s}^{-1}$
A_{ap_3}	$8 \times 10^8 \text{ s}^{-1}$
A_{ip_1}	$8 \times 10^8 \text{ s}^{-1}$
A_{ip_2}	$4 \times 10^8 \text{ s}^{-1}$
A _{ip3}	$1.8 \times 10^8 \text{ s}^{-1}$
$k_{apOx_0RO_2}$	$5 \times 10^{-12} \mathrm{~cm^3~s^{-1}}$
$k_{apOx_1RO_2}$	$10^{-11} \mathrm{~cm^3~s^{-1}}$
$k_{apOx_2RO_2}$	$5 \times 10^{-11} \mathrm{~cm^3~s^{-1}}$
k _{apOx3RO2}	$10^{-10} \mathrm{~cm^3~s^{-1}}$
k _{ipOx0RO2}	$5 \times 10^{-12} \text{ cm}^3 \text{ s}^{-1}$
$k_{ipOx_1RO_2}$	$10^{-11} \mathrm{~cm^{3}~s^{-1}}$
k _{ipOx2RO2}	$5 \times 10^{-11} \text{ cm}^3 \text{ s}^{-1}$
k _{ipOx3RO2}	$10^{-10} \text{ cm}^3 \text{ s}^{-1}$

#	Reaction	Rate coefficient*
1	$ip + O_3 \longrightarrow 0.25 ipOx_0RO_2 + 0.75 ipRO_2$	9.6×10^{-18}
2	$ip + OH \longrightarrow 0.5 ipRO_2 + 0.5 ipOx_0RO_2$	10^{-10}
3	$ipOx_0RO_2 \longrightarrow ipOx_1RO_2$	$A_{\rm ip_1} \exp\left(-{\rm E}_a/T\right)$
4	$HO_2 + ipOx_0RO_2 \longrightarrow ipOx_0ROOH$	10^{-11}
5	$2 i pOx_0 RO_2 \longrightarrow \gamma i pOx_0 Ox_0 ROOR + 2 \alpha i pOx_0 RO$	$k_{ipOx_0RO_2}$
6	$ipOx_0RO_2 \longrightarrow ipOx_0RO$	6×10^{-8}
7	$ipOx_1RO_2 \longrightarrow ipOx_2RO_2$	$A_{\mathrm{ip}_2} \exp\left(-\mathrm{E}_a/T\right)$
8	$HO_2 + ipOx_1RO_2 \longrightarrow ipOx_1ROOH$	10^{-11}
9	$ipOx_1RO_2 + ipOx_0RO_2 \longrightarrow \gamma ipOx_1Ox_0ROOR + \alpha (ipOx_0RO + ipOx_1RO)$	$2\sqrt{k_{ipOx_0RO_2}k_{ipOx_1RO_2}}$
10	$2 i pOx_1 RO_2 \longrightarrow \gamma i pOx_1 i pOx_1 ROOR + 2 \alpha i pOx_1 RO$	k _{ipOx1RO2}
11	$ipOx_1RO_2 \longrightarrow ipOx_1RO$	6×10^{-8}
12	$ipOx_2RO_2 \longrightarrow ipOx_3RO_2$	$A_{\rm ip_3} \exp\left(-{\rm E}_a/T\right)$
13	$HO_2 + ipOx_2RO_2 \longrightarrow ipOx_2ROOH$	10^{-11}
14	$ipOx_2RO_2 + ipOx_0RO_2 \longrightarrow \gamma ipOx_2Ox_0ROOR + \alpha(ipOx_0RO + ipOx_2RO)$	$2\sqrt{k_{ipOx_2RO_2}k_{ipOx_0RO_2}}$
15	$ipOx_1RO_2 + ipOx_2RO_2 \longrightarrow \gamma ipOx_2ipOx_1ROOR + \alpha(ipOx_2RO + ipOx_1RO)$	$\sqrt{k_{ipOx_1RO_2} k_{ipOx_2RO_2}}$
16	$2 i pOx_2 RO_2 \longrightarrow \gamma i pOx_2 i pOx_2 ROOR + 2 \alpha i pOx_2 RO$	k _{ipOx2RO2}
17	$ipOx_2RO_2 \longrightarrow ipOx_2RO$	6×10^{-8}
18	$HO_2 + ipOx_3RO_2 \longrightarrow ipOx_3ROOH$	10^{-11}
19	$ipOx_3RO_2 + ipOx_0RO_2 \longrightarrow \gamma ipOx_3ROOR + \alpha (ipOx_0RO + ipOx_3RO)$	$2\sqrt{k_{ipOx_3RO_2}k_{ipOx_0RO_2}}$
20	$ipOx_1RO_2 + ipOx_3RO_2 \longrightarrow \gamma ipOx_3ipOx_1ROOR + \alpha (ipOx_3RO + ipOx_1RO)$	$2\sqrt{k_{ipOx_1RO_2}k_{ipOx_3RO_2}}$
21	$ipOx_2RO_2 + ipOx_3RO_2 \longrightarrow \gamma ipOx_3ipOx_2ROOR + \alpha (ipOx_3RO + ipOx_2RO)$	$2\sqrt{k_{ipOx_2RO_2}k_{ipOx_3RO_2}}$
22	$2 i pOx_3 RO_2 \longrightarrow \gamma i pOx_3 i pOx_3 ROOR + 2 \alpha i pOx_3 RO$	$k_{ipOx_3RO_2}$
23	$ipOx_3RO_2 \longrightarrow ipOx_3RO$	6×10^{-8}

 Table 2: Isoprene reactions and rate coefficients

* First-order coefficients have units s^{-1} ; second-order coefficients have units $cm^3 s^{-1}$.

 γ and α represent the branching between dimer formation and alkoxy radical formation, respectively, as discussed in section 2.1.

#	Pagation	Poto coofficient*
#	Keaction	Kate coefficient
24	$apOx_0RO_2 + ipOx_0RO_2 \longrightarrow \gamma apOx_0ipOx_0ROOR + \alpha(apRO + ipOx_0RO)$	$2\sqrt{k_{apOx_0RO_2} k_{ipOx_0RO_2}}$
25	$apOx_0RO_2 + ipOx_1RO_2 \longrightarrow \gamma apOx_0ipOx_1ROOR + \alpha(apRO + ipOx_1RO)$	$2\sqrt{k_{apOx_0RO_2} k_{ipOx_1RO_2}}$
26	$apOx_0RO_2 + ipOx_2RO_2 \longrightarrow \gamma apOx_0ipOx_1ROOR + \alpha(apRO + ipOx_2RO)$	$2\sqrt{k_{apOx_0RO_2} k_{ipOx_2RO_2}}$
27	$apOx_0RO_2 + ipOx_3RO_2 \longrightarrow \gamma apOx_0ipOx_3ROOR + \alpha(apRO + ipOx_3RO)$	$2\sqrt{k_{apOx_0RO_2} k_{ipOx_3RO_2}}$
28	$apOx_1RO_2 + ipOx_0RO_2 \longrightarrow \gamma apOx_1ipOx_0ROOR + \alpha(apOx_1RO + ipOx_0RO)$	$2\sqrt{k_{apOx_1RO_2} k_{ipOx_0RO_2}}$
29	$apOx_1RO_2 + ipOx_1RO_2 \longrightarrow \gamma apOx_1ipOx_1ROOR + \alpha(apOx_1RO + ipOx_1RO)$	$2\sqrt{k_{apOx_1RO_2} k_{ipOx_1RO_2}}$
30	$apOx_1RO_2 + ipOx_2RO_2 \longrightarrow \gamma apOx_1ipOx_1ROOR + \alpha(apOx_1RO + ipOx_2RO)$	$2\sqrt{k_{apOx_1RO_2} k_{ipOx_2RO_2}}$
31	$apOx_1RO_2 + ipOx_3RO_2 \longrightarrow \gamma apOx_1ipOx_3ROOR + \alpha(apOx_1RO + ipOx_3RO)$	$2\sqrt{k_{apOx_1RO_2} k_{ipOx_3RO_2}}$
32	$apOx_2RO_2 + ipOx_0RO_2 \longrightarrow \gamma apOx_2ipOx_0ROOR + \alpha(apOx_2RO + ipOx_0RO)$	$2\sqrt{k_{apOx_2RO_2} k_{ipOx_0RO_2}}$
33	$apOx_2RO_2 + ipOx_1RO_2 \longrightarrow \gamma apOx_2ipOx_1ROOR + \alpha(apOx_2RO + ipOx_1RO)$	$2\sqrt{k_{apOx_2RO_2}k_{ipOx_1RO_2}}$
34	$apOx_2RO_2 + ipOx_2RO_2 \longrightarrow \gamma apOx_2ipOx_1ROOR + \alpha(apOx_2RO + ipOx_2RO)$	$2\sqrt{k_{apOx_2RO_2}k_{ipOx_2RO_2}}$
35	$apOx_2RO_2 + ipOx_3RO_2 \longrightarrow \gamma apOx_2ipOx_3ROOR + \alpha(apOx_2RO + ipOx_3RO)$	$2\sqrt{k_{apOx_2RO_2}k_{ipOx_3RO_2}}$
36	$apOx_3RO_2 + ipOx_0RO_2 \longrightarrow \gamma apOx_3ipOx_0ROOR + \alpha(apOx_3RO + ipOx_0RO)$	$2\sqrt{k_{apOx_3RO_2} k_{ipOx_0RO_2}}$
37	$apOx_3RO_2 + ipOx_1RO_2 \longrightarrow \gamma apOx_3ipOx_1ROOR + \alpha(apOx_3RO + ipOx_1RO)$	$2\sqrt{k_{apOx_3RO_2} k_{ipOx_1RO_2}}$
38	$apOx_3RO_2 + ipOx_2RO_2 \longrightarrow \gamma apOx_3ipOx_1ROOR + \alpha(apOx_3RO + ipOx_2RO)$	$2\sqrt{k_{apOx_3RO_2} k_{ipOx_2RO_2}}$
39	$apOx_3RO_2 + ipOx_3RO_2 \longrightarrow \gamma apOx_3ipOx_3ROOR + \alpha (apOx_3RO + ipOx_3RO)$	$2\sqrt{k_{apOx_3RO_2} k_{ipOx_3RO_2}}$

Table 3: Isoprene and α -pinene cross reactions and rate coefficients

* First-order coefficients have units s^{-1} ; second-order coefficients have units $cm^3 s^{-1}$. γ and α represent the branching between dimer formation and alkoxy radical formation,

respectively, as discussed in section 2.1.

#	Reaction	Rate coefficient*
40	$O_2 + h\nu \longrightarrow 2 O(^{3}P)$	$j = 6.0 \times 10^{-34}$
41	$O_3 + h\nu \longrightarrow O_2 + O(^3P)$	$j = 10^{-6}$
42	$O_3 + h\nu \longrightarrow O(^1D) + O_2$	$j = 1.2 \times 10^{-7}$
43	$O_2 + O(^3P) \longrightarrow O_3$	$k_0 = 6.0 \times 10^{-34} (T/300)^{-2.4}, k_\infty = 3.0 \times 10^{-12}$
44	$H_2O + O(^1D) \longrightarrow 2 OH$	2.2×10^{-10}
45	$HO_2 + O_3 \longrightarrow 2O_2 + OH$	$1.1 \times 10^{-14} \exp\left(-490/T\right)$
46	$O(^{3}P) + OH \longrightarrow O_{2} + H$	$2.210^{-11}\exp\left(-120/T\right)$
47	$O(^{3}P) + HO_{2} \longrightarrow OH + O_{2}$	$3 \times 10^{-11} \exp\left(-200/T\right)$
48	$HO_2 + HO_2 \longrightarrow H_2O_2 + O_2$	$3.0 \times 10^{-13} \times \exp(460/T)$
50	$O_3 + OH \longrightarrow HO_2 + O_2$	$1.7 \times 10^{-12} \exp\left(-940/T\right)$

Table 4: Inorganic photochemical reactions and rate coefficients used in this work

* First-order coefficients have units s^{-1} ; second-order coefficients have units $cm^3 s^{-1}$.

#	Reaction	Rate coefficient*
51	$ap + O_3 \longrightarrow 0.25 apOx_0RO_2 + 0.75 apRO_2 + 0.8 OH$	8×10^{-17}
52	$ap + OH \longrightarrow 0.25 apOx_0RO_2 + 0.75 apRO_2$	5.4×10^{-11}
53	$apOx_0RO_2 \longrightarrow apOx_1RO_2$	$A_{\rm ap_1} \exp\left(-{\rm E}_a/T\right)$
54	$HO_2 + apOx_0RO_2 \longrightarrow ROOH$	10^{-11}
55	$2 \operatorname{apOx}_0 \operatorname{RO}_2 \longrightarrow \gamma \operatorname{apOx}_0 \operatorname{Ox}_0 \operatorname{ROOR} + 2 \alpha \operatorname{apOx}_0 \operatorname{RO}$	$k_{apOx_0RO_2}$
56	$apOx_0RO_2 \longrightarrow apOx_0RO$	6×10^{-8}
57	$apOx_1RO_2 \longrightarrow apOx_2RO_2$	$A_{\mathrm{ap}_2} \exp\left(-\mathrm{E}_a/T\right)$
58	$HO_2 + apOx_1RO_2 \longrightarrow apOx_1ROOH$	10^{-11}
59	$apOx_1RO_2 + apOx_0RO_2 \longrightarrow \gamma apOx_1Ox_0ROOR + \alpha(apOx_0RO + apOx_1RO)$	$2\sqrt{k_{apOx_1RO_2}k_{apOx_0RO_2}}$
60	$2 \operatorname{apOx}_1 \operatorname{RO}_2 \longrightarrow \gamma \operatorname{apOx}_1 \operatorname{Ox}_1 \operatorname{ROOR} + 2 \operatorname{\alpha} \operatorname{apOx}_1 \operatorname{RO}$	k _{apOx2RO2}
61	$apOx_1RO_2 \longrightarrow apOx_1RO$	6×10^{-8}
62	$apOx_2RO_2 \longrightarrow apOx_3RO_2$	$A_{\mathrm{ap}_3} \exp\left(-\mathrm{E}_a/T\right)$
63	$HO_2 + apOx_2RO_2 \longrightarrow apOx_2ROOH$	10^{-11}
64	$apOx_2RO_2 + apOx_0RO_2 \longrightarrow \gamma apOx_2Ox_0ROOR + \alpha(apOx_0RO + apOx_2RO)$	$2\sqrt{k_{apOx_2RO_2}k_{apOx_0RO_2}}$
65	$apOx_1RO_2 + apOx_2RO_2 \longrightarrow \gamma apOx_2Ox_1ROOR + \alpha(apOx_2RO + apOx_1RO)$	$2\sqrt{k_{apOx_1RO_2}k_{apOx_2RO_2}}$
66	$2 \operatorname{apOx}_2 \operatorname{RO}_2 \longrightarrow \gamma \operatorname{apOx}_2 \operatorname{Ox}_2 \operatorname{ROOR} + 2 \operatorname{\alpha} \operatorname{apOx}_2 \operatorname{RO}$	$k_{apOx_2RO_2}$
67	$apOx_2RO_2 \longrightarrow apOx_2RO$	6×10^{-8}
68	$HO_2 + apOx_3RO_2 \longrightarrow apOx_3ROOH$	10^{-11}
69	$apOx_3RO_2 + apOx_0RO_2 \longrightarrow \gamma apOx_3Ox_0ROOR + \alpha(apOx_0RO + apOx_3RO)$	$2\sqrt{k_{apOx_3RO_2}k_{apOx_0RO_2}}$
70	$apOx_1RO_2 + apOx_3RO_2 \longrightarrow \gamma apOx_3Ox_1ROOR + \alpha(apOx_3RO + apOx_1RO)$	$2\sqrt{k_{apOx_1RO_2}k_{apOx_3RO_2}}$
71	$apOx_2RO_2 + apOx_3RO_2 \longrightarrow \gamma apOx_3Ox_2ROOR + \alpha(apOx_3RO + apOx_2RO)$	$2\sqrt{k_{apOx_2RO_2}k_{apOx_3RO_2}}$
72	$2 \operatorname{apOx_3RO_2} \longrightarrow \gamma \operatorname{apOx_3Ox_3ROOR} + 2 \operatorname{\alpha apOx_3RO}$	k _{apOx3RO2}
73	$apOx_3RO_2 \longrightarrow apOx_3RO$	6×10^{-8}

Table 5: α -Pinene (ap) chemical reactions and rate coefficients used in this work.

* First-order coefficients have units s⁻¹; second-order coefficients have units cm³ s⁻¹. γ and α represent the branching between dimer formation and alkoxy radical formation, respectively, as discussed in section 2.1.

Reactions specified with k_0 and k_∞ are pressure-dependent with the rate coefficient at a specific pressure given by

$$k = \left(\frac{k_0 c_{\rm M}}{1 + \frac{k_0 c_{\rm M}}{k_\infty}}\right) \ 0.6^{(1 + (\log(\frac{k_0 c_{\rm M}}{k_\infty}))^2)^{-1}} \tag{1}$$



Figure S1: The α -pinene reactivity normalized to the α -pinene reactivity with no isoprene present. Shown is the case simulated in this work where α -pinene mainly reacts with ozone (blue) and a case where no ozone is present, and α -pinene only reacts with OH (red).