# **Electronic Supplementary Information**

# **Improving Colloidal Stability and Response Performances of Using Looped thermal-responsive Brush**

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### Table of Contents

Standard Curves of PNIPAM by HPLC (Fig. S1) Page S	2
Micrographs of Nanoparticles (Fig. S2) Page S2	2
1H-NMR of Nanoparticles (Fig. S3) Page S2	3
FTIR of Polymer and Nanoparticles (Fig. S4) Page S3	;
GPC of Polymer (Fig. S5) Page Sector Polymer (Fig. S5)	4
Size Distribution and Note on Polymer Bridging (Fig. S6, Fig. S6) Page S	4
Calculations of theoretical contour length Page S5	5
Flow chart of dye loading and release (Fig. S8) Page S	6
Characteristics of Nanoparticles (Table S1, Table S2) Page S	7
Calculations of Relaxation Time (Table S3) Page S	7
The Variety of LSPR Peak and Absorption Intensity Mixing with Salt on Colloids (Fig. S9, Table S4) Page S9	9
The Hysteresis Phenomenon of D <sub>H</sub> (Fig. S10) Page S10	)
REFERENCES Pag	ge
S11	

## **Standard Curves of PNIPAM by HPLC**



Fig. S1 The standard curve of pure PNIPAM-4k-linear, PNIPAM-8k-linear and PNIPAM-8k-looped in concentration range of 0-1.0 mg ml<sup>-1</sup>, respectively. And scheme of HPLC quantification analysis of detached PNIPAM ligands.

#### **Micrographs of Nanoparticles**



Fig. S2 TEM images of PNIPAAm brush modified samples in scale of 100 nm.

The lighter and unstained indicated polymer shell of the particles, and the high-contrast indicated gold core.

# <sup>1</sup>H-NMR of Nanoparticles



Fig. S3 <sup>1</sup>H-NMR spectra of AuNPs, Au@PNIPAAm-4k-linear, Au@PNIPAAm-8k-linear, and Au@PNIPAAm-8k-looped.

**FTIR of Polymer and Nanoparticles** 



Fig. S4 FTIR spectra of PNIPAAm-4k-linear, PNIPAAm-8k-linear, PNIPAAm-8k-looped,

# **GPC of Polymer**



Fig. S5 GPC curves of PNIPAAm-4k-linear, PNIPAAm-8k-linear and PNIPAAm-8k-looped.

### Size Distribution and Note on Polymer Bridging



Fig. S6 The hydrodynamic diameter and nanoparticle distribution of Au@PNIPAAm-4k-linear,

Au@PNIPAAm-8k-linear, and Au@PNIPAAm-8k-looped measured in water.

DLS would be more sensitive to large aggregates. In particular, for Au@PNIPAAm-8k-looped, the grafting process might form polymer bridging, and once bridging occurred, the nanoparticles were connected by bridges, leading to some degree of aggregation or even precipitation<sup>1</sup>. The bridge formation rate was connected with the escape of one end sticker from the narrow-but-deep association well near the colloidal surface and the longer-range motion of the chain end to the other surface inhibited by stretching free energy <sup>2</sup>. On the one hand, the grafting strategy we employ was carried out in an extremely dilute nanoparticle solution, which could effectively reduce the long-range motion of the chain end to the other surface. On the other hand, the size distribution indicated the absence of any aggregates, which confirmed that the grafted PNIPAAm coated nanoparticles were well dispersed in water (Figure S2).



Fig. S7 Electron paramagnetic resonance spectra of Au@PNIPAAm-8k-looped reacted with MTSSL after purified.

Further, the probe molecule MTSL with paramagnetic signaling could react specifically and efficiently with thiol groups <sup>3, 4</sup>. After the reaction of Au@PNIPAAm-8k-looped with MTSL, the mixtures were purified. Figure S3 showed that the mixture had no significant EPR signal, indicating that there were almost no free thiol groups present in the solution system of nanoparticles.

#### Calculations of theoretical contour length

The theoretical contour length of polymer often used to describe the length of a linear polymer chain in the ideal case, when the polymer chain is fully unfolded without any twisting or curling. This can be calculated using the following formula <sup>5</sup>:

$$L_{contour} = N \cdot l_0$$

where N is number of units in the polymer chain and  $l_0$  length of each unit as expressed in the following equation:

$$N = \frac{M_n - M_x}{M_0}$$
$$l_0 = 2l\sin\frac{\theta}{2}$$

where  $M_n$  is polymer molecular weight,  $M_x$  is molar mass of the terminal functional groups,  $M_0$  is molecular weight of structural units, l is bond length (0.154 nm for C-C bond),  $\theta$  is bond angle (109°28′ for sp<sup>3</sup> hybridization).

#### Flow chart of dye loading and release



Fig. S8 Scheme of small molecule dye loading and release.

In the sample processing stage: the sample is first mixed with the fluorescent dye and subsequently incubated overnight at room temperature to ensure that the dye is fully bound to the sample.

Fluorescence measurement session: the mixture was encapsulated into a dialysis and the dialysis was placed in a beaker, the solution was submerged with 5 ml of water and stirred, and at a specific time point (t), 1 ml of the liquid was removed for the fluorescence intensity test and an equal volume of water was added to the system. The release of dye from the sample can be quantified by calculating the percentage release of fluorescence intensity.

#### **Characteristics of Nanoparticles**

**Table S1.** Characteristics of hydrodynamic diameter, polydisperse index in in DLS for bare and PNIPAAm-grafted AuNPs (errors: mean ± standard deviation, n=3 experimental replicated, NA represented not applicable).

Sample	$D_{H}^{25^{\circ}C}$	$PDI^{25^{\circ}C}$ (nm) <sup>b</sup>	$D_{H}^{45^{\circ}C}$	$PDI^{45^{\circ}C}$ (nm) <sup>b</sup>	$\frac{1}{2}d_s$ (nm) (
	(1111)	()	(IIIII)	()	<b>-</b> (mm)*
AuNPs	23.85	0.08	24.24	0.18	NA
Au@PNIPAAm-4k-linear	43.22	0.19	42.38	0.26	9.6
Au@PNIPAAm-8k-linear	63.64	0.34	50.55	1.02	19.4
Au@PNIPAAm-8k- looped	43.62	0.22	32.07	0.20	8.8

<sup>a</sup> Measured by DLS in distilled deionized water with superscripts indicating different temperatures equilibrated 15 min before measurement.

<sup>b</sup> Estimated from multiple DLS measurements for D<sub>H</sub> at certain temperature.

<sup>c</sup> Calculated by  $D_H$  at 25 °C.

**Table S2.** Characteristics of localized surface plasmon resonance, zeta potential and chain density for bare and PNIPAAm-grafted AuNPs (errors: mean ± standard deviation, n=3 experimental replicated, NA represented not applicable).

Sample	<i>LSPR peak</i> (nm) <sup><i>a</i></sup>	$\frac{\zeta^{25^{\circ}C}}{(\text{mV})^{b}}$	ζ <sup>45°C</sup> (mV) <sup>b</sup>	σ (nm <sup>-2</sup> ) <sup>b</sup>
AuNPs	520.0	$-43.21 \pm 0.27$	$-38.52 \pm 0.27$	NA
Au@PNIPAAm-4K-linear	522.2	$\textbf{-23.06} \pm 0.20$	$\textbf{-19.51} \pm 0.19$	0.78
Au@PNIPAAm-8K-linear	522.8	$\textbf{-29.42} \pm 0.56$	$-26.34 \pm 1.21$	0.64
Au@PNIPAAm-8K-looped	523.1	$\textbf{-32.40}\pm0.35$	$\textbf{-28.43} \pm 0.19$	0.35

<sup>a</sup> Measured by UV-vis.

<sup>b</sup> Measured by DLS in distilled deionized water with superscripts indicating different temperatures equilibrated 15 min before measurement.

<sup>c</sup> Estimated from by HPLC.

#### **Calculations of Relaxation Time**

In a dynamic light-scattering experiment, we measure the  $G_2(\tau)$ , an optical intensity I(t) correlation function rises and falls with time that describes the motion of colloidal particles <sup>6</sup>:

$$G_2(\tau) = \langle I(t)I(t+\tau) \rangle$$

which can be expressed as the integral of the product of the intensity at time (t) and the delay time (t

 $+\tau$ ) and  $\tau$  is the lag time between the two time points.

Furthermore, the motions of the particles with respect to each other can be related by the electric

field correlation function  $G_1(\tau)$ , which accounts for the associated particle motions and can be defined as:

$$G_1(\tau) = \langle E(t)E(t+\tau) \rangle$$

where,  $E(\tau)$  and  $E(t + \tau)$  represent the scattered electric fields at time (t) and  $(t + \tau)$ 

The  $G_1(\tau)$  and  $G_2(\tau)$  can be normalized as  $g_1(\tau)$  and  $g_2(\tau)$ , which can be coupled to each other by the Siegert relation <sup>7</sup>:

$$g_2(\tau) = B + \beta \left| g_1(\tau) \right|^2$$

where *B* is the baseline (~1) and  $\beta$  is the coherence factor that depends on detector area, optical alignment, and scattering properties of colloidal.

For polydisperse system,  $g_1(\tau)$  can be represented as intensity-weighed integral over a distribution of decay rates  $G(\Gamma)$  represented as:

$$g_1(\tau) = \int_0^\infty G(\Gamma) e^{-\Gamma_\tau dI}$$

The decay constant  $\Gamma$  (the inverse of the correlation time) is directly related to the diffusion behavior of colloidal ( $D_{\tau}$ ) as expressed in the following equation <sup>8</sup>:

$$D_{\tau} = \frac{\Gamma}{q^2}$$
$$\Gamma = \tau_c^{-1}$$

Where  $\tau_c$  is the relaxation time and the Bragg wave vector q is proportional to solvent refractive index n as:

$$q = \frac{4\pi n}{\lambda} \sin \frac{\theta}{2}$$

Where  $\lambda$  is the wavelength of incident light and,  $\theta$  is angle at which the detector is placed. Therefore,  $g_2(\tau)$  can be rewritten as:

$$g_2(\tau) = 1 + \beta e^{-2D_{\tau}q^2\tau}$$

Which connects the particle motion with the measured fluctuations <sup>9</sup>.

In additionally, the hydrodynamic radius ( $^{R_{H}}$ ), which can be defined as the radius of a hypothetical sphere that diffuses at the same rate as particle under investigation, can be obtained using the Stokes–Einstein equation <sup>10</sup>:

$$R_H = \frac{k_B T}{6\pi\eta D}$$

Where Boltzmann's constant  $k_B$  is  $1.380 \times 10^{-23}$  kg·m<sup>2</sup>·s<sup>-2</sup>·K<sup>-1</sup>, *T* is the absolute temperature, and  $\eta$  is the solvent viscosity. The viscosity of water at 25 °C and 45 °C is 0.8903 mPa·s and 0.5972 mPa·s

respectively<sup>11, 12</sup>.  $\lambda$  is the wavelength (632.8 nm) and  $\theta$  being the scattering angle (90°). The refractive index of water at 25 °C and 45 °C is 1.3325 and 1.3299 respectively<sup>13, 14</sup>.

**Table S3.** Translational diffusion coefficients (D) and relaxation times ( $\tau$ ) of several groups of samples at 25°C and 45°C, corresponding temperature marked at superscript.

Sample	$D^{25  \circ C}(\mathrm{m}^2 \cdot \mathrm{s}^{-1})$	$\tau^{25  \circ C}$ (ms)	$D^{45 \ \circ C}(m^2 \cdot s^{-1})$	$\tau^{45 \ \circ C}$ (ms)
AuNPs	2.023E-11	14.12	3.252E-11	8.82
Au@PNIPAM-4k-linear	1.135E-11	25.16	1.853E-11	15.48
Au@PNIPAM-8k-linear	7.821E-12	36.52	1.622E-11	17.68
Au@PNIPAM-8k-looped	1.182E-11	24.17	2.408E-11	11.91

The Variety of LSPR Peak and Absorption Intensity Mixing with Salt on Colloids



**Fig. S9.** The difference between the wavelength corresponding to the LSPR peak at moment x min and moment 0 min versus the time of mixing Au@PNIPAAm and K<sub>2</sub>CO<sub>3</sub> (A) or NaCl (B). The normalized red-shift difference concentration of K<sub>2</sub>CO<sub>3</sub> (C) or NaCl (D) mixing with Au@PNIPAAm.

Sample	$C_{NaCl}(\mathbf{M})$	Peak <sup>C</sup> NaCl <sub>SPR</sub> (nm)				
		$C_{NaCl=0M}$	$C_{NaCl = 0.5M}$	$C_{NaCl = 0.75M}$	$C_{NaCl = 1.0M}$	$c_{NaCl=1.5M}$
Au@PNIPAAm-8k-linear	≤0.75	522.79	522.95	522.98	528.68	559.12
Au@PNIPAAm-8k-looped	≤1.0	523.10	522.98	523.54	524.93	556.01
Sample $c_K$	$c_{K_2CO_2(\mathbf{M})}^*$	$Peak \frac{c_{K_2CO_3}}{SPR}$ (nm)				
	2 3(M)	$c_{K_2CO_3 = 0M}$	$c_{K_2CO_3=0.5M}$	$c_{K_2 C O_3} = 0.75 M$	$C_{K_2 C O_3} = 1.0M$	$c_{K_2CO_3=1.5M}$
Au@PNIPAAm-8k-li	near <0	.5 522.	79 554.3	557.93	3 562.85	5 565.23
Au@PNIPAAm-8k-lo	oped <0	.5 523.	07 549.9	99 557.05	5 563.4	1 569.45

**Table S4.** 5The LSPR peak positions (<br/> $Peak_{SPR}^{c_{salt}}$ ) of Au@PNIPAAm-8k-linear and Au@PNIPA

The Hysteresis Phenomenon of  $D_H$ 



**Fig. S10** The  $D_H$  of Au@PNIPAAm-8k-linear and Au@PNIPAAm-8k-looped first storage at 25 °C then heating to 45 °C incubation a period time and then cooling to 25 °C for equilibrium in a while (around 0.2 -0.3 °C per minutes) recorded at the time.

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