Electronic Supplementary Information

S-hindered synthesis of PbSe/PbS nanosheets with enhanced electrochemical activities

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Figure S1. The EDS spectrum of the PbSe/PbS nanosheets.



Figure S2. SEM images of samples prepared under similar conditions but with sulfur powder replaced by (a) L-cysteine, (b) thiourea, (c) thioacetamide and (d) Na₂S.



Figure S3. SEM images of samples prepared under similar conditions but with adding 2 ml hydrazine hydrate.



Figure S4. Characterization of PbSe flower-like crystals obtained at 180 °C for 24 h in the presence of 0g sulfur powder: (a) TEM and (b) HRTEM image taken from the corner of a single sheet, (c) corresponding FFT patterns of HRTEM images from red square region.



Figure S5. The HRTEM images of free PbSe.



Figure S6. The EDS spectrum of the samples (x_{PbS} = 0.4).



Figure S7. Typical nitrogen adsorption-desorption isotherm of the flower-microsphere PbSe (a) and nanosheet PbSe/PbS with GB (b).

The expression for the effective diffusion coefficient



Figure. S4 Schematic of master examples. Surface exchange takes place at active stripes.

Diffusion of Lithium-ion in a binary mixed conducting chalcogenides with electron and doubly charged ionic defects (ion)

The partial conductivities due to individual defects are denoted: σ_i (the subscript j stands for ion,

electron(eon)) charge number: z_j diffusion coefficient: Dstoichiometry numbers associated with the reaction Li f Li⁺ + e⁻ : v_j . ambipolar conductivity: $\sigma^{\delta} \equiv \sigma_{ion}\sigma_{ion}/(\sigma_{ion} + \sigma_{ion})$ diffusion resistance: R^{δ} In the linear regime $\Delta_{\mu} = \partial_{\mu}/\partial_c$ ($c_{x=d} - c_{x=0}$) rate constant of local active sites: k_{local} apparent surface rate constant: k_{app} Recalling¹ that, $D^{\delta} = (ez_j v_j)^{-2} \sigma^{\delta} \partial_{\mu}/\partial_c$, subsurface layer of thickness d yielding the flux: $J_x = -4D^{\delta}$ $\frac{r}{d^2}$ ($c_{x=d} - c_{x=0}$)

The flux density through the active sites, scales with the flux density J_x^{local} at x = d with the

geometric factor contact area/total area = $\frac{\pi r^2}{d^2}$. In addition, if L? d, c_{x=d} can be replaced by c_{x=0}.

Taking this into account, above equation rewrites as

$$\frac{1}{k_{app}} \approx \frac{1}{4Dr/d^2} + \frac{1}{k_{local}\pi(r/d)^2}$$

In cases in which the local surface kinetics is very fast ($k_{local} \rightarrow \infty$), k_{app} simplifies to $k_{app} \approx 4Dr/d^2$

1. C. Wagner and Prog. Solid State Chem., 1975, 10, 3.