

## Electronic Supplementary Information for:

### The Effect of Nanoparticle Location and Shape on the Thermal Transitions

#### Observed in Hydrated Layer-by-Layer Assemblies

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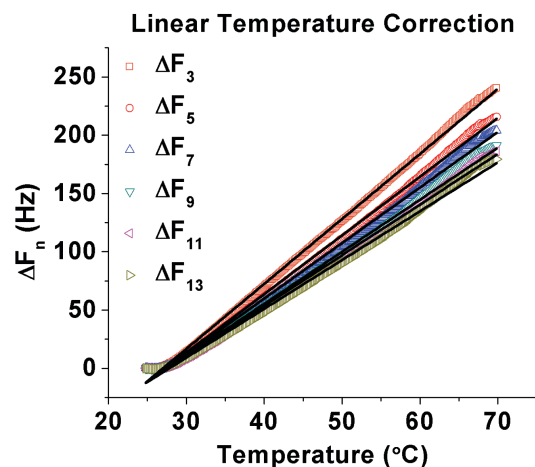
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1. Figure S1. Linear Temperature Correction for Frequency Data.....	S2
2. Table S1. Fit Parameters for the Frequency Linear Temperature Correction.....	S2
3. Figure S2. Linear Temperature Correction for Dissipation Data. ....	S2
4. Table S2. Fit Parameters for the Dissipation Linear Temperature Correction .....	S3
5. Table S3. Fitted Parameters Used for Extended Voigt Modeling Process .....	S3
6. Extended Voigt Model Equations.....	S3
7. Figure S3. Raw and Fitted Frequency Data for PDAC/PSS LbL Assembly Incorporating SiO <sub>2</sub> and LAP.....	S4
8. Figure S4. Reversible Heat Flow MDSC data for PDAC/PSS Films Incorporating LAP. ....	S5

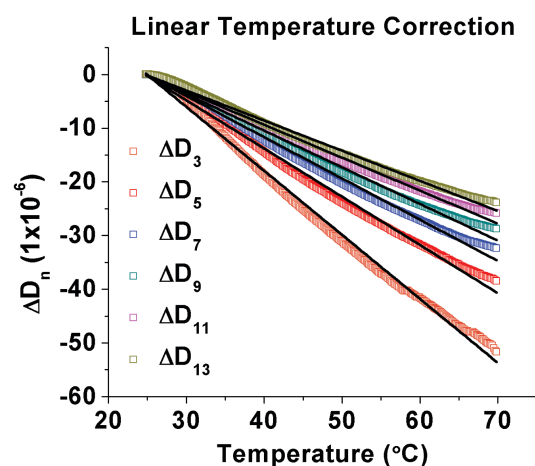
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**Figure S1.** Linear temperature correction used for all frequency data. This correction was generated by fitting a linear trend line to the average of five separate bare crystal measurements. A bare crystal experiment consisted of flowing water with 0.5 M NaCl over a bare quartz QCM-D crystal while ramping from 25 to 70 °C. Colored points refer to data and the black line is the linear fit.

**Table S1.** Fitted Parameters for the Linear Temperature Correction of  $\Delta F$

	$3^{rd}$	$5^{th}$	$7^{th}$	$9^{th}$	$11^{th}$	$13^{th}$
$m$	5.57483	5.0355	4.7652	4.46392	4.34358	4.18887
$b$	-150.46108	-137.56887	-130.70455	-123.13058	-120.07559	-116.48175
$R^2$	0.99742	0.99617	0.99546	0.99467	0.99424	0.99345



**Figure S2.** Linear temperature correction used for all dissipation data. This correction was generated by fitting a linear trend line to the average of five separate bare crystal measurements. A bare crystal experiment consisted of flowing water with 0.5 M NaCl over a bare quartz QCM-D crystal while ramping from 25 to 70 °C. Colored points refer to data and the black line is the linear fit.

**Table S2.** Fitted Parameters for the Linear Temperature Correction of  $\Delta D$ 

	3 <sup>rd</sup>	5 <sup>th</sup>	7 <sup>th</sup>	9 <sup>th</sup>	11 <sup>th</sup>	13 <sup>th</sup>
<i>m</i>	-1.19263	-0.89875	-0.76839	-0.68276	-0.61342	-0.5617
<i>b</i>	29.75383	22.16815	19.06106	16.85143	15.17946	13.88901
R <sup>2</sup>	0.99519	0.9942	0.99413	0.99349	0.99399	0.99402

**Table S3.** Fitted Parameters Used for Extended Voigt Modeling

<i>Parameters to Fit:</i>	<i>Minimum</i>	<i>Maximum</i>	<i>Step (Iterations)</i>
L1 Viscosity (kg m <sup>-1</sup> s <sup>-1</sup> )	0.0001	0.01	50
L1 Shear (Pa)	100	1E12	21
L1 Thickness (m)	9.5238E-11	1E-6	21
L1 Viscosity Frequency	-2	0	10
L1 Shear Frequency	0	2	10

*Note:* The fixed parameters utilized for these models were: fluid density (kg m<sup>-3</sup>) of 1000, fluid viscosity (kg m<sup>-1</sup> s<sup>-1</sup>) of 0.001, and L1 density (kg m<sup>-3</sup>) of 1100.

### Extended Voigt Model Equations:

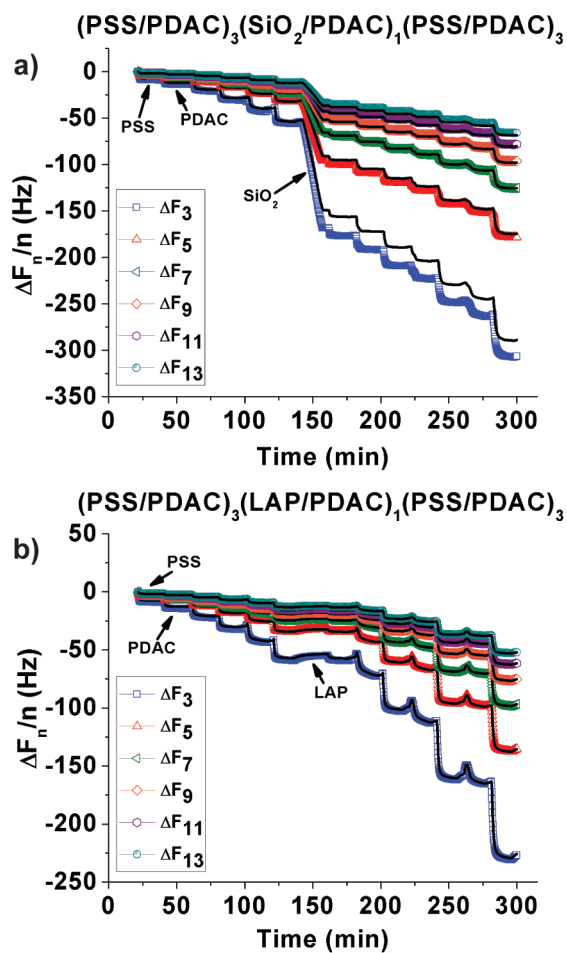
The application of the extended Voigt model is described very well by Sun *et al.* (*Macromolecules* 2014, *ASAP*, <http://dx.doi.org/10.1021/la500716d>). The standard Voigt model assumes a frequency-independent shear elastic modulus and viscosity. The extended Voigt model allows for the shear elastic modulus and viscosity to vary with thickness according to Eqns. 1 and 2.  $f_0$  is the fundamental frequency (5 MHz),  $G_n'$  is the shear modulus for overtone  $n$ , and similarly for shear viscosity  $\eta$ .

$$G_n' = G_0' \left( \frac{f_n}{f_0} \right)^{\alpha'} \quad (1)$$

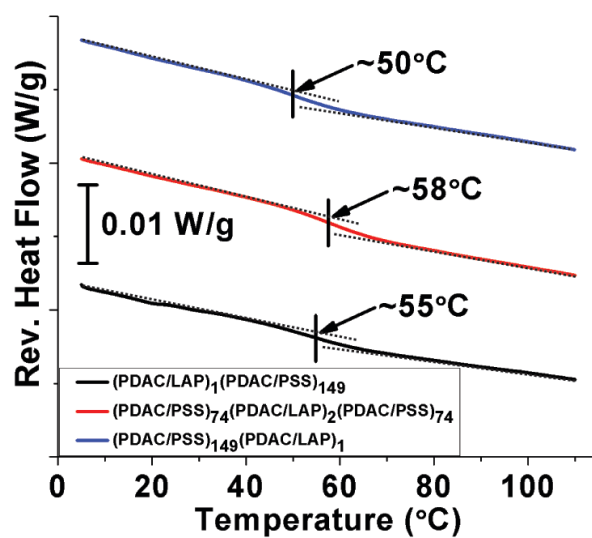
where  $G_0'$  equals L1 Shear,  $f_n/f_0$  is approximately equal to the  $n^{\text{th}}$  overtone, and  $\alpha'$  equals the L1 Shear Frequency.

$$\eta_n = \eta_0 \left( \frac{f_n}{f_0} \right)^{\alpha''} \quad (2)$$

where  $\eta_0$  equals L1 Viscosity,  $f_n/f_0$  is approximately equal to the  $n^{\text{th}}$  overtone, and  $\alpha''$  equals the L1 Viscosity Frequency.



**Figure S3.** Raw ( $\Delta F_3$  = blue,  $\Delta F_5$  = red,  $\Delta F_7$  = green,  $\Delta F_9$  = orange,  $\Delta F_{11}$  = purple, and  $\Delta F_{13}$  = turquoise) and fitted (black lines) frequency data for PDAC/PSS films incorporating a)  $SiO_2$  and b) LAP. This figure serves to illustrate the abrupt change in film properties following the adsorption of the nanoparticle layer.



**Figure S4.** Reversing heat flow for (PDAC/LAP)<sub>1</sub>(PDAC/PSS)<sub>149</sub> (black line), (PDAC/PSS)<sub>74</sub>(PDAC/LAP)<sub>2</sub>(PDAC/PSS)<sub>74</sub> (red line), and (PDAC/PSS)<sub>149</sub>(PDAC/LAP)<sub>1</sub> (blue line) films obtained via MDSC.